

Is the Higgs boson a portal to new dark sector states?

Dark scalar reinterpretation of searches for Higgs boson decays into long-lived particles (LLPs) at the LHC, [arXiv:2509.02564](https://arxiv.org/abs/2509.02564)

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**Comunidad
de Madrid**

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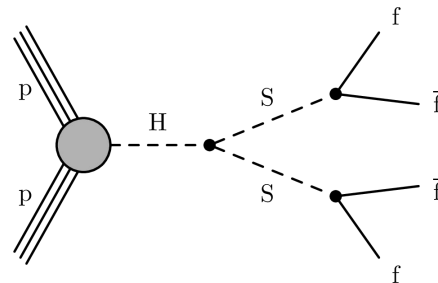
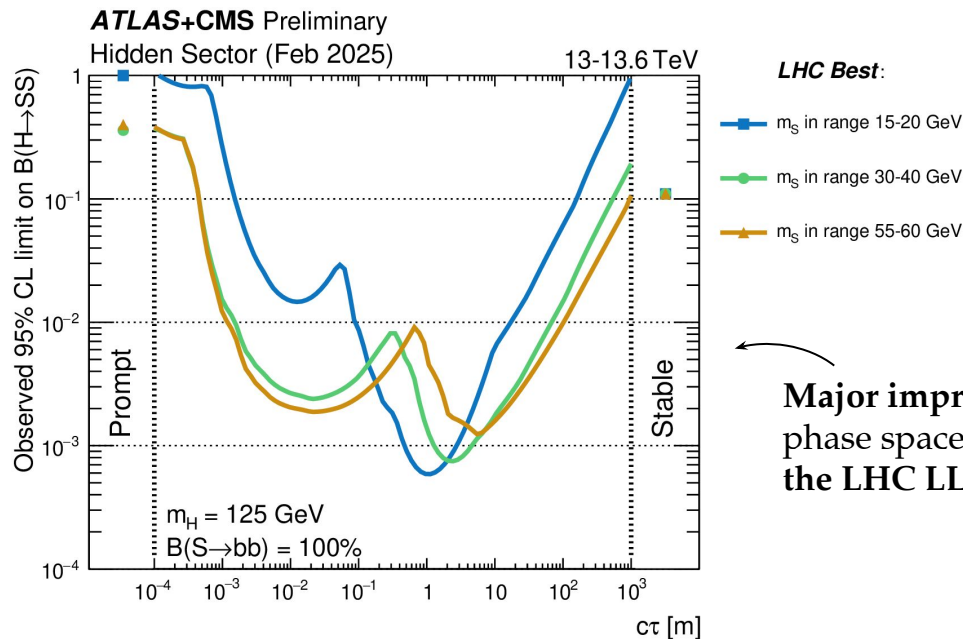


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Setting the scene: Is the Higgs a portal to new dark sector states?

The landscape of LLP searches at the LHC for $H \rightarrow XX$, where X is an LLP, **is difficult to navigate**

- No standard interpretation across searches and experiments
 - Scalar: $H \rightarrow SS$, vector: $H \rightarrow Z_D Z_D$, or in terms of final states, e.g assuming $B(X \rightarrow b\bar{b}) = 100\%$

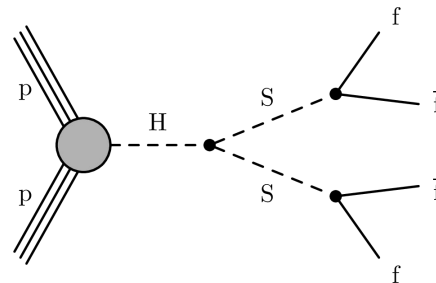
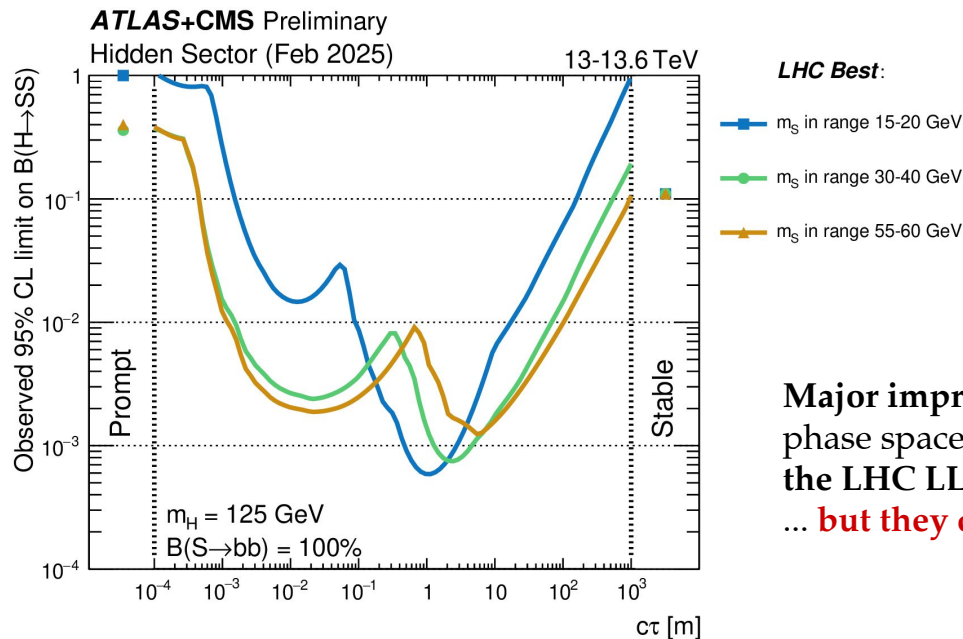


Major improvement in assessment of phase space coverage of $S \rightarrow b\bar{b}$, thanks to the LHC LLP Summaries ([ATLAS](#), [CMS](#))

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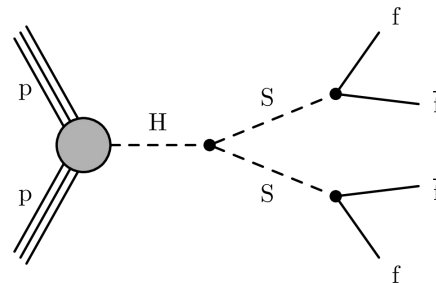
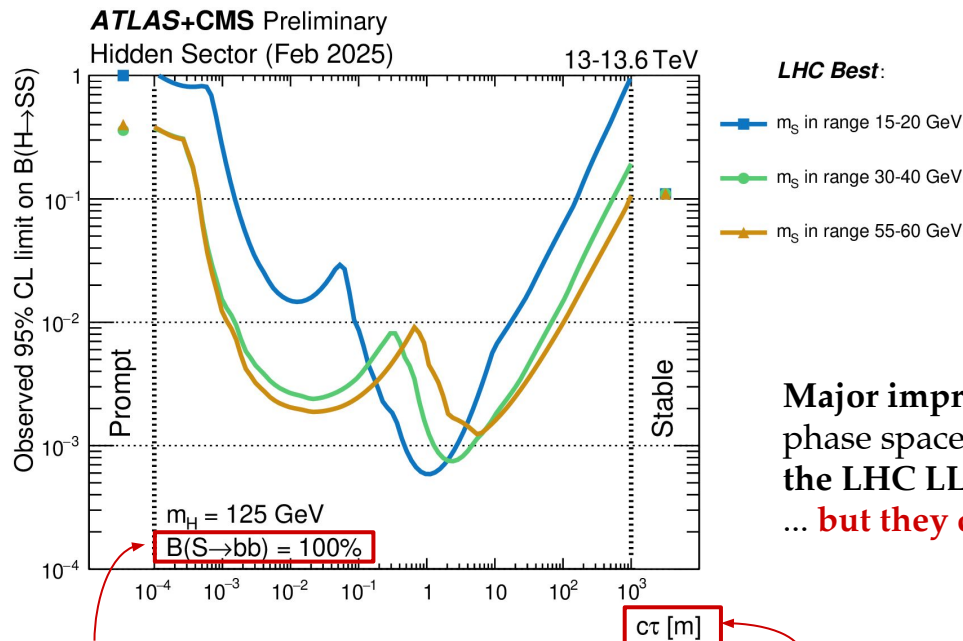


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... but they don't tell the full story

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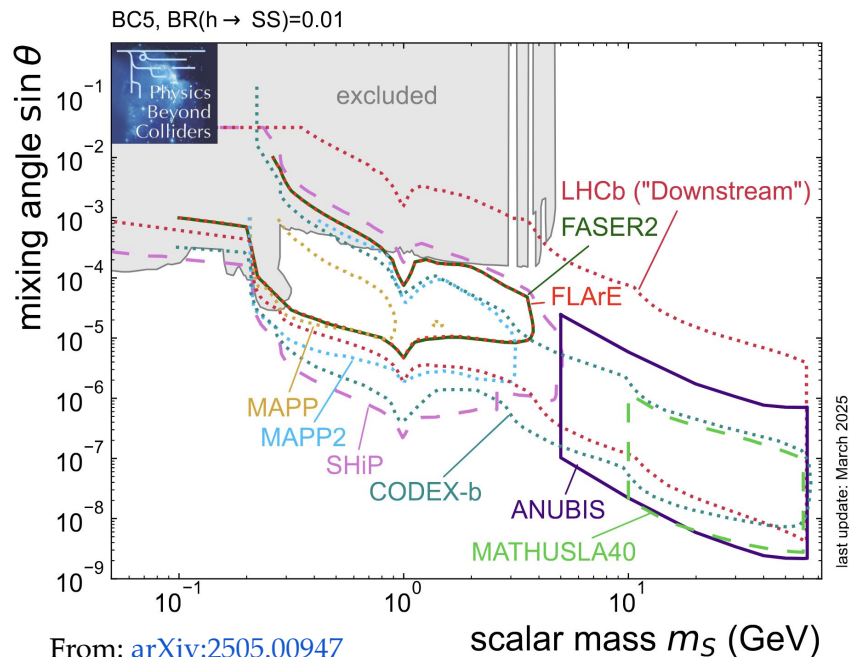
What's the interplay between decay modes?
(they are relevant for $m < 15$ GeV)

Other communities use mixing parameters
(e.g $\sin\theta$)

Setting the scene: Is the Higgs a portal to new dark sector states?

No HL-LHC extrapolations are available for *state-of-the-art* LHC Run 2 and Run 3 results

- Difficult to compare LHC constraints with those from other experiments



Where are the LHC constraints and HL-LHC projections in the BC5 plane?

(This was asked at the LHC BSM Working Group: kickoff meeting)

The methodology

In [arXiv:2509.02564](https://arxiv.org/abs/2509.02564), accepted for publication in JHEP, I addressed these questions through a **reinterpretation of selected LHC searches within the Physics Beyond Collider (PBC) BC5 model**, using HEPData



This reinterpretation **accounts for the main effect**, which is the impact of the **model's branching fraction**

- This offers a major advantage: it **avoids re-running the many analyses** performed by the experimental collaborations (a full re-analysis would require significant time and resources!)
 - Implemented in a conservative way, so the **resulting limits are weaker constraints than those from a full re-analysis**.

I am not speaking on behalf of any collaboration

- Results are based on **public information in HEPData**

BC5 model

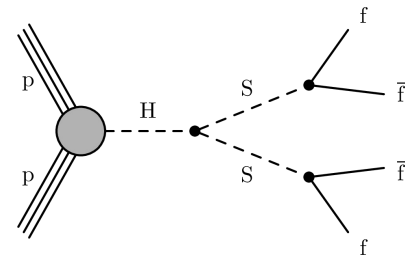
“Scalar portal” benchmark physics case, BC5: [J. Phys. G: Nucl. Part. Phys. 47 010501](#)

$$\mathcal{L}_{\text{scalar}} = \mathcal{L}_{\text{SM}} + \mathcal{L}_{\text{DS}} - (\mu S + \lambda S^2) H^\dagger H ,$$

Free parameters: $\sin\theta$, $m(S)$, and λ

- λ controls the production rate, via $H \rightarrow SS$
- $m(S)$ controls $B(S)$
- $\sin\theta$ controls $\tau(S)$, e.g if $\sin\theta$ decreases, then $\tau(S)$ increases

$$\theta = \frac{\mu v}{m(h)^2 - m(S)^2} , \quad \Gamma(S) = \Gamma(S)_{\text{SM}} \sin^2 \theta ,$$



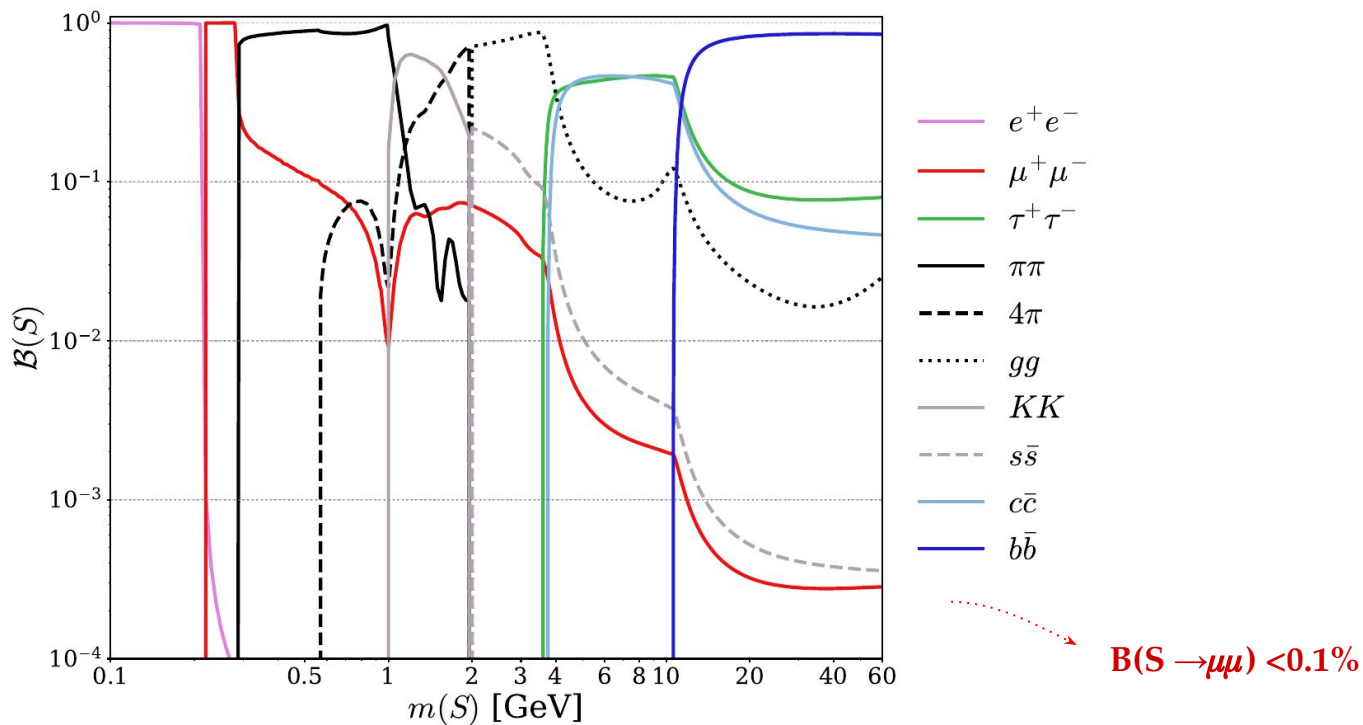
$B(S)$ and $\Gamma(S)$ provided by Maksym Ovchynnikov (co-author of [arXiv:1904.10447](#)), thanks!

Setting $\lambda = 0$ forbids $H \rightarrow SS$ (it is not discussed in this work)

BC5 model

The new light scalar, S , features Yukawa-like couplings

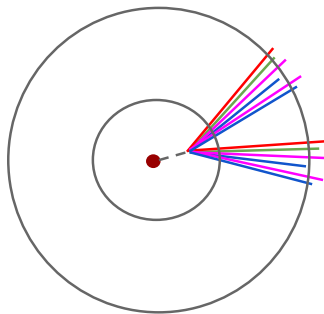
- $B(S)$ to light leptons is suppressed (otherwise leptonic searches drive all constraints)



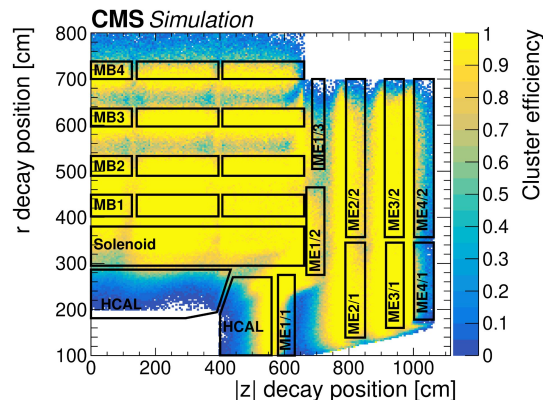
Selected LHC searches in hadronic final states

Broad set of searches targeting different $m(S)$ and final states

- $S \rightarrow b\bar{b}$ from the envelope of 'best constraints' from [ATLAS](#) and [CMS](#), the so-called 'LHC LLP Summaries'
 - $m(S) \geq 15 \text{ GeV}$
- $S \rightarrow gg, ss, cc, \tau\tau, KK, \pi\pi$ using muon detector showers, [arXiv:2402.01898](#)
 - $m(S) < 15 \text{ GeV}$



Displaced jets/vertices

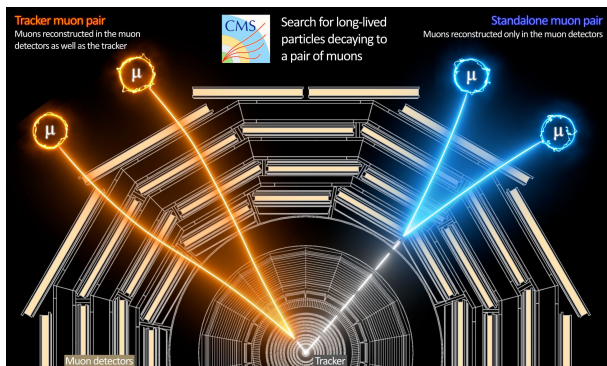


Muon detector showers

Selected LHC searches in leptonic final states

Broad set of searches targeting different $m(S)$ and final states

- $S \rightarrow \mu\mu$ from displaced vertices using the inner tracker or only the muon system, [arXiv:2402.14491](#)
 - $m(S) \geq 10 \text{ GeV}$
- $S \rightarrow \mu\mu$ at high-level trigger, the so-called “scouting datastream”, [arXiv:2112.13769](#)
 - $m(S) < 10 \text{ GeV}$



Displaced dimuons (tracker or muon system)



CMS data taking strategies

From $B(H \rightarrow Z_D Z_D)$ to $B(H \rightarrow SS)$; $S \rightarrow \mu\mu$

Displaced dimuon searches are typically interpreted in the **Hidden Abelian Higgs Model** (HAHM, [arXiv:1412.0018](https://arxiv.org/abs/1412.0018)), predicting $H \rightarrow Z_D Z_D$ with $B(Z_D \rightarrow \mu\mu) \sim 30\text{-}10\%$

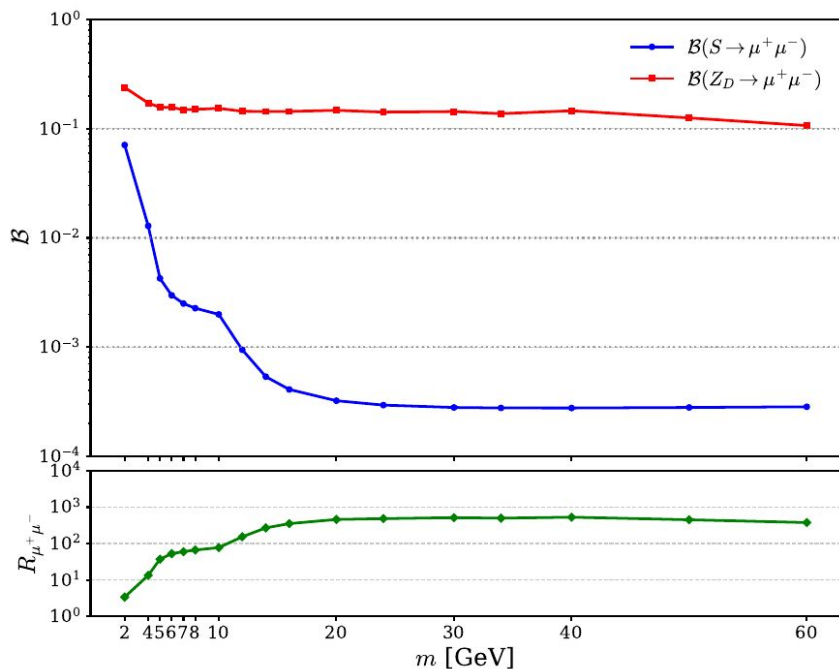
To reinterpret $B(H \rightarrow Z_D Z_D)$ as $B(H \rightarrow SS)$ one can **rescale the 95% CL published limits** by:

$$R_{\mu\mu} = \mathcal{B}(Z_D \rightarrow \mu^+ \mu^-) / \mathcal{B}(S \rightarrow \mu^+ \mu^-),$$

Main assumptions:

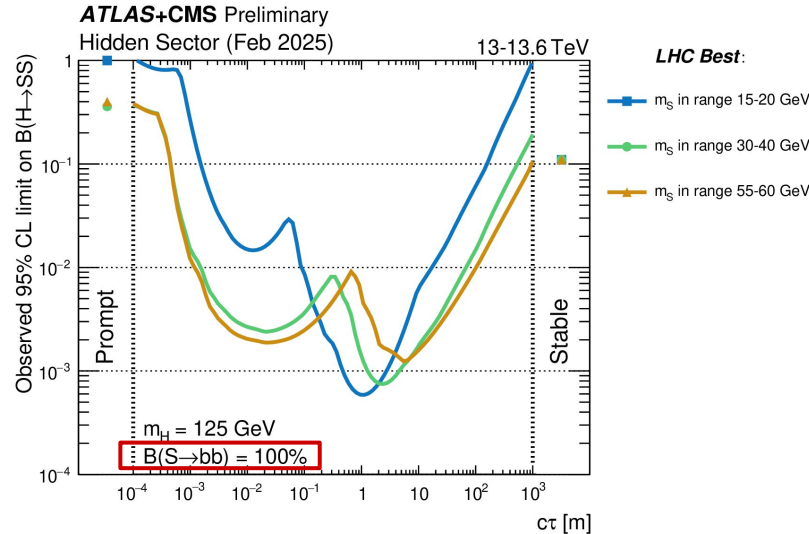
- Similar efficiencies for Z_D and S models (validated up to 20% in [arXiv:2205.08582](https://arxiv.org/abs/2205.08582))
- Differences between HAHM and BC5 in the fraction of 4μ events have a negligible impact on the efficiency
 - Since this fraction is small, the effect is subdominant

As a result, factor of $\sim 5\text{-}700\times$ weakening of limits for $m(Z_D) > 2 \text{ GeV}$



From $B(H \rightarrow XX)$ to $B(H \rightarrow SS); S \rightarrow b\bar{b}$

For hadronic searches, it's common to interpret $H \rightarrow XX$ under the assumption of $B(X) = 100\%$ into a single **final state** (especially in CMS). This is also the choice in the LLP Summaries, shown below:



Rescale the published 95% CL limits on $B(H \rightarrow XX)$ by “ $1/B(S)^2$ ” to get limits on BC5

- $B(S)$ accounts for the **final state in the original interpretation**, plus any **other final states with similar signal efficiencies**

For $m(S) \geq 15$ GeV:

$$1/B(S \rightarrow b\bar{b})^2$$

From $B(H \rightarrow XX)$ to $B(H \rightarrow SS)$; $S \rightarrow gg, ss, cc, \tau\tau, KK$, and $\pi\pi$

For $m(S) < 15 \text{ GeV}$

- The dominant S decay mode depends on $m(S)$
- QCD background increases dramatically
 - Displaced vertex results (ATLAS and CMS) are not competitive
 - Constraints come from **high-multiplicity hit cluster searches in the muon system**, [arXiv:2402.01898](#)

The search sensitivity is **largely independent of the LLP decay mode and mass**

- There is only a mild dependence on whether the shower is primarily hadronic (b^-b^+ , d^-d^+ , $K^\pm K^\mp$, $K^0\bar{K}^0$, $\pi^\pm\pi^\pm$), electromagnetic ($\pi^0\pi^0$, $\gamma\gamma$, $e^\pm e^\mp$), or mixed ($\tau^\pm\tau^\mp$)
- One can define “**R factors**”:

$$R_{\pi\pi} = 1/\mathcal{B}(S \rightarrow \pi\pi, 4\pi)^2,$$

$$R_{KK,4\pi} = 1/\mathcal{B}(S \rightarrow KK, 4\pi)^2,$$

$$R_{gg,s\bar{s}} = 1/\mathcal{B}(S \rightarrow gg, s\bar{s})^2,$$

$$R_{c\bar{c},\tau\tau} = 1/\mathcal{B}(S \rightarrow gg, s\bar{s}, c\bar{c}, \tau_h\tau_h)^2,$$

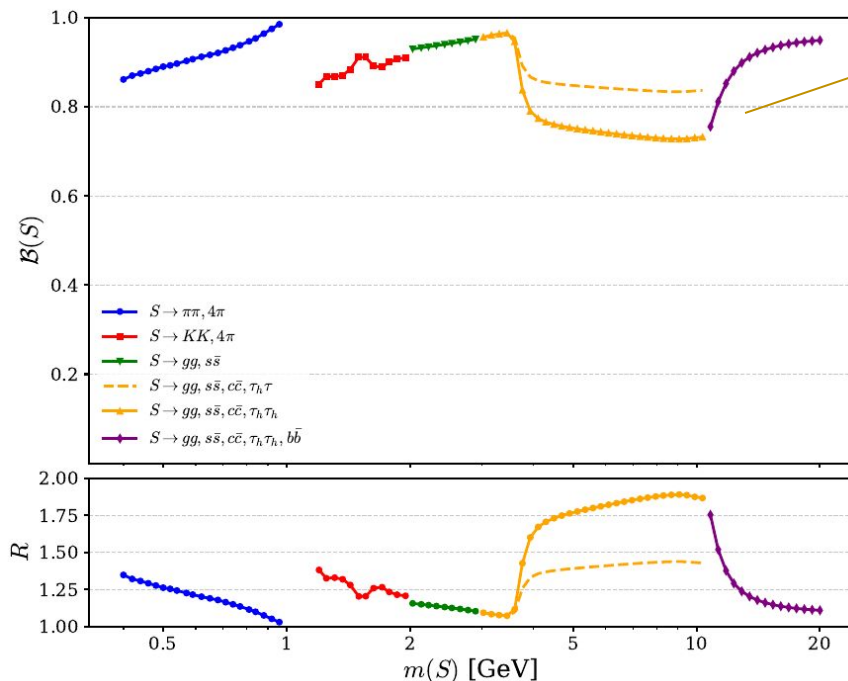
$$R_{b\bar{b}} = 1/\mathcal{B}(S \rightarrow gg, s\bar{s}, c\bar{c}, \tau_h\tau_h, b\bar{b})^2,$$

Each **R factor** accounts for the $B(S)$ that are kinematically accessible in an $m(S)$ range

From $B(H \rightarrow XX)$ to $B(H \rightarrow SS)$; $S \rightarrow gg, ss, cc, \tau\tau, KK$, and $\pi\pi$

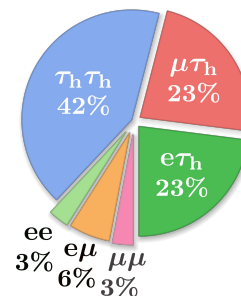
Rescale the published 95% CL limits on $B(H \rightarrow XX)$ by the corresponding “R factor”

- In most cases it is a small correction ($\sim 25\%$)



The largest correction is $R_{cc,\tau\tau}$

- It accounts for $S \rightarrow \tau_h \tau_h$, where both τ must decay hadronically



https://tikz.net/sm_decay_piechart/

A more aggressive choice would be to consider $S \rightarrow \tau_h \tau$

- It would improve the constraints at $m(S) = 7$ GeV by 28%

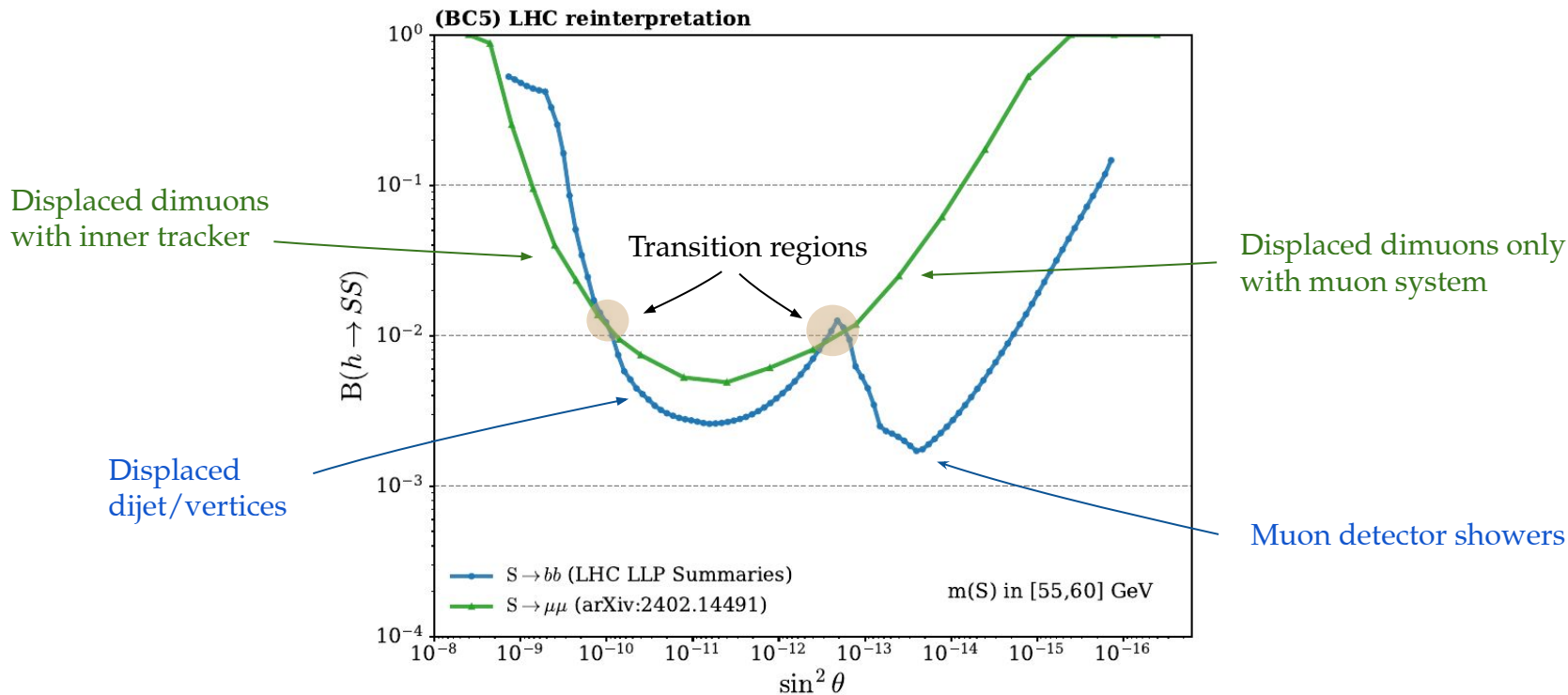
Using $R_{\mu\mu}$, R_{bb} , $R_{cc,\tau\tau}$, $R_{gg,ss}$, $R_{KK,4\pi}$, $R_{\pi\pi}$, and the published limits, one can reinterpret all considered searches

Results: High mass

$$m(S) = [55, 60] \text{ GeV}$$

Constraints driven by $S \rightarrow \mu\mu$ (in tracker and muon system), and $S \rightarrow bb$ (displaced dijet/vertices and muon detector showers)

- $S \rightarrow \mu\mu$ useful in challenging areas of the phase space (“transition regions”, and at small $c\tau$)

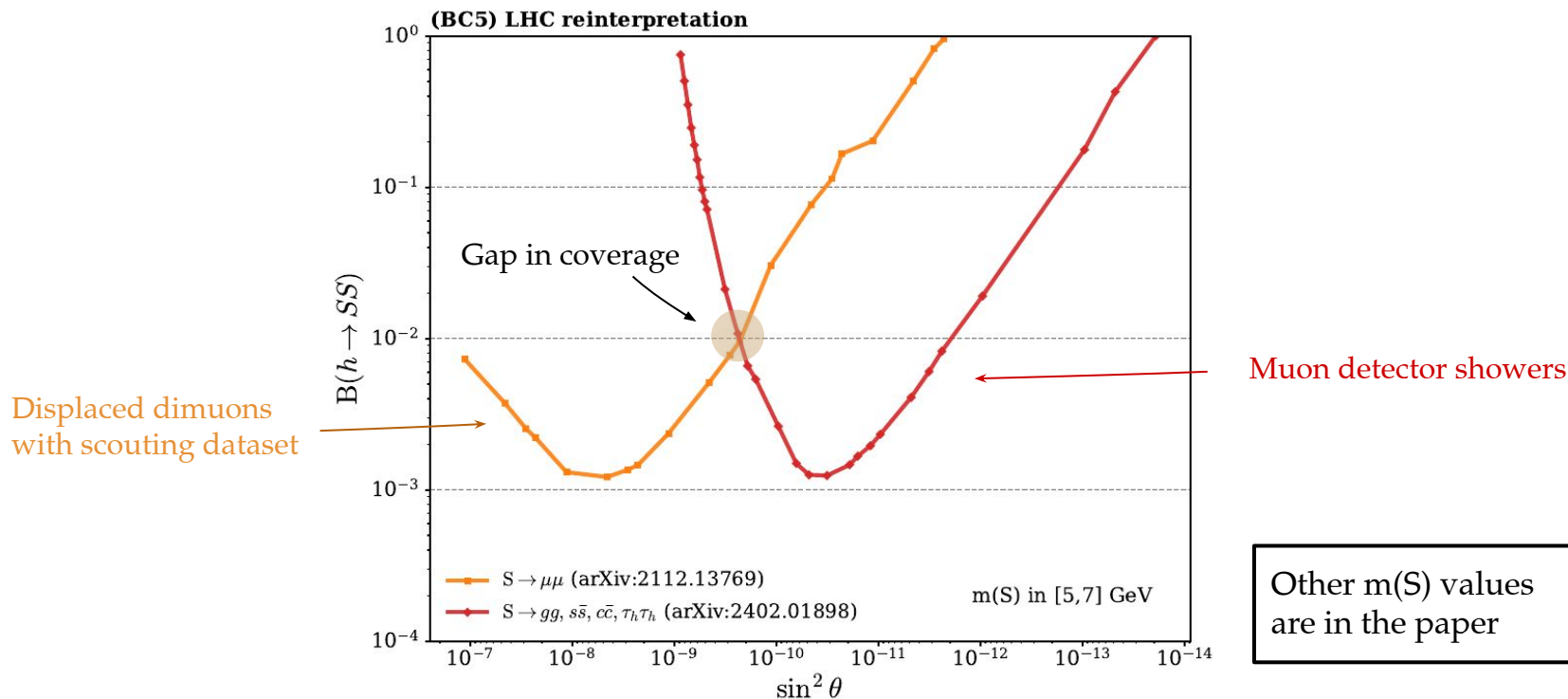


Results: Low mass

$$m(S) = [5, 7] \text{ GeV}$$

Constraints driven by $S \rightarrow \mu\mu$ (with scouting data) and $S \rightarrow gg, ss, cc, \tau\tau$ (muon detector showers)

- Strategies clearly complement each other in phase space coverage, except for the gap around $\sin^2\theta \sim 10^{-9}$ to 10^{-10}

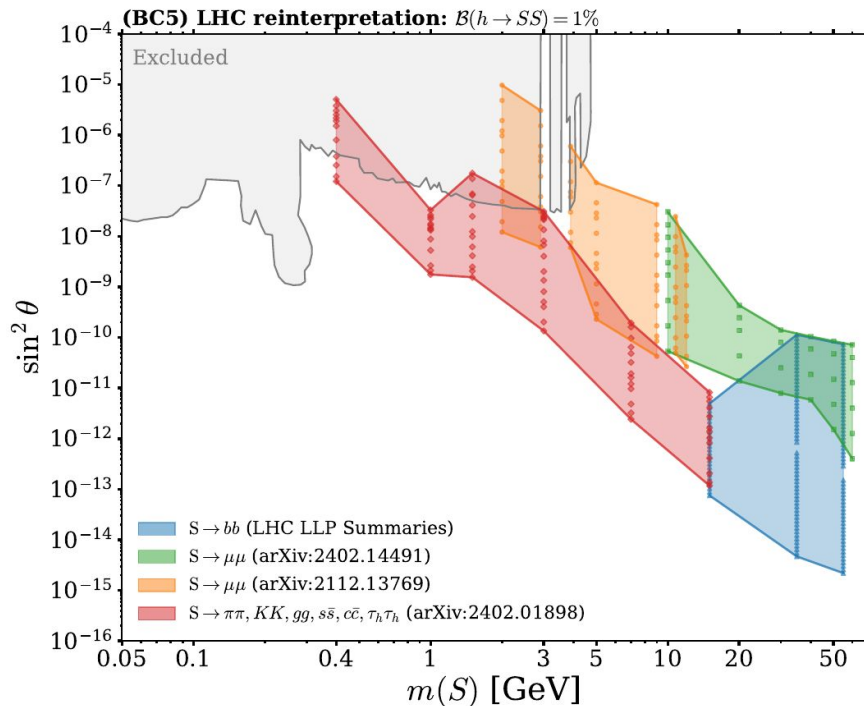


Results: LHC constraints in dark scalar portal (“BC5”)

$$B(H \rightarrow SS) = 1\%$$

Now in 2D: $[m(S), \sin^2\theta]$

- LHC covers phase space that is uncovered by other experiments (in gray)
- Searches for $S \rightarrow \mu\mu$, $S \rightarrow \mu\mu$ (with scouting data), $S \rightarrow bb$, and $S \rightarrow gg, ss, cc, \tau\tau, KK, \pi\pi$ complement each other (and they are needed to explore the BC5 plane!)

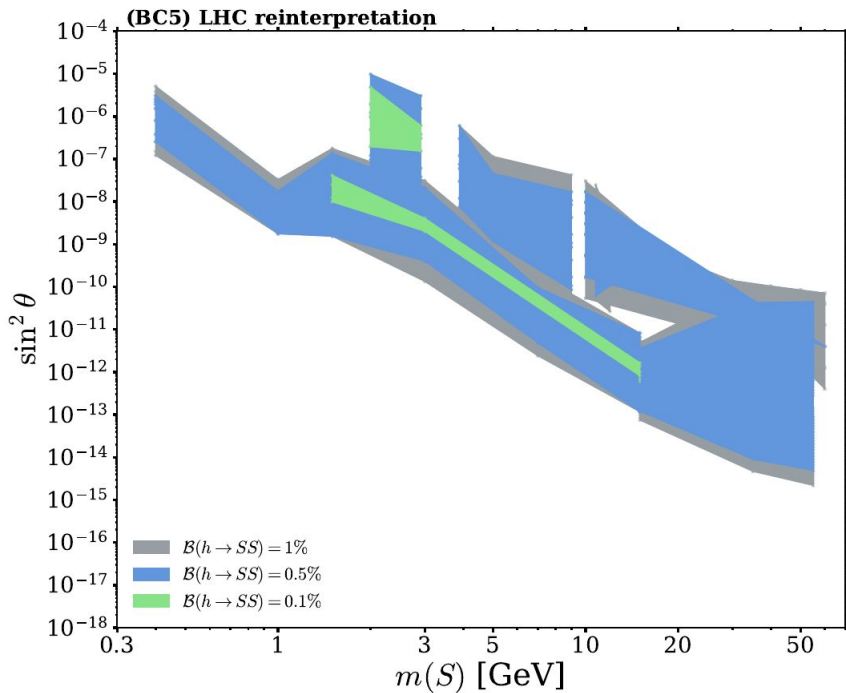


Results: LHC constraints in dark scalar portal (“BC5”)

$$B(H \rightarrow SS) = 0.1\%$$

The benchmark $B(H \rightarrow SS) = 1\%$ is driven by the expected precision on $B(H \rightarrow \text{Invisible}) \sim 2\%$ at HL-LHC

- Well motivated BSM theories also predict smaller $B(H \rightarrow SS)$
 - At $B(H \rightarrow SS) = 0.1\%$ (green), most of the parameter space remains unconstrained

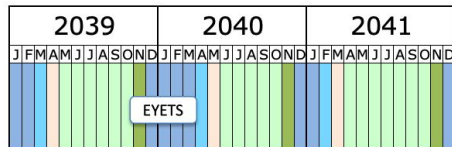
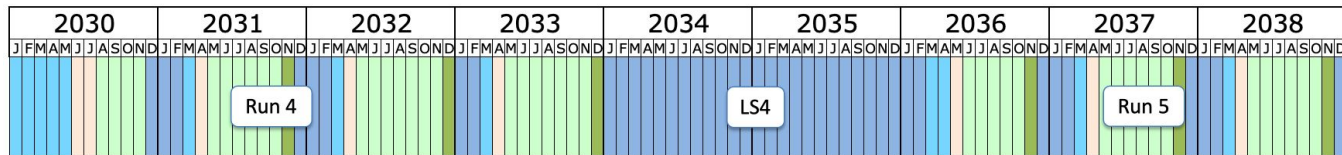


This highlights the **need for further R&D at the HL-LHC** to minimize the gaps in experimental coverage and maximize discovery potential

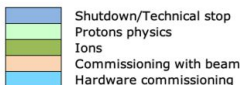
HL-LHC: What to expect?

HL-LHC: 3 ab^{-1} of data with upgraded detectors

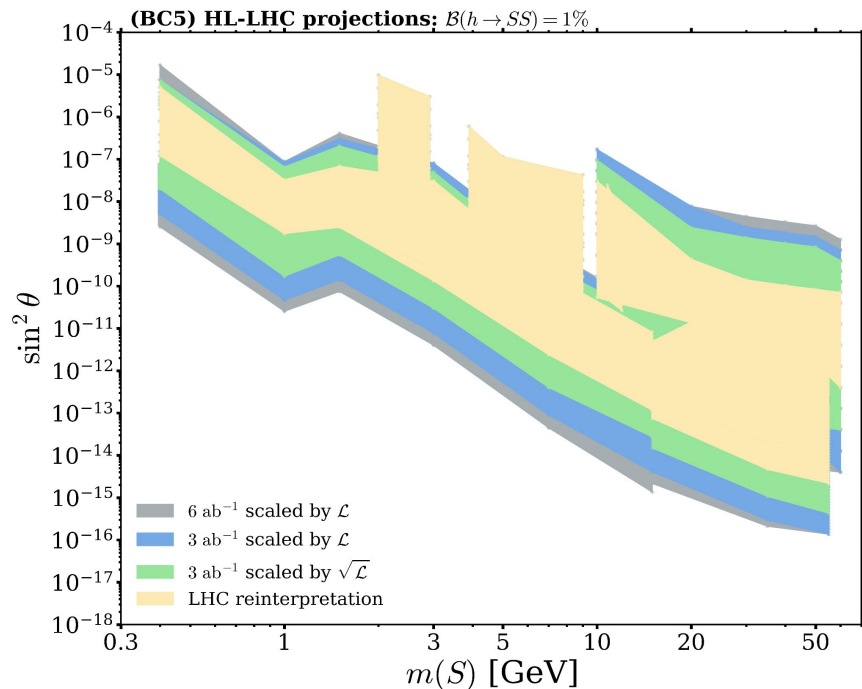
- These upgrades are expected to significantly enhance the BSM discovery potential, also for LLP searches
- **It's not trivial to do HL-LHC extrapolations for LLP searches** (field subject to lots of R&D!)
 - E.g early Run 3 searches by ATLAS and CMS have already demonstrated **increased sensitivity significantly exceeding the scaling by \sqrt{L} wrt Run 2 search**, see [[1](#), [2](#), [3](#)]



Last update: November 24



Extrapolation of current bounds, "LHC reinterpretation", under three HL-LHC scenarios



3 ab^{-1} scaled by $\sqrt{\mathcal{L}}$

- Backgrounds scale with L and no improvements in signal efficiency at HL-LHC

3 ab^{-1} scaled by L

- Backgrounds can be reduced to negligible levels thanks to HL-LHC upgrades, and new developments in analysis techniques

6 ab^{-1} scaled by L

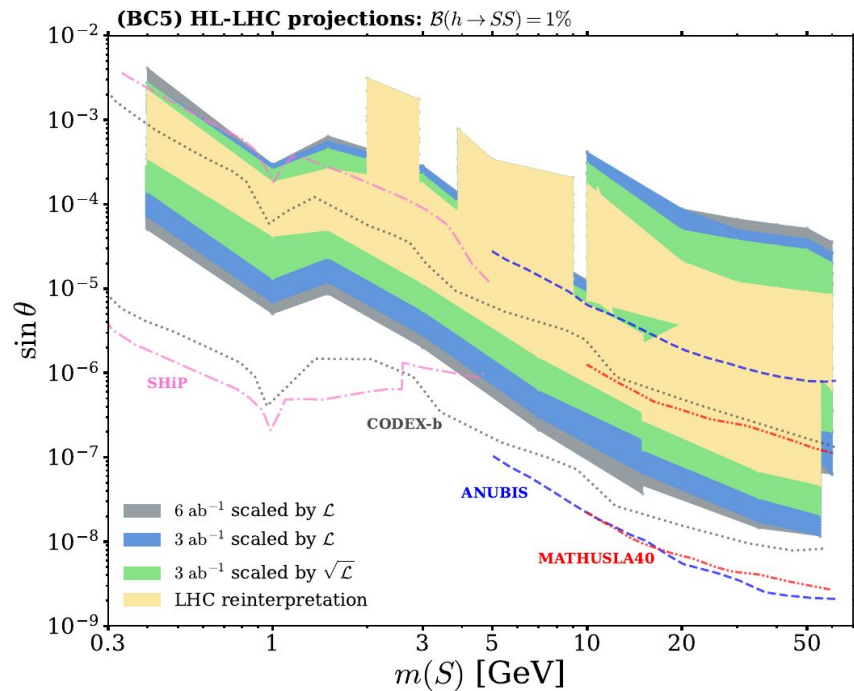
- Adds doubled signal efficiencies (e.g., from improved trigger algorithms), or a combination of ATLAS and CMS datasets

All upper limits are assumed to scale equally. However, in practice, **some search strategies have greater R&D potential than others** (this should be kept in mind when interpreting the projections)

HL-LHC: What to expect?

$$B(H \rightarrow SS) = 1\%$$

In the timescale of HL-LHC, there are proposed dedicated LLP experiments at CERN



Projections from **SHiP** (approved), CODEX-b, **MATHUSLA**, and **ANUBIS**, all taken from [arXiv:2505.00947](https://arxiv.org/abs/2505.00947), are overlaid:

- Proposed LLP experiments extend the reach in $\sin \theta$ for $m(S) > 0.4$ GeV

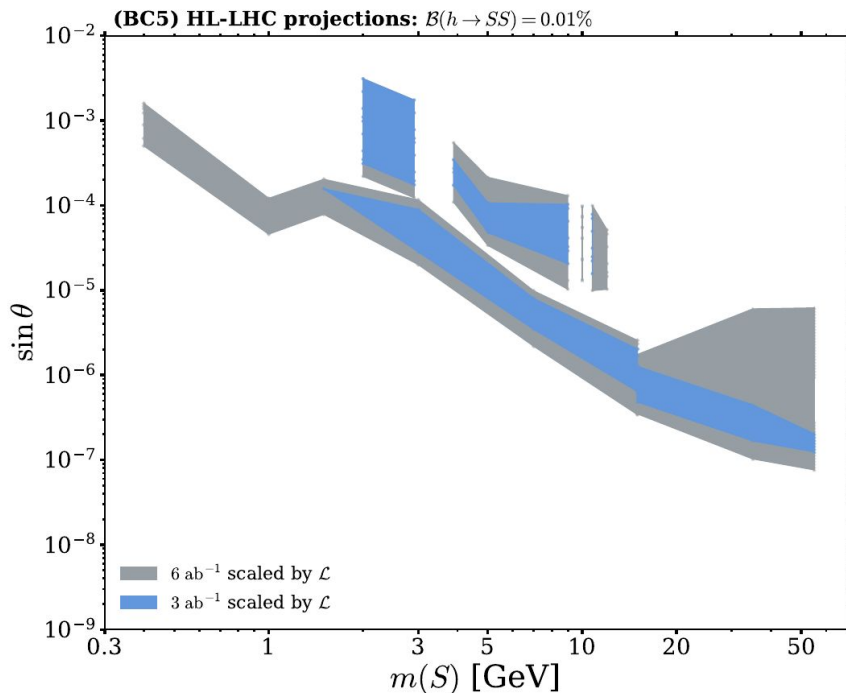
See [Carlos Vázquez Sierra's talk](#) for details on CODEX

HL-LHC: What to expect?

$$B(H \rightarrow SS) = 0.01\%$$

Let's take $B(H \rightarrow SS) = 0.01\%$ (unexplored today) to illustrate the power of the large HL-LHC dataset

- In the 3 ab^{-1} scaled by \sqrt{L} scenario \rightarrow **No new bounds** (not shown)
- The first constraints show up for 3 ab^{-1} scaled by L , and **especially for the 6 ab^{-1} scenario**

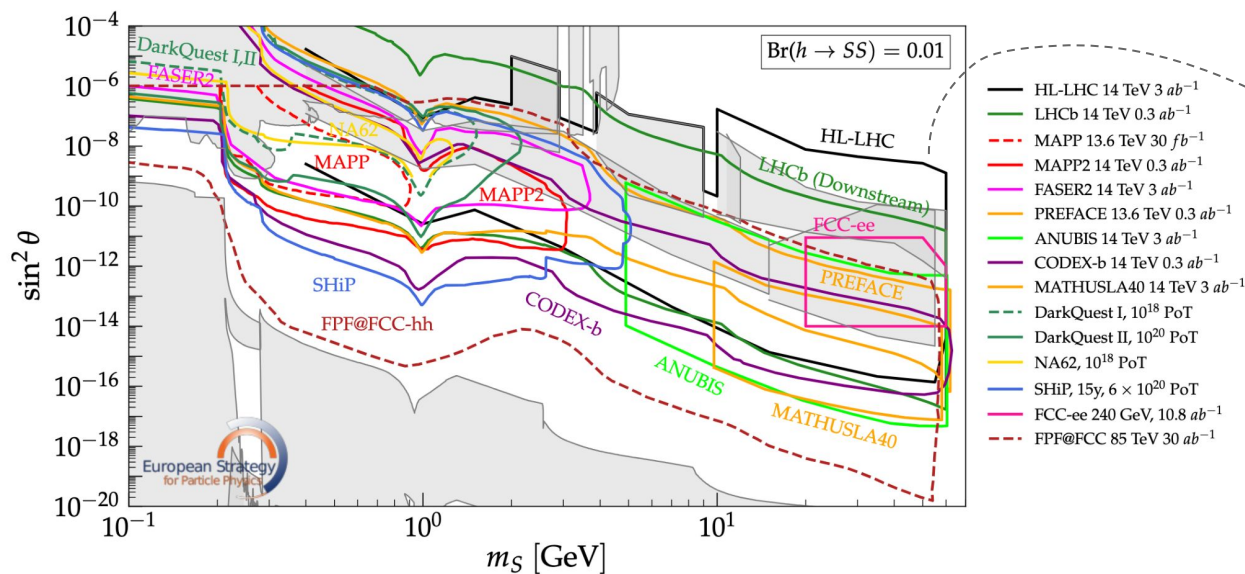


The strong dependence of the expected exclusion on the extrapolation assumptions manifests the importance of **background suppression in LLP searches, a key challenge for analyses at the HL-LHC**

Wrap up

Main results ([arXiv:2509.02564](https://arxiv.org/abs/2509.02564)):

- Searches for $S \rightarrow b\bar{b}$, $S \rightarrow g\bar{g}$, ss , $c\bar{c}$, $\tau\tau$, KK , $\pi\pi$, and $S \rightarrow \mu\mu$ are needed to explore the BC5 plane
 - Highlighted the 'gaps' in the phase-space coverage from different searches
- HL-LHC extrapolations show:
 - Proposed LLP experiments at CERN (SHiP, CODEX-b, MATHUSLA, ANUBIS) extend the reach in $\sin\theta$ in all considered scenarios
 - Background suppression will be key for ultimate sensitivity



Constraints from the LHC included in the ESPP 2026 Briefing Book, [arXiv:2511.03883](https://arxiv.org/abs/2511.03883)

Thanks!