















ANTINUCLEI FROM PBHS

Based on Phys.Rev.D 112 (2025) 2, 2 in collaboration with V. De Romeri, F. Donato, D. Maurin & L. Stefanuto

Agnese Tolino

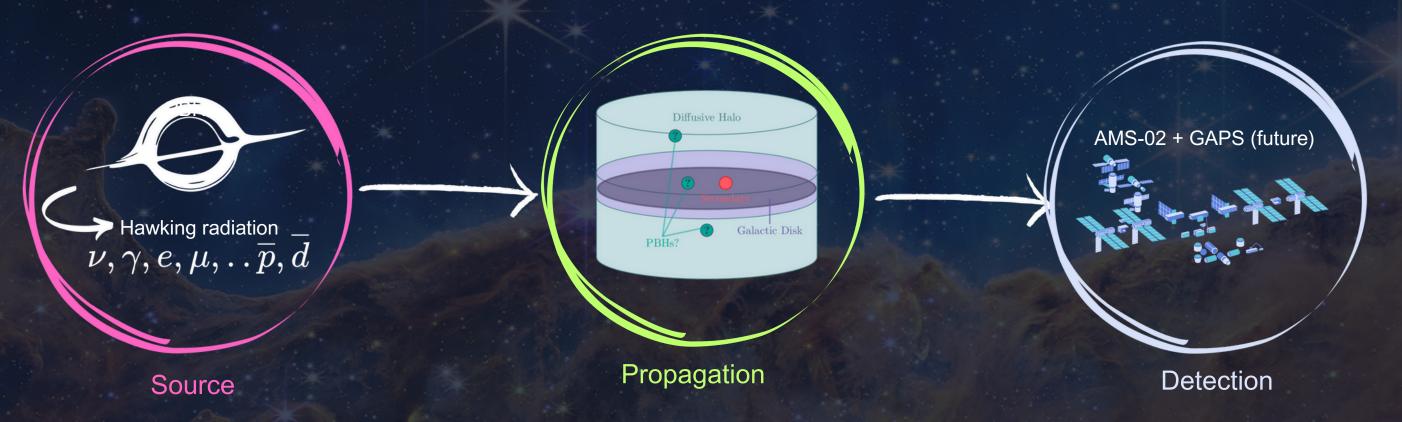
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XVII CPAN DAYS November 20th, 2025 Valencia



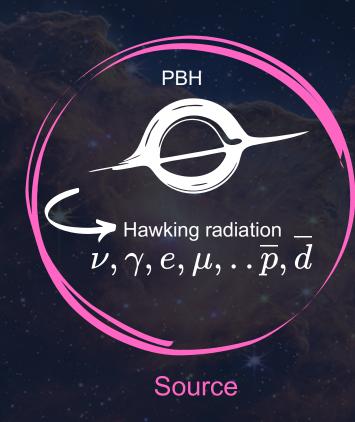
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OUR WORK IN A NUTSHELL

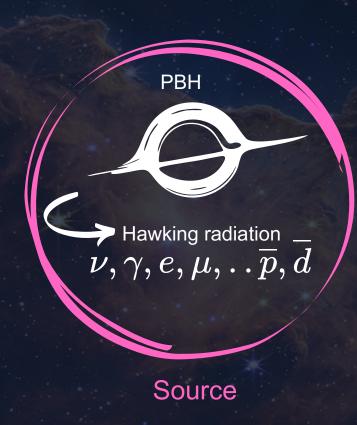


In Phys.Rev.D 112 (2025) 2, 2,

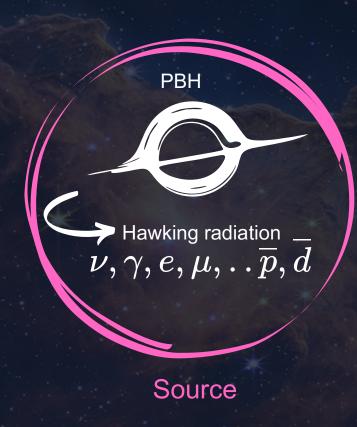
we estimated the antiproton and antideuteron signals from a population of primordial black holes (PBHs) following a lognormal mass distribution. By comparing with AMS-02 data, we derived competitive constraints on the fraction of dark matter that such PBHs could represent and discussed perspectives for antideuteron measurements with AMS-02 and GAPS



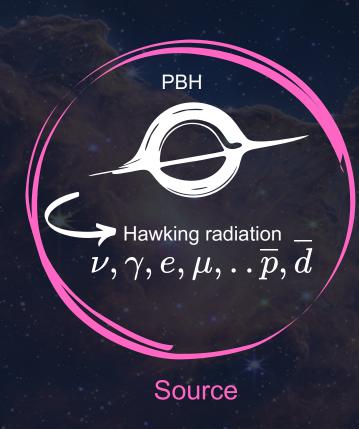
Might have formed in the Early Universe by the collapse of overdensities



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- **Schwarzschild** (i.e. non-rotating & uncharged) PBHs are uniquely described by their **mass**

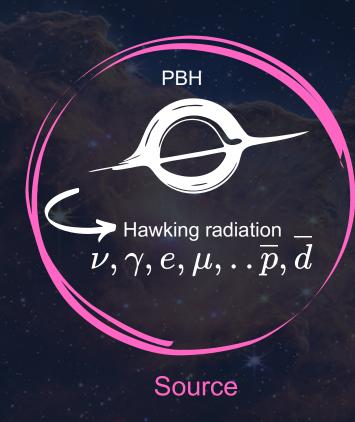


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- Might have formed in the Early Universe by the collapse of overdensities
- **Schwarzschild** (i.e. non-rotating & uncharged) PBHs are uniquely described by their **mass**
- ullet Masses span from 10^{-5} g to $10^5 M_{\odot}$
- PBHs above 5x10¹⁴ g could be viable DM candidates, as they would have not completely evaporated yet

HAWKING RADIATION

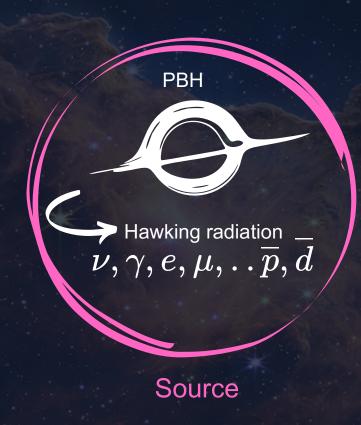


• Hawking predicted that PBHs evaporate with a temperature

$$T=rac{1}{8\pi G M_{
m PBH}}$$

Hawking, Nature 248 (1974) 30-31 Carr et al., Ann. Rev. Nucl. Part. Sci. 70 (2020) Carr et al., Rept. Prog. Phys. 84 (2021) 11, 116902 Arbey et al., Eur. Phys. J. C 79 no. 8, (2019) 693

HAWKING RADIATION



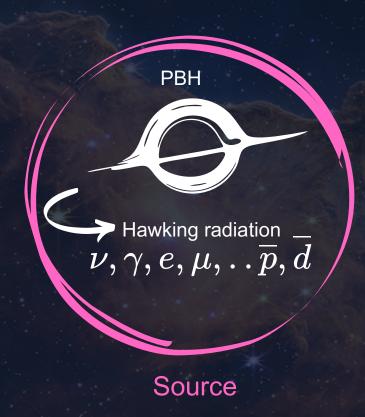
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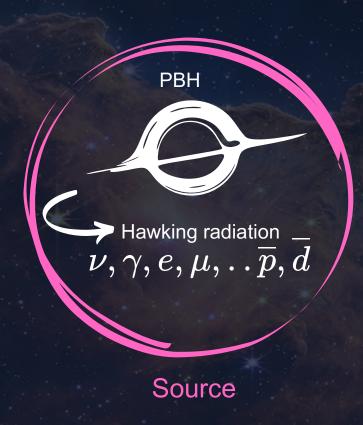
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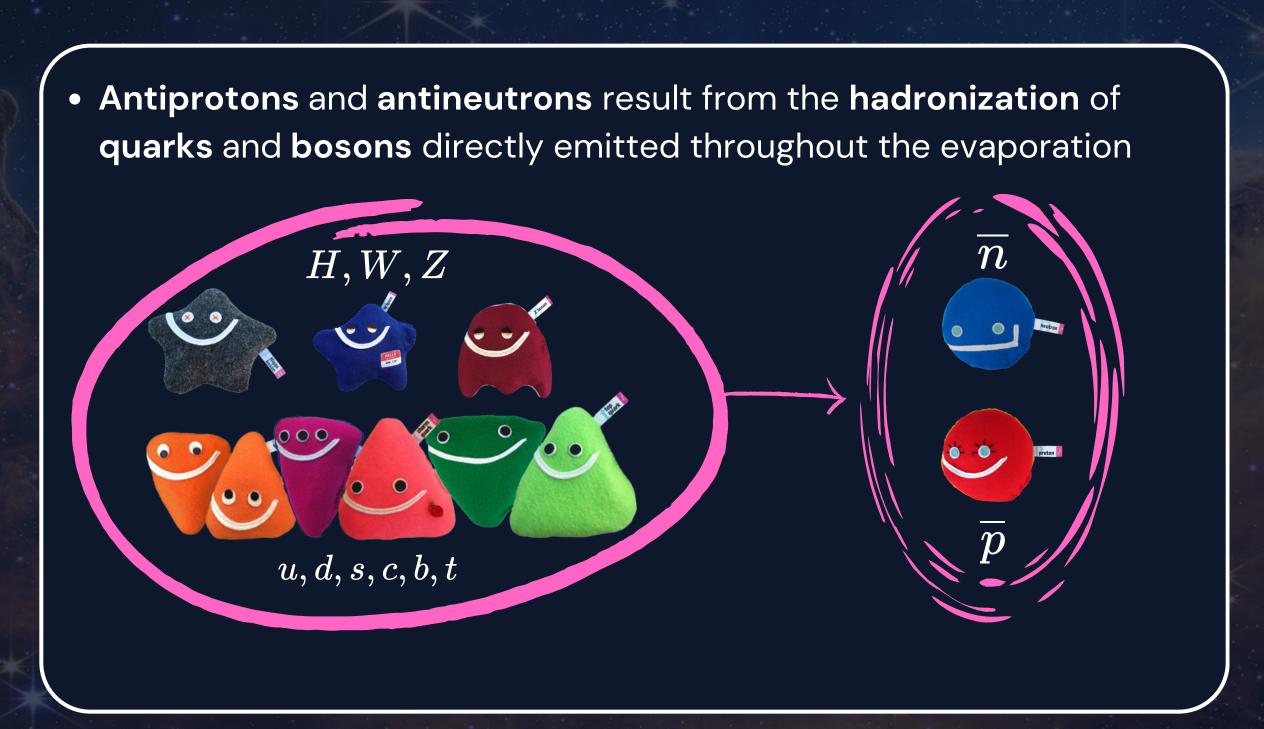
- ullet Mass loss goes as $rac{dM}{dt} \sim M_{
 m PBH}^{-2}$
- The evaporation corresponds to the emission of particles with a semi-thermal spectrum

$$\left. rac{dN^i}{dEdt}
ight|_{ ext{prim}} = rac{g_i \Gamma\left(M_{ ext{PBH}}, E_i
ight)}{2\pi\left(\exp\left\{rac{E_i}{T_{ ext{PBH}}}
ight\} - (-1)^{2s_i}
ight)}$$

Hawking, Nature 248 (1974) 30-31 Carr et al., Ann. Rev. Nucl. Part. Sci. 70 (2020) Carr et al., Rept. Prog. Phys. 84 (2021) 11, 116902 Arbey et al., Eur. Phys. J. C 79 no. 8, (2019) 693

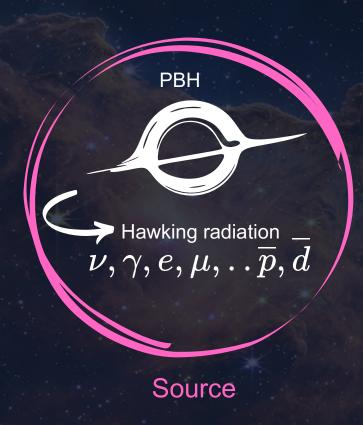
ANTIPARTICLES FROM PBHs



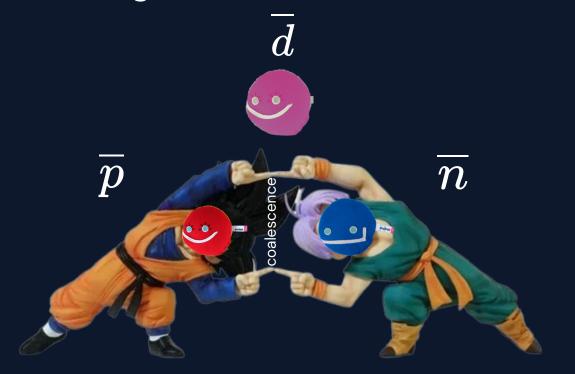


A. Barrau et al., A&A 388, 676-687 (2002) Herms et al.l, JCAP 02 (2017) 018

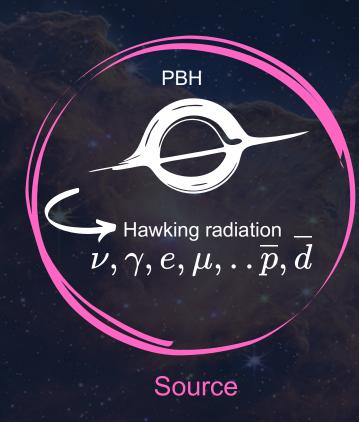
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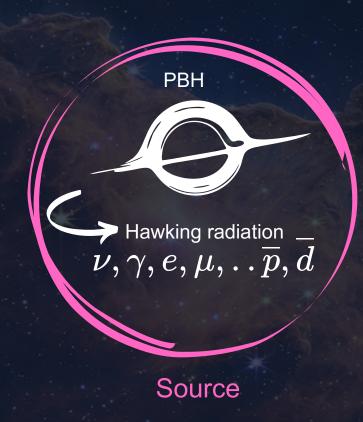
- Antiprotons and antineutrons result from the hadronization of quarks and bosons directly emitted throughout the evaporation
- **Antideuterons** result from the coalescence of an antineutron and antiproton (Argonne-Wigner coalescence)



A. Barrau et al., A&A 388, 676-687 (2002) Herms et al.l, JCAP 02 (2017) 018



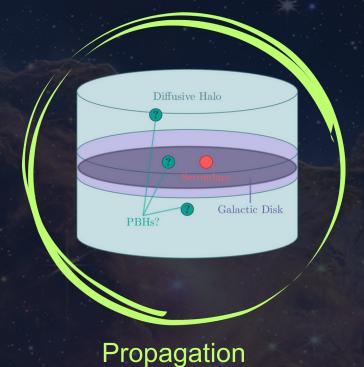
• PBHs can follow extended mass distributions (EMD)



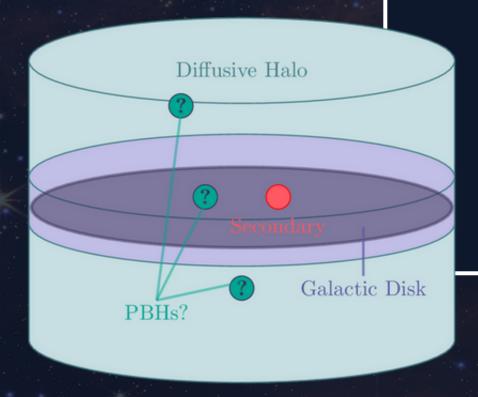
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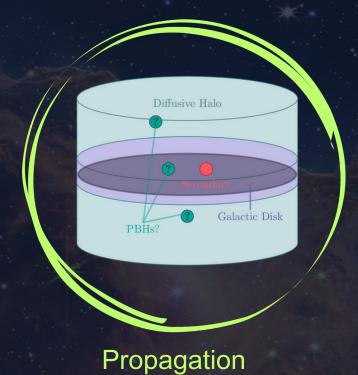


- PBHs can follow extended mass distributions (EMD)
- In our work, we considered a lognormal EMD at the formation time with critical mass $~\mu_c~$ and standard deviation $~\sigma~$
- EMDs evolve over time due to evaporation, but during the typical antinuclei propagation period, they stay nearly constant:
 - → static cosmic-ray sources

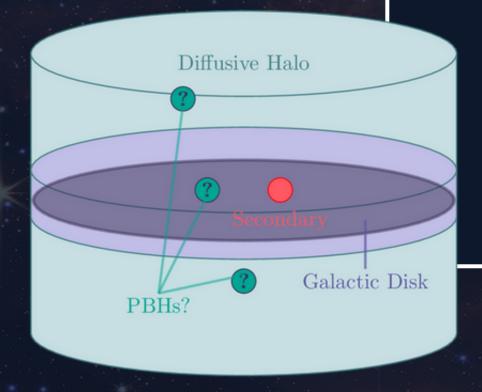


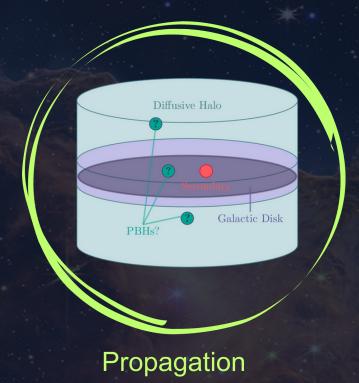
• The Galaxy is a thin disk surrounded by inhomogeneous magnetic fields, that cause **cosmic rays (CRs)** to diffuse in the so called **diffusive halo**





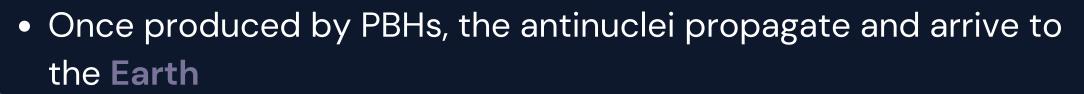
- The Galaxy is a thin disk surrounded by inhomogeneous magnetic fields, that cause **cosmic rays (CRs)** to diffuse in the so called diffusive halo
- PBHs could be located anywhere in the diffusive halo

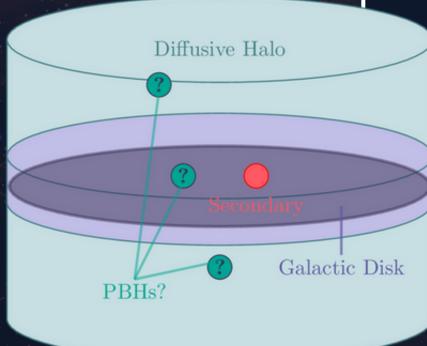


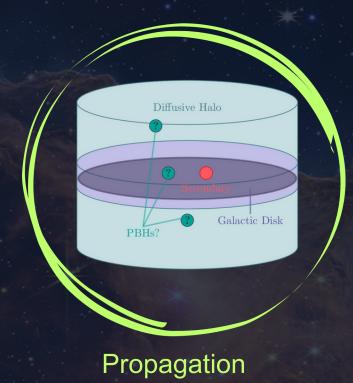


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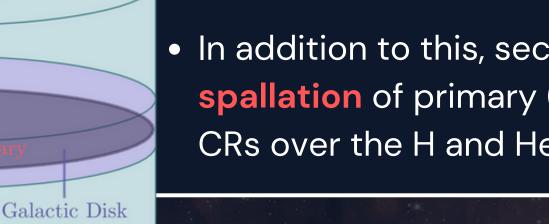






Diffusive Halo

- The Galaxy is a thin disk surrounded by inhomogeneous magnetic fields, that cause **cosmic rays (CRs)** to diffuse in the so called diffusive halo
- PBHs could be located anywhere in the diffusive halo
- Once produced by PBHs, the antinuclei propagate and arrive to the Earth



 In addition to this, secondary antinuclei are produced by the spallation of primary (mainly from supernovae shock waves)
 CRs over the H and He in the Galactic disk

DETECTION OF ANTINUCLEI: AMS-02 & GAPS



The Alpha Magnetic Spectrometer (AMS-02) on the International Space Station has measured cosmic-ray antiprotons (latest data: 2021), which are still well fitted by secondary production models



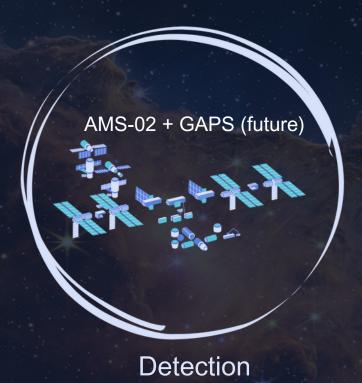
AMS collaboration, Phys. Rev. Lett. 117 (2016) 091103

AMS collaboration, Phys. Rept. 894 (2021)

T. Aramaki et al., GAPS, Appl. Phys. 74 (2016) 6

GAPS collaboration, Astropart. Phys. 145 (2023) 102791

DETECTION OF ANTINUCLEI: AMS-02 & GAPS





The **General AntiParticle Spectrometer (GAPS)** is a balloon-borne future experiment in Antarctica that will search for **low-energy cosmic antinuclei** (< 0.25 GeV/n), where PBH signals could be most **visible**

AMS collaboration, Phys. Rev. Lett. 117 (2016) 091103

AMS collaboration, Phys. Rept. 894 (2021)

T. Aramaki et al., GAPS, Appl. Phys. 74 (2016) 6

GAPS collaboration, Astropart. Phys. 145 (2023) 102791

COMPUTATIONAL ASPECTS AND STATISTICAL ANALYSIS

Through BlackHawk, we compute the Hawking radiation from a population of PBHs with a lognormal mass distribution,

for different μ_c and σ

We derive the antiproton emission with **CosmiXs** from quarks and bosons

We evaluate the antideuteron primary fluxes using the Argon–Wigner coalescence of CosmiXs, and applying the antiproton density bounds.

By comparing with AMS-02 2021 data, we derived **UL PBH densities** at 95% CL

3

We propagate the \overline{p} flux with USINE in the BIG configuration

Y. Genolini et al., PRD 99 (2019) 123028

M. Boudaud et al., Phys. Rev. Res. 2 (2020) 02302

F. Calore et al., SciPost Phys. 12 (2022) 16

A. Arbey et al., Eur. Phys. J. C 79 (2019) 693 C.

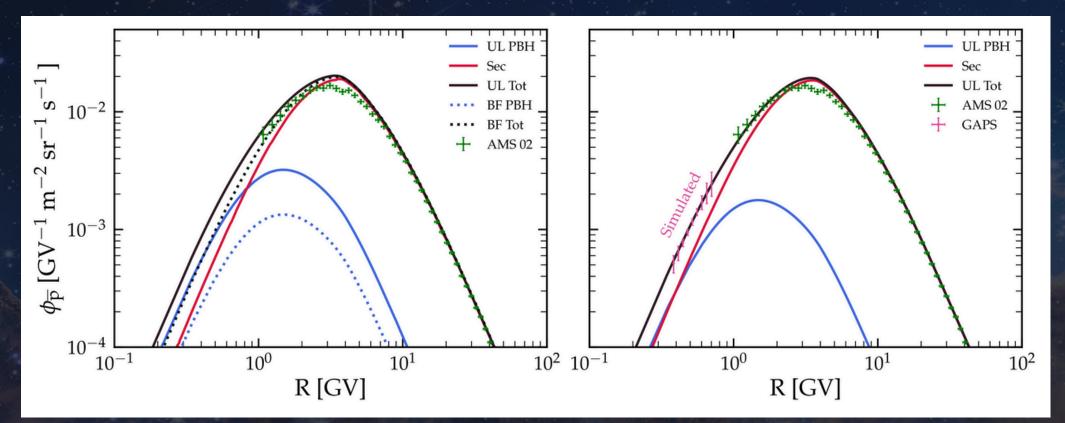
Arina et al., JCAP 03 (2024) 035

M. Di Mauro et al., 2411.04815

D. Maurin, Communications 247 (2020) 106942

RESULTS

ANTIPROTON FLUXES

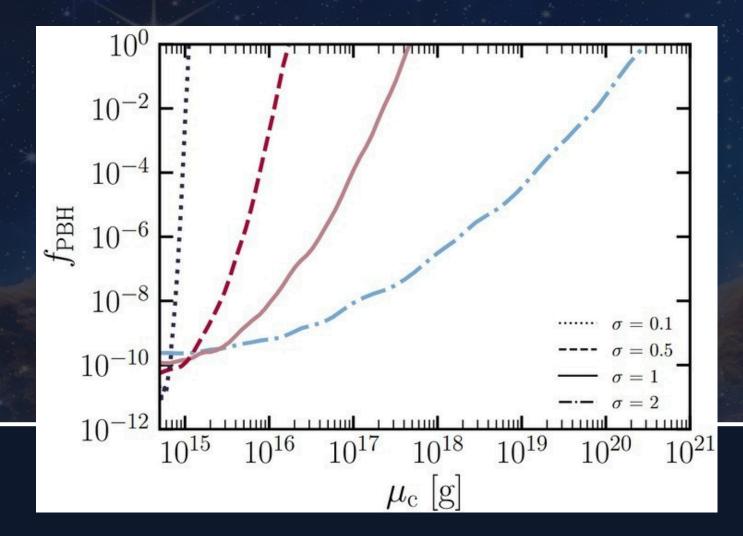


- The **Upper Limit (UL)** is evaluated at 95% C.L. with **AMS-02 2021 data only** (left) and adding **GAPS** simulated data (right) Best Fit (BL) only illustrative
- AMS-02 2021 data are well fitted by the secondary contribution → suppressed PBH contribution
- GAPS data would help to investigate the low energy tail where the PBH contribution is significant

AMS collaboration, Phys. Rept. 894 (2021) GAPS collaboration, Astropart. Phys. 145 (2023) 102791 F. Calore et al., SciPost Phys. 12 (2022) 163

BOUNDS ON PBHs AS DM

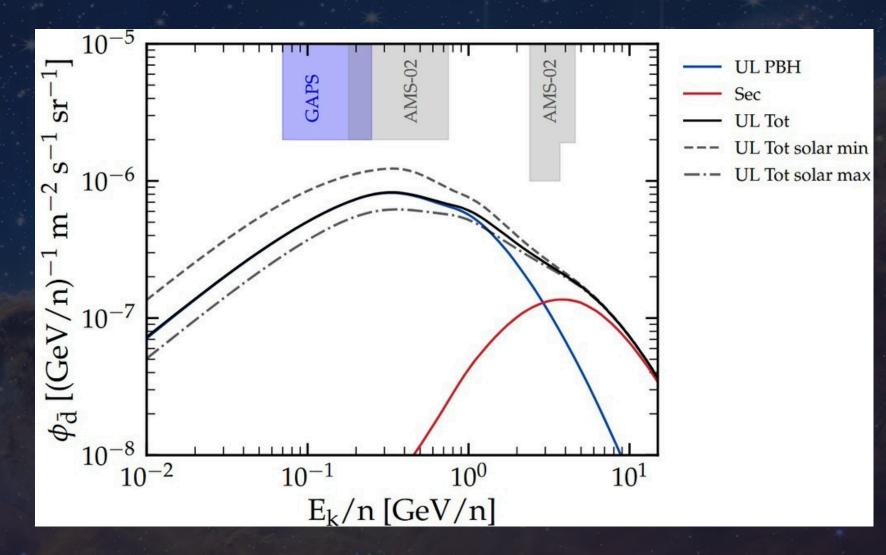
$$f_{ ext{PBH}} = rac{
ho_{ ext{PBH}}}{
ho_{DM}}$$



- ullet 95% CL UL on $ho_{
 m PBH}$ and $f_{
 m PBH}$ with **AMS-O2 2021** data
- Higher widths imply that a bigger portion of the asteroid mass range is constrained, although the constraining power gets reduced with increasing mass

ESTIMATED ANTIDEUTERON FLUX

- We applied the UL densities from antiprotons
- The PBH contribution is more relevant than the secondary one below 3 GeV/n, but it is far from GAPS and AMS-O2 sensitivities, even accounting for solar modulation effects
- If antideuterons were to be detected, they could not be explainable by PBHs only as BSM physics



$$egin{aligned} \mu_c &= 10^{15} g \ & \sigma = 1 \ &
ho_{ ext{PBH}} = 5.2 imes 10^{-11} ext{ GeV cm}^{-3} \end{aligned}$$

M. Di Mauro, et al., 2411.04815 T. Aramaki et al., Appl. Phys. 74 (2016) 6 T. Aramaki, et al., Physics Reports 618 (2016) 1



CONCLUSIONS

We revisited the CR antiproton and antideuterons signatures from PBH evaporation in the Galaxy





We **improved previous calculations** w/ lognormal PBH mass distribution, updated Galactic propagation parameters, the most recent AMS-O2 \bar{p} data & a sophisticated statistical analysis

We cast **competitive bounds** with antiprotons on f_{PBH} in the asteroid mass range





We estimated that if one or more **antideuterons** were to be measured by AMS-O2 or by GAPS, they would clearly be a signal of new physics, but **not completely expainable with PBH emission**



THONKS FOR YOUR CONCLUSIONS QUESTIONS?

We **revisited** the **CR antiproton and antideuterons signatures from PBH** evaporation in the Galaxy



2

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BACKUP

See M.R. Mosbech et al., SciPost Phys. 13 (2022) 100 for a more in-depth discussion.

We define

$$g(r, z, M_{\rm in}) \equiv M_{\rm in} \frac{\mathrm{d}n_{\rm PBH}}{\mathrm{d}M_{\rm in}} = M_{\rm in} \frac{\mathrm{d}^2 N_{\rm PBH}}{\mathrm{d}M_{\rm in} \mathrm{d}V},$$
 (1)

A lognormal mass distribution (at the time of the PBHs formation) follows

$$g(r,z,M_{\rm in})|_{\rm ln} = \rho_{\rm PBH}(r,z) \frac{\mathcal{A}}{\sqrt{2\pi}\sigma M_{\rm in}} \exp\left[-\frac{\log^2(M_{\rm in}/\mu_c)}{2\sigma^2}\right],$$
(2)

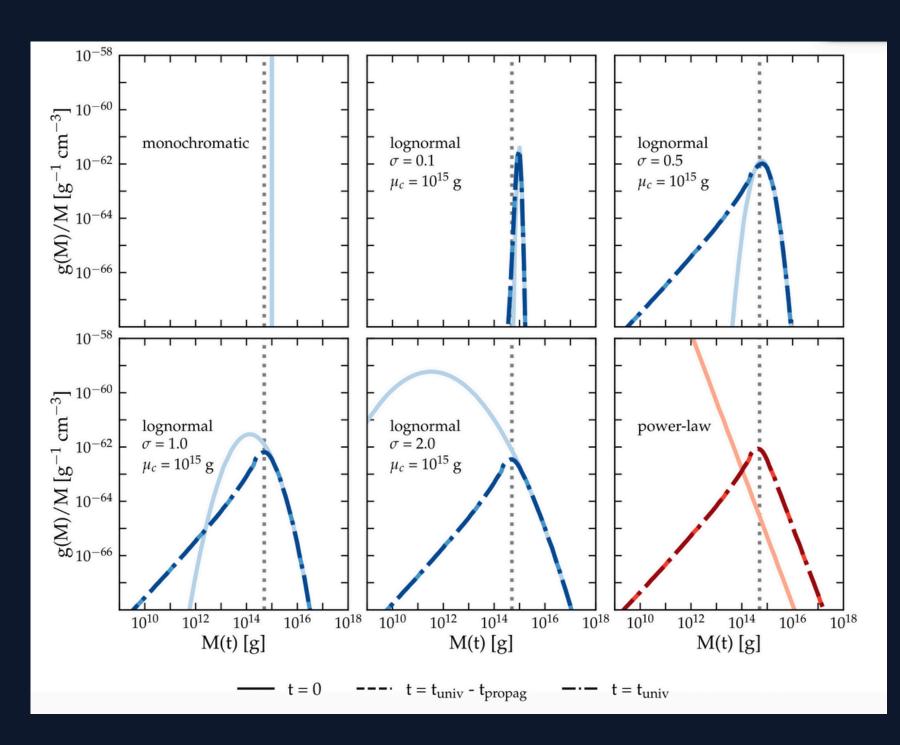
Another example is the power-law:

$$g(r, z, M_{\rm in})|_{\rm pow} = \rho_{\rm PBH}(r, z) \mathcal{A} M_{\rm in}^{-3/2}.$$
 (3)

A monochromatic (i.e. non-extended) distribution can be represented as a Dirac delta around a specific mass value.

EVOLUTION OF THE MASS DISTRIBUTION

The mass distribution will evolve through time due to the evaporation



$$\frac{\mathrm{d}n_{\mathrm{PBH}}}{\mathrm{d}M} = \frac{\mathrm{d}n_{\mathrm{PBH}}}{\mathrm{d}M_{\mathrm{in}}} \frac{\mathrm{d}M_{\mathrm{in}}}{\mathrm{d}M} = \frac{\mathrm{d}n_{\mathrm{PBH}}}{\mathrm{d}M_{\mathrm{in}}} \frac{M^2 \alpha(M_{\mathrm{in}})}{M_{\mathrm{in}}^2 \alpha(M)}, \qquad (9)$$

$$\frac{\mathrm{d}M}{\mathrm{d}t} = -\frac{\alpha(M)}{M^2},$$

SOURCE TERM OF ANTINUCLEI

$$Q_{\bar{p}(\bar{d})}(r,z,E) = \int_{M_{\min}}^{M_{\max}} dM \frac{g(r,z,M)}{M}$$

$$\times \sum_{i=g,q,W,Z,h} \int_{m_i}^{\infty} dE_i \frac{d^2 N_i(E_i,M)}{dE_i dt} \bigg|_{HR}$$

$$\times \frac{dN_{i \to \bar{p}(\bar{d})}}{dE} (E,E_i), \tag{10}$$

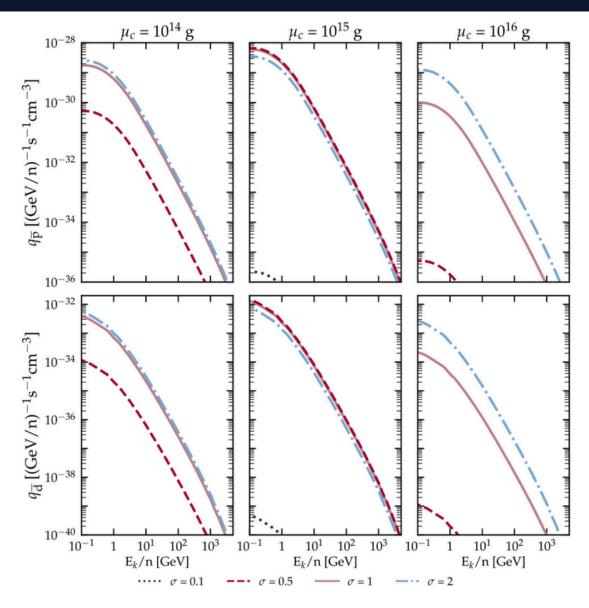


FIG. 2. The antiproton (top panels) and antideuteron (bottom panels) source spectra from PBH evaporation, as a function of the kinetic energy E_k per nucleon. The spectra have been evaluated for PBHs with a lognormal mass distribution and assuming $\rho_{\rm PBH}=10^{-32}~{\rm g~cm^{-3}}=5.6\times10^{-9}~{\rm GeV~cm^{-3}},$ for different values of the critical masses μ_c and standard deviation σ ; see the legend.

THE TRANSPORT EQUATION

$$-\left[K\left(\frac{\partial^{2}}{\partial z^{2}}+\frac{1}{r}\frac{\partial}{\partial r}\left(r\frac{\partial}{\partial r}\right)\right)-V_{c}\frac{\partial}{\partial z}\right]n+2h\delta(z)\frac{\partial}{\partial E}\left[b(E)n-c(E)\frac{\partial n}{\partial E}\right]$$

$$=q^{\text{prim}}(E)+2h\delta(z)[q^{\text{sec}}(E)+q^{\text{ter}}(E)]-2h\delta(z)\sum_{t\in\text{ISM}}n_{t}v\sigma_{\text{inel}}n.$$

Transport parameters

$$K(R) = \beta^{\eta} K_0 \left\{ 1 + \left(\frac{R}{R_1} \right)^{\frac{\delta_1 - \delta}{s_1}} \right\}^{s_1} \left\{ \frac{R}{R_0 = 1 \text{ GV}} \right\}^{\delta} \left\{ 1 + \left(\frac{R}{R_h} \right)^{\frac{\delta - \delta_h}{s_h}} \right\}^{-s_h},$$

$$K_{pp} = \frac{4}{3} V_a^2 \beta^2 E^2 \frac{1}{\delta (4 - \delta^2)(4 - \delta) K(R)}.$$
 (15)

Source and sink terms

$$q^{\text{sec}}(E) = \int_{E'_{\text{th}}}^{\infty} dE' \sum_{c \in \text{CRs}} \left[\sum_{t \in \text{ISM}} \left(n_t v' \frac{d\sigma_{\text{prod}}}{dE} (E', E) \right) n^c(E') \right],$$

$$q^{\text{ter}}(E) = \int_{E}^{\infty} dE' \left[\sum_{t \in \text{ISM}} \left(n_t v' \frac{d\sigma_{\text{nar}}(E', E)}{dE} \right) n(E') \right] - \sum_{t \in \text{ISM}} (n_t v \sigma_{\text{ina}}(E)) n(E),$$

+ first and second order energy redistribution terms (ionization & Coulomb losses)

+ the convective wind velocity

STATISTICAL ANALYSIS

See F. Calore et al., SciPost Phys. 12 (2022) 16 and M. Boudaud et al., Phys. Rev. Res. 2, 023022 (2020) for a more in-depth discussion.

$$-2\ln \mathcal{L}(L,\mu) = \sum_{i,j} x_i (\mathcal{C}^{-1})_{ij} x_j + \left\{ \frac{\log L - \log \hat{L}}{\sigma_{\log L}} \right\}^2, \quad (18)$$

$$LR(\rho_{PBH}) = -2 \ln \mathcal{L}(L_{min}, \rho_{PBH}) + 2 \ln \mathcal{L}(L', \rho'_{PBH}), \quad (19)$$

PBH DENSITY U.L. AT 95% C.L.

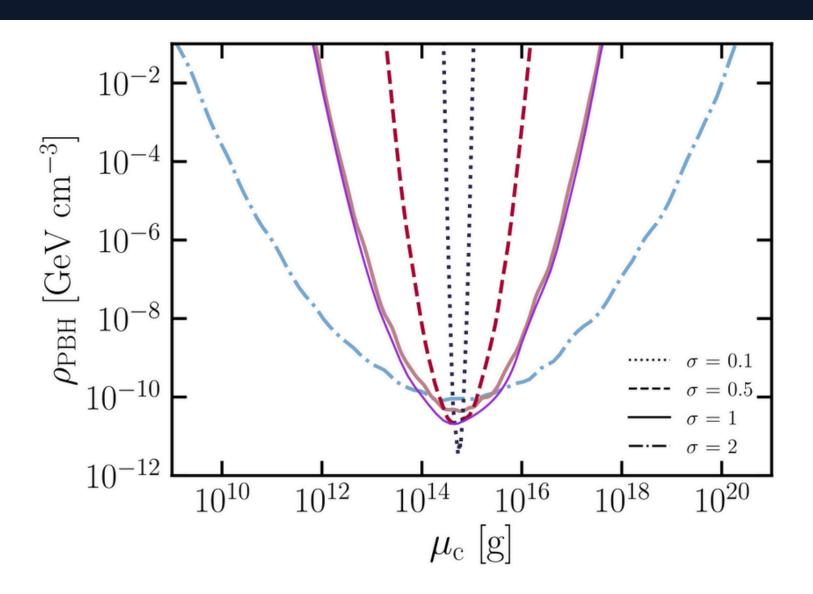


FIG. 4. Upper bounds for ρ_{PBH} as a function of μ_c , for $\sigma = 0.1$ (dotted), 0.5 (dashed), 1 (solid), and 2 (dot-dashed), after a fit on AMS-02 data [49]. The thin solid purple line denotes the future sensitivity obtained from a combined fit of AMS-02 and the simulated GAPS data [53], for $\sigma = 1$.

U.L. AT 95% ON f_{PBH}

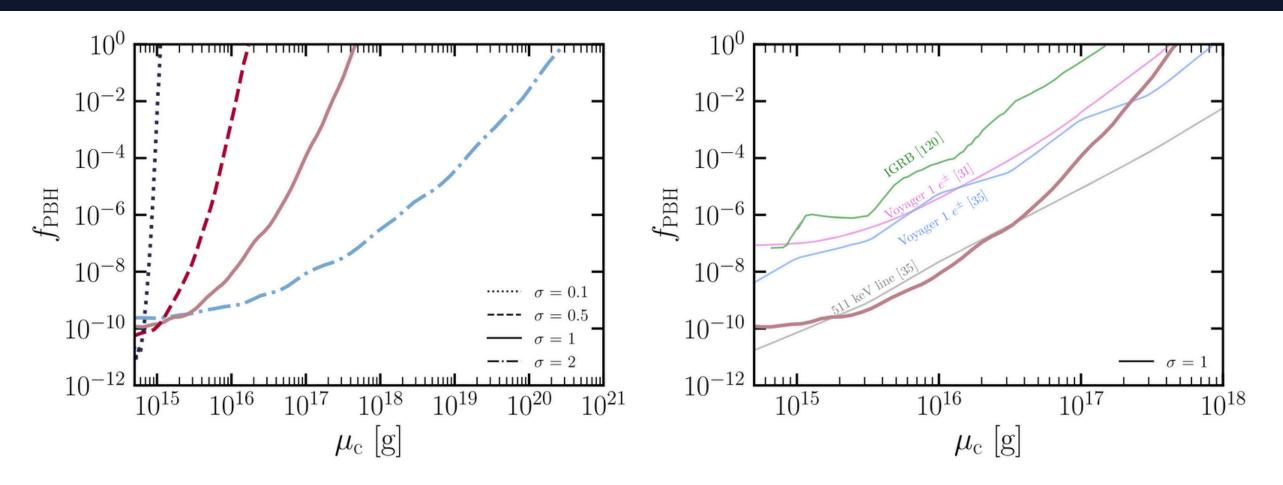


FIG. 5. Antiproton bounds on the fraction f_{PBH} of the PBH to the local DM density, ρ_{PBH}/ρ_{\odot} , as a function of μ_c . Left panel: 95% CL exclusion limits based on AMS-02 data [49] for a lognormal PBH mass distribution with width $\sigma = 0.1$ (dotted), 0.5 (dashed), 1 (solid), and 2 (dot dashed). Right panel: our result (red thick line) for $\sigma = 1$, compared with other bounds from different messengers, Voyager-1 e^{\pm} from Refs. [31,35], γ rays in the IGRB [119], and the 511 keV line [35].