Direct Dark Matter Searches

DAVID CERDEÑO

https://projects.ift.uam-csic.es/thedeas/

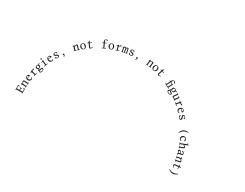






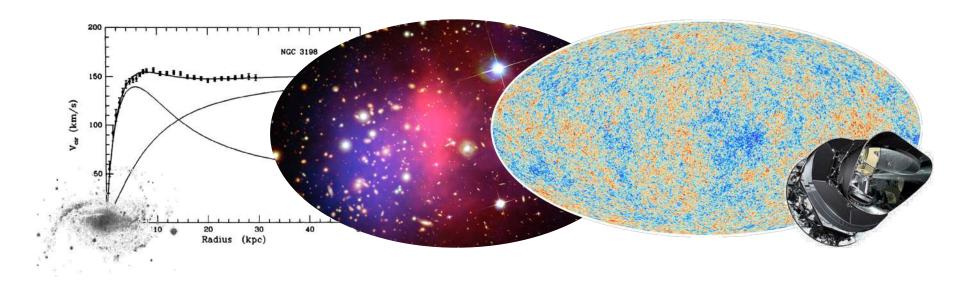


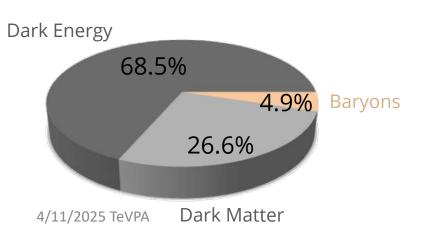




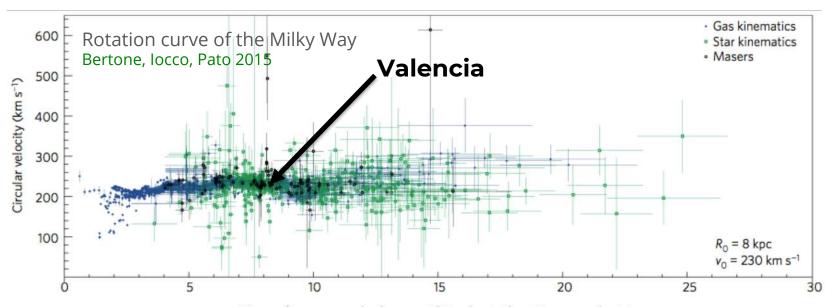
Dark Matter is a necessary and very abundant component in our Universe

We have observed its gravitational effects at different scales





A **plausible** hypothesis is that dark matter is a new type of (stable, neutral, weakly-interacting) particle



Very few people know this, but the tiny pocket in our jeans is for carrying 10 GeV of dark matter

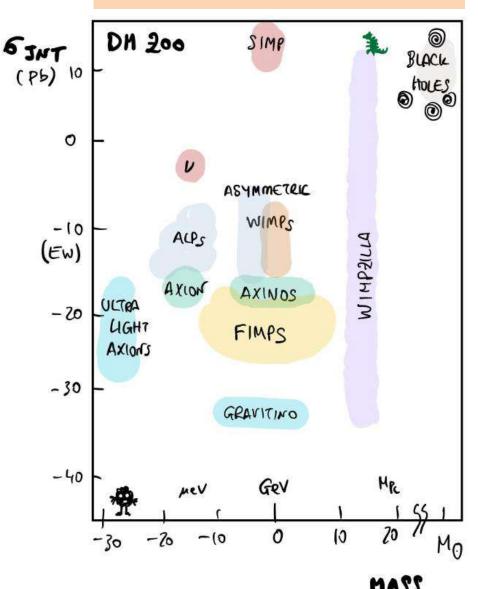


waves particles objects

There are plenty of viable candidates, which imply very different **cosmological histories**

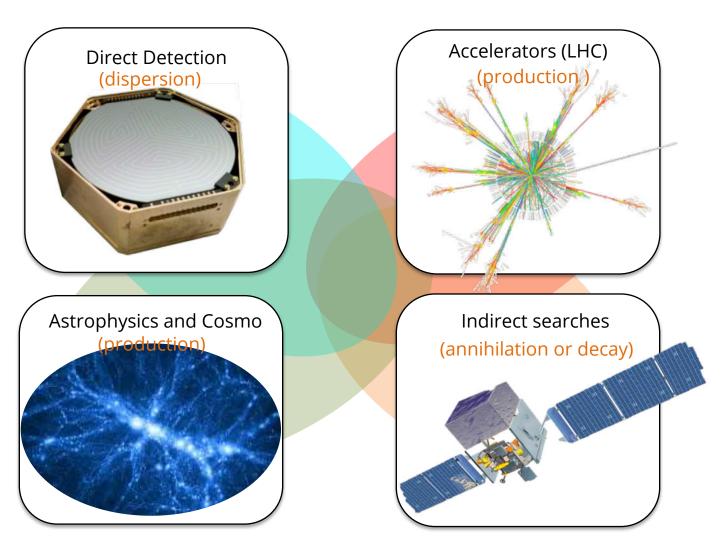
- "Thermal" candidates: WIMPs (weakly-interacting massive particles)
- Out of equilibrium production
- Axions
- Asymmetric Dark Matter
- Ultra-light Dark Matter
- Primordial Black holes

Finding the dark matter might give us information about **how the Universe** came to be



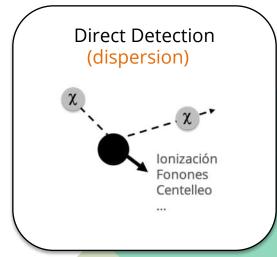
Dark matter can be searched for in different ways

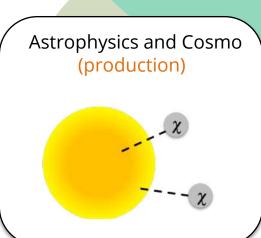
These explore **complementary** properties of dark matter particle models

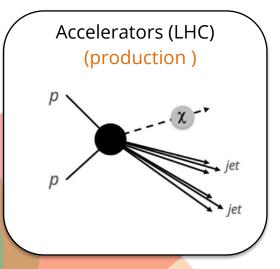


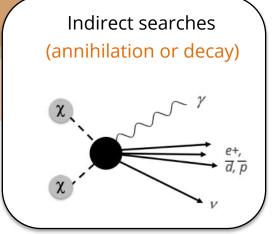
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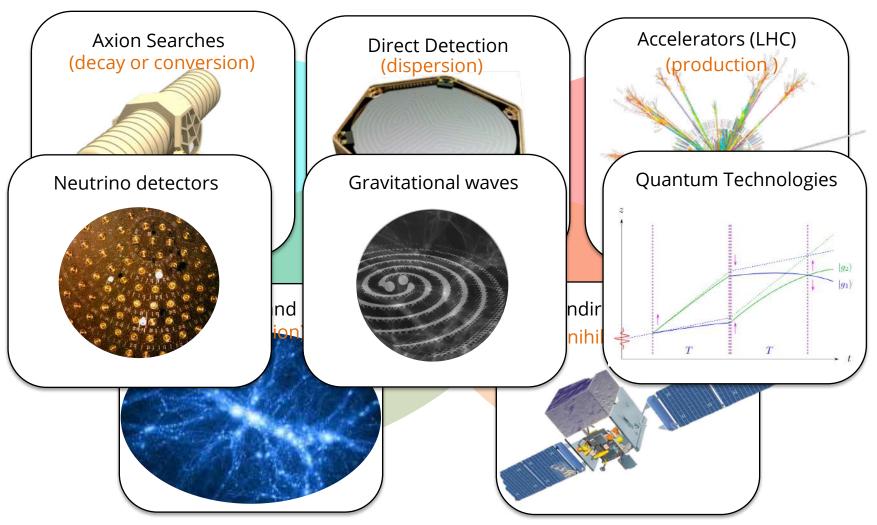




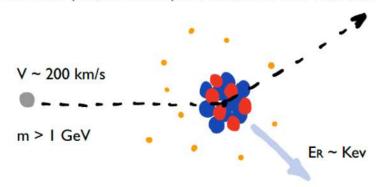




The search for DM is inextricably linked to the efforts in other areas (and benefits from advances in them)



ELASTIC (or INELASTIC) SCATTERING OFF NUCLEI

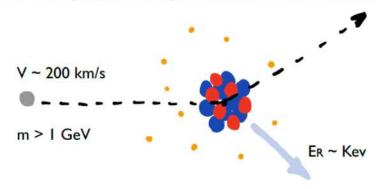


DIRECT DARK MATTER SEARCHES: What can we measure?

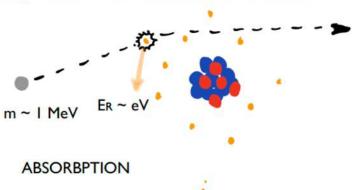
NUCLEAR SCATTERING

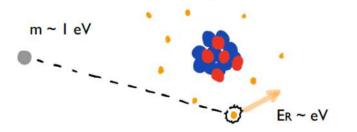
- "Canonical" signature
- Elastic or Inelastic scattering
- Sensitive to m >1 GeV

ELASTIC (or INELASTIC) SCATTERING OFF NUCLEI



INELASTIC SCATTERING WITH ELECTRONS





DIRECT DARK MATTER SEARCHES: What can we measure?

NUCLEAR SCATTERING

- "Canonical" signature
- Elastic or Inelastic scattering
- Sensitive to m >1 GeV

ELECTRON SCATTERING

Sensitive to light WIMPs

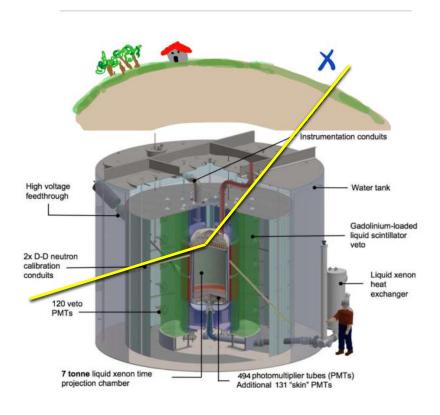
ELECTRON ABSORBPTION

Very light (non-WIMP)

Direct dark matter detection often requires large underground experiments

Expected number of events

$$N = \int_{E_T} \epsilon \frac{\rho}{m_{\chi} m_N} \int_{v_{\min}} v f(\vec{v}) \frac{d\sigma_{WN}}{dE_R} d\vec{v} dE_R$$



Scattering cross section

Particle physics (dark matter model)

Nuclear Physics (form factors)

Materials Science, solid-state physics etc (describe the structure of the target in the detector)

Conventional direct detection approach (nuclear scattering)

Expected number of events

$$N = \int_{E_T} \epsilon \frac{\rho}{m_{\chi} m_N} \int_{v_{\min}} v f(\vec{v}) \frac{d\sigma_{WN}}{dE_R} d\vec{v} dE_R$$

Particle (+ nuclear) Physics

The scattering cross section contains the details about the microphysics of the DM model Traditionally, it has been split into two components: spin-dependent and -independent

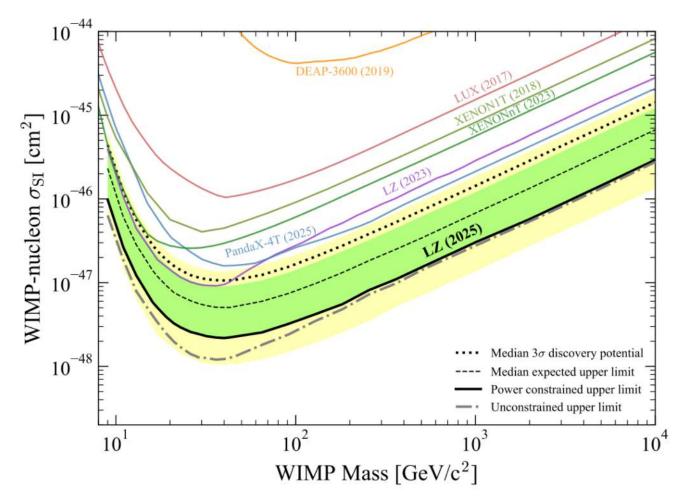
$$\frac{d\sigma_{WN}}{dE_R} = \left(\frac{d\sigma_{WN}}{dE_R}\right)_{SI} + \left(\frac{d\sigma_{WN}}{dE_R}\right)_{SD}$$

These include nuclear form factors that encode the coherent scattering with the nucleus.

If nothing is found, we derive upper limits on the scattering cross section.

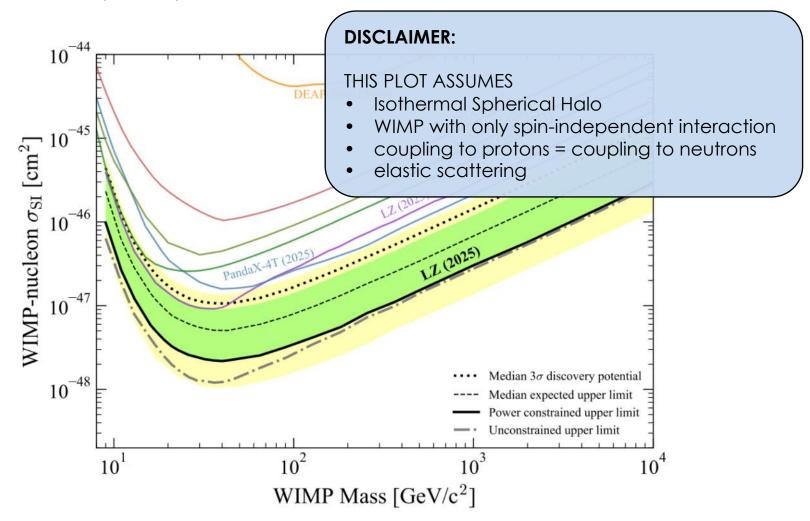
Liquid noble gas detectors are leading the search at masses above 10 GeV

Currently xenon experiments (**LZ**, **XENONnT** and **PandaX-4T**) have provided the best upper bounds on the spin-independent cross section.



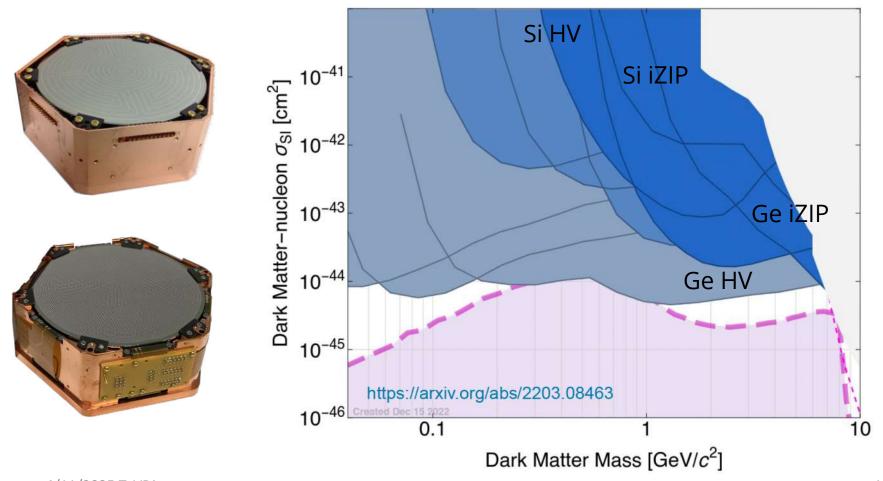
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Low-threshold experiments can look for ~ GeV scale DM

Solid state detectors (**SuperCMDS**, **Edelweiss**, **CREESST**) can have a very low threshold. Likewise, gas detectors (**NEWS-G**) can employ very light targets. This gives them sensitivity to sub-GeV DM through nuclear recoils.



Direct dark matter detection often requires large underground experiments

Expected number of events

$$N = \int_{E_T} \epsilon \frac{\rho}{m_{\chi} m_N} \int_{v_{\min}} v f(\vec{v}) \frac{d\sigma_{WN}}{dE_R} d\vec{v} dE_R$$

The scattering cross section contains the details about the microphysics of the DM model

The most general case can be described by means of an Effective Field Theory

$$\mathcal{L}_{\text{int}} = \sum_{i=1,15} c_i \chi^* \mathcal{O}_{\chi} \chi \Psi_N^* \mathcal{O}_i \Psi_N$$

$$\begin{aligned} \mathcal{O}_{1} &= 1_{\chi} 1_{N} & \mathcal{O}_{10} &= i \vec{S}_{N} \cdot \frac{\vec{q}}{m_{N}} \\ \mathcal{O}_{3} &= i \vec{S}_{N} \cdot \left[\frac{\vec{q}}{m_{N}} \times \vec{v}^{\perp} \right] & \mathcal{O}_{11} &= i \vec{S}_{\chi} \cdot \frac{\vec{q}}{m_{N}} \\ \mathcal{O}_{4} &= \vec{S}_{\chi} \cdot \vec{S}_{N} & \mathcal{O}_{12} &= \vec{S}_{\chi} \cdot \left[\vec{S}_{N} \times \vec{v}^{\perp} \right] \\ \mathcal{O}_{5} &= i \vec{S}_{\chi} \cdot \left[\frac{\vec{q}}{m_{N}} \times \vec{v}^{\perp} \right] & \mathcal{O}_{13} &= i \left[\vec{S}_{\chi} \cdot \vec{v}^{\perp} \right] \left[\vec{S}_{N} \cdot \frac{\vec{q}}{m_{N}} \right] \\ \mathcal{O}_{6} &= \left[\vec{S}_{\chi} \cdot \frac{\vec{q}}{m_{N}} \right] \left[\vec{S}_{N} \cdot \frac{\vec{q}}{m_{N}} \right] & \mathcal{O}_{14} &= i \left[\vec{S}_{\chi} \cdot \frac{\vec{q}}{m_{N}} \right] \left[\vec{S}_{N} \cdot \vec{v}^{\perp} \right] \\ \mathcal{O}_{7} &= \vec{S}_{N} \cdot \vec{v}^{\perp} & \mathcal{O}_{15} &= - \left[\vec{S}_{\chi} \cdot \frac{\vec{q}}{m_{N}} \right] \left[\left(\vec{S}_{N} \times \vec{v}^{\perp} \right) \cdot \frac{\vec{q}}{m_{N}} \right] \\ \mathcal{O}_{9} &= i \vec{S}_{\chi} \cdot \left[\vec{S}_{N} \times \frac{\vec{q}}{m_{N}} \right] & \mathcal{O}_{15} &= - \left[\vec{S}_{\chi} \cdot \frac{\vec{q}}{m_{N}} \right] \left[\left(\vec{S}_{N} \times \vec{v}^{\perp} \right) \cdot \frac{\vec{q}}{m_{N}} \right] \end{aligned}$$

Haxton, Fitzpatrick 2012

The resulting dark matter signature depends on the microphysics

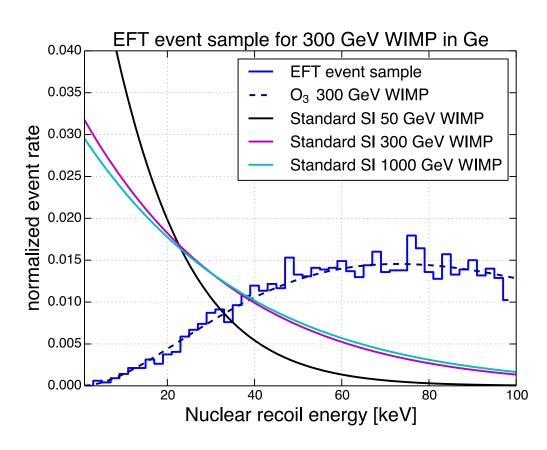
Different effective operators lead to characteristic spectra (especially if there is a momentum dependence)

Low-mass WIMPs are expected to leave more energy at small energies.

Momentum dependent interactions show a characteristic "bump"

A **low-energy threshold** is crucial to discriminate these features

Some signatures could be confused with new sources of background.



Schneck et al [SuperCDMS] 2015

The resulting dark matter signature depends on the microphysics

Different effective operators lead to characteristic spectra (especially if there is a momentum dependence)

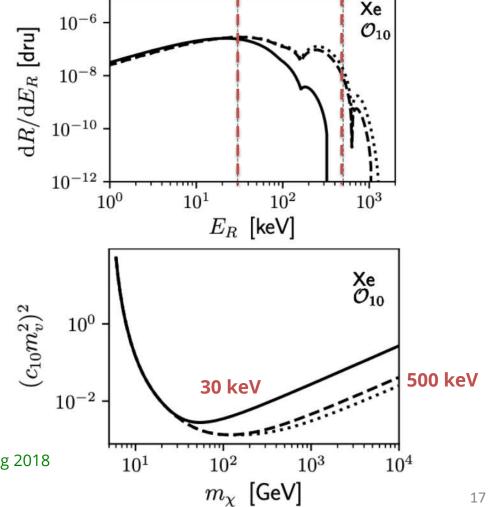
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Enlarging the **maximum energy** in the signal region allows to set better constraints (or mass reconstruction)

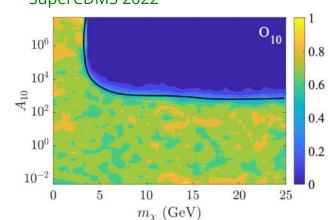
Bozorgnia, DC, Cheek, Penning 2018

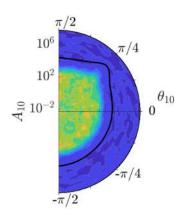


Experimental results on EFTs

SuperCDMS carried out an analysis with HV detectors (low threshold) and allowing for isospin violation

SuperCDMS 2022



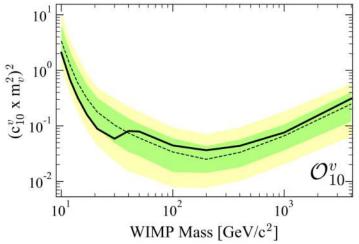


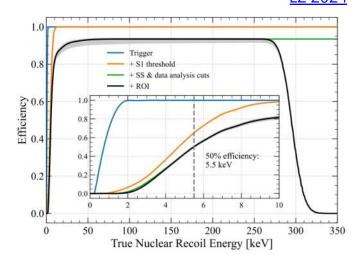
$$\sigma_1^0 = rac{A^2 m_{
m N}^2}{4\pi \langle V
angle^4 (1+A)^2} A_1$$

$$c_i^0 = A_i \sin(\theta_i)$$

$$c_i^1 = A_i \cos(\theta_i)$$

Xenon experiments (PandaX, Xenon1T) improve at large masses. **LZ** implemented the extended analysis range in energies



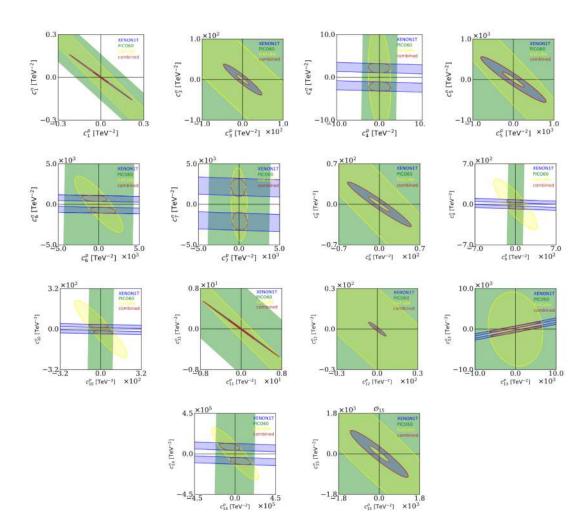


How can we deal with such a large number of parameters?

If no signal is observed:

The complementarity of different experimental targets can be used to extract better upper bounds on each of the EFT operators

This is generally done assuming contribution from only one EFT at a time (separating proton and neutron contributions)

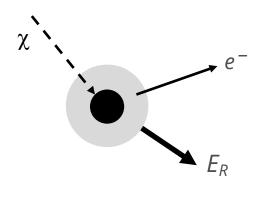


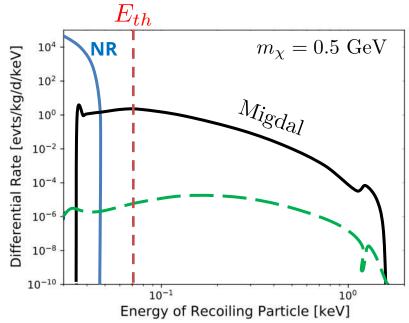
Brenner et al. 2203.04210

Migdal effect and implications for low mass DM searches

Emission of an electron (ionisation) when a neutral particle impacts a nucleus. Simultaneous signal of **electron and nuclear recoil**.

Migdal 1939; Feinberg 1941



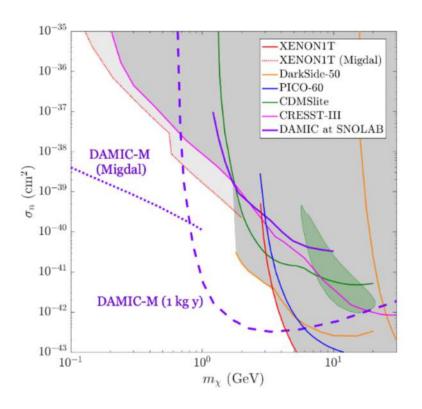


The emitted electron is easier to observe than the nuclear recoil (NR), as it is more energetic (and more easily exceeds the threshold energy)

Bernabei et al. 2007; Ibe et al. 2017; Dolan et al. 2017

It is **NOT new physics**, but it has not been observed yet.

It improves the sensitivity to low mass WIMPs!

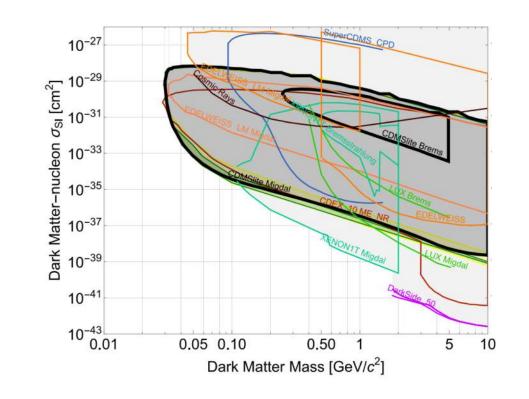


Experiments are interpreting their data using the prediction for the Migdal effect.

LUX 2019, Xenon 2019, SuperCDMS 2023 DAMIC 2023

This greatly improves the sensitivity to **low-mass WIMPs**, allowing to explore new regions!

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Experiments are interpreting their data using the prediction for the Migdal effect.

LUX 2019, Xenon 2019, SuperCDMS 2023 DAMIC 2023

This greatly improves the sensitivity to **low-mass WIMPs**, allowing to explore new regions!

If the Migdal effect is real, it is crucial to measure it and characterise it in the targets employed by DM experiments.

Otherwise we might mis-reconstruct the mass of light DM particles.

The Migdal effect is being searched for with various targets

Xenon and liquid argon can be ideal targets to observe the Migdal effect, thanks to their scintillation efficiency.

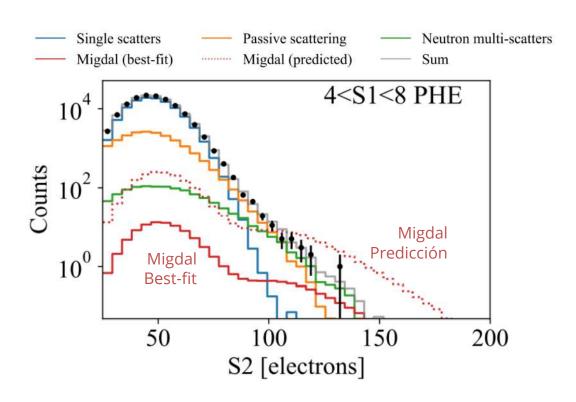
Bell et al. 2022

A recent search at the Livermore National Laboratory using XeNu TPC has not found it!

Xu et al. 2023

This could be due the electron-ion recombination in Xe (if the nuclear and electron tracks are near)...

... or to issues with the theoretical prediction.



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Bell et al. 2022

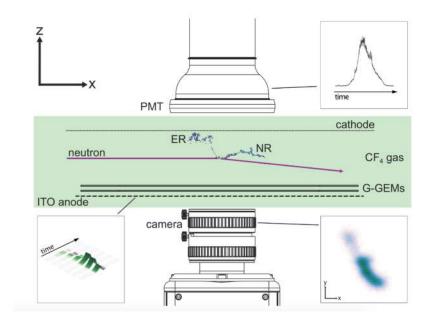
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Xu et al. 2023

The **MIGDAL** collaboration is trying to measure this effect at the Rutherford Appleton Laboratory.

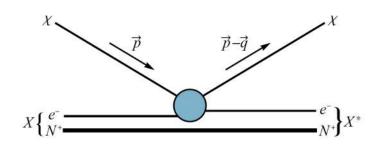
The 1st phase of the experiment is already running with a C_4F_{10} target.

A 2nd phase is planned to start in 2025 with updated primary scintillation detectors.



DM-electron scattering

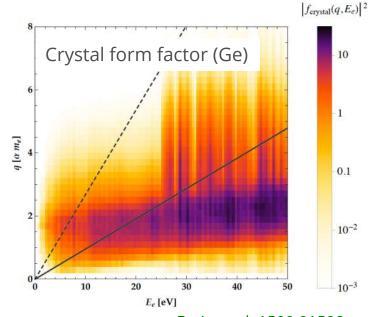
When the target is an isolated (noble gas) atom, the ionisation form factor is easier to compute. In solid state crystals, this is more complicated.



$$\frac{dR^{ER}}{dE_e} = \bar{\sigma}_e \, \frac{\rho_{\chi}}{m_{\chi}} \, \frac{1}{8\mu_{e\chi}} \int q dq \, |F_{\chi}(q)|^2 \, |f^{ion}(e, E_e)|^2 \, \eta(v_{min})$$

The Dark Matter "form factor" encapsulates the momentum dependence of the interaction

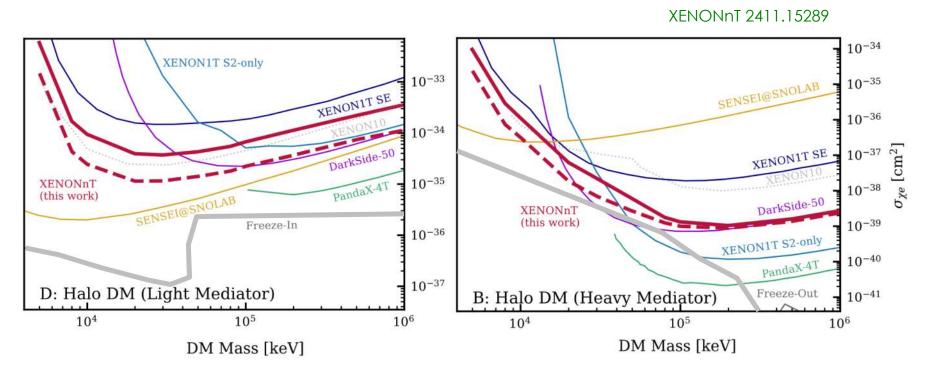
- ~1/q for low-mass mediators
- ~1 for heavy mediators



Essig et al. 1509.01598

DM-Electron interactions allow to probe keV scale DM

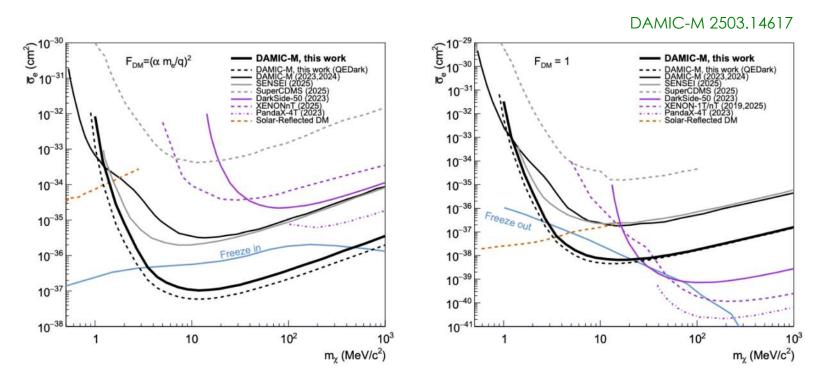
Liquid noble gas experiments (xenon and argon) can look for only scintillation S2 signal, interpreting the results as DM-electron interactions. CCD detectors (**SENSEI**, **DAMIC**, **OSCURA**). Single electron detection in **SuperCDMS** or **EDELWEISS**



These searches are starting to probe other ways of producing DM in the early Universe, namely **freeze-in** models.

DM-Electron interactions allow to probe keV scale DM

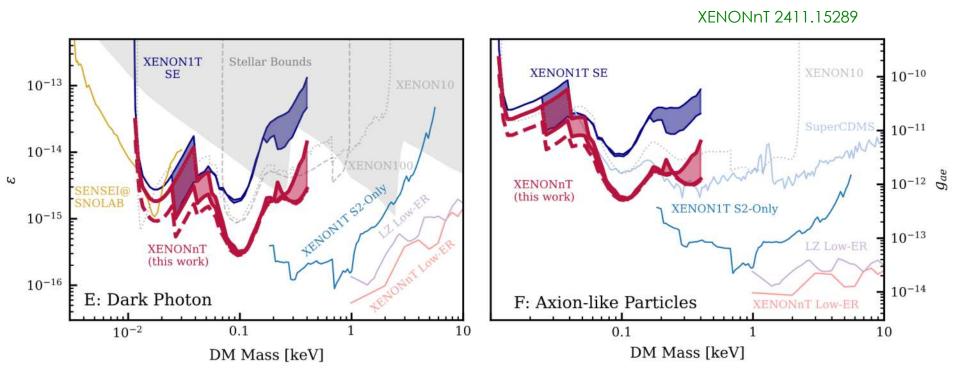
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DM-Electron interactions allow to probe keV scale DM

Liquid noble gas experiments (xenon and argon) can look for only scintillation S2 signal, interpreting the results as DM-electron interactions. CCD detectors (**SENSEI**, **DAMIC**, **OSCURA**). Single electron detection in **SuperCDMS** or **EDELWEISS**



Also dark photons or axion-like particles, which can be absorbed by atomic electrons.

Direct dark matter detection often requires large underground experiments

Expected number of events

$$N = \int_{E_T} \epsilon \frac{\rho}{m_{\chi} m_N} \int_{v_{\min}} v f(\vec{v}) \frac{d\sigma_{WN}}{dE_R} d\vec{v} dE_R$$

Dark matter halo parameters

Local density and DM velocity distribution function

Uncertainties in the halo parameters

Directionality and time-dependence (annual modulation)

Scattering cross section

Particle physics (dark matter model)

Nuclear Physics (form factors)

Materials Science, solid-state physics etc (describe the structure of the target in the detector)

Astrophysics

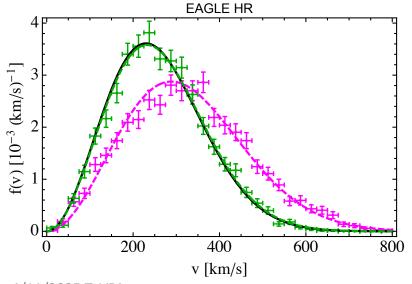
$$N = \int_{E_T} \epsilon \frac{\rho}{m_{\chi} m_N} \int_{v_{\min}} v f(\vec{v}) \frac{d\sigma_{WN}}{dE_R} d\vec{v} dE_I$$

Standard Halo Model

$$f(\vec{v}) = \frac{1}{(2\pi\sigma)^{3/2}} e^{-|\vec{v}-v_E(t)|^2/2\sigma^2} \Theta(v_{esc} - |v|)$$



Smooth, spherical, isotropic, truncated Gaussian (essentially two parameters, v_{esc} and σ)



- $egin{aligned} oldsymbol{\cdot} & ext{local DM density} \
 ho_{DM}(R_0) pprox 0.4 ext{ GeV/cm}^3 \end{aligned}$
- Velocity distribution of DM particles

Maxwellian distribution is (globally) a good fit in the Milky Way

Bozorgnia et al. 1601.04707

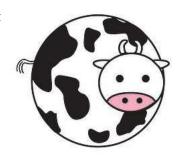
How well can f(v) be inferred from visible stars?

Attempts to use old (halo) stars

Necib, Lisanti et al. 1807.02591 Bozorgnia et al. 1810-05576

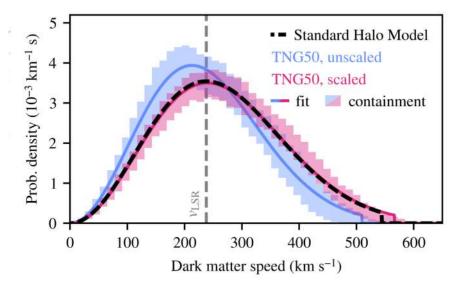
Astrophysics

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$$f(\vec{v}) = \frac{1}{(2\pi\sigma)^{3/2}} e^{-|\vec{v}-v_E(t)|^2/2\sigma^2} \Theta(v_{esc} - |v|)$$

Smooth, spherical, isotropic, truncated Gaussian (essentially two parameters, v_{esc} and σ)



Determination from hydrodynamical simulations

Uncertainties from halo variability, limitations from number of simulated haloes and extrapolation to Milky Way.

Predictions consistent with SHM with smaller uncertainties than expected.

Folsom et al. 2505.07924

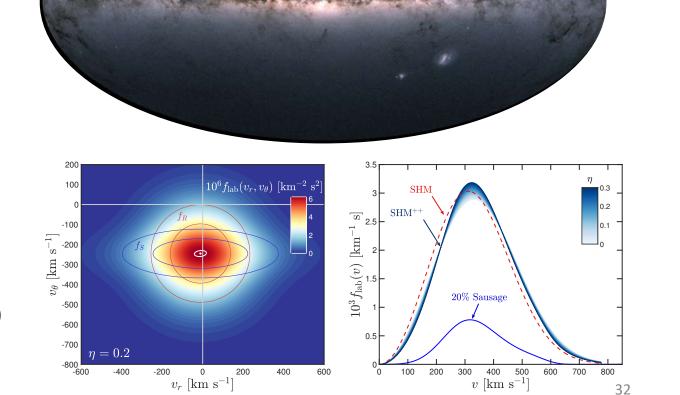
Most of what we know comes from comparing results from n-body simulations and

observations (recently from Gaia)

The positions and velocities of 2000 million stars in our Galaxy inform us about the dark matter distribution in the halo.

Several **non virialised components** have been identified that alter the DM velocity distribution function.

A Radially Anisotropic Component (sausage?)



gaia

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observations (recently from Gaia)

The positions and velocities of 2000 million stars in our Galaxy inform us about the dark matter distribution in the halo.

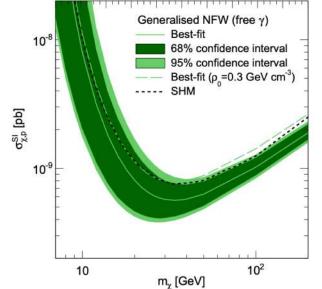
Generalis Bet

Efforts towards the construction of a <u>self-consistent</u> halo model that includes the radially-anisotropic debris.

Stanic et al. 2502.08805

Important also to compare with potential hints in indirect searches that give information on the DM density profile.

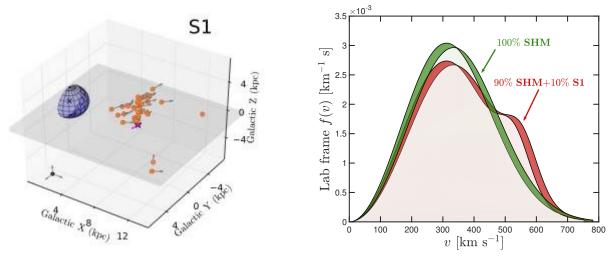
Cerdeño, Fornasa, Green, Peiró 1605.05185



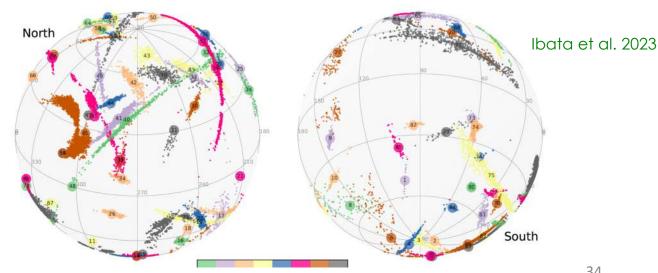
Similarly, **stellar streams** also hint at the existence of similar **dark matter** structures.

Plenty of streams identified that have an impact on the **DM** velocity distribution function

Especially important for direct detection of light particles.



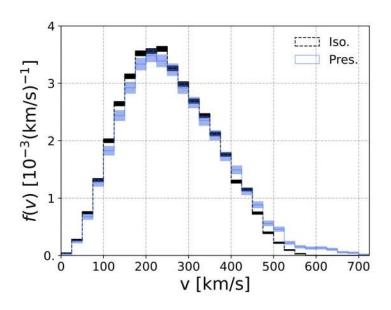
O'Hare, McCabe, Evans, Myeong, Berlokurov 2018

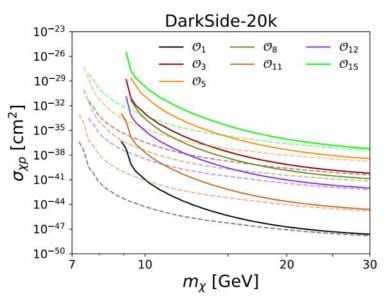


The presence of the **LMC** can also alter the DM velocity distribution function, introducing larger velocity particles and improving the detection rate of low-mass WIMPs.

Limits are affected, and can extend well below 10 GeV.

EFT operators are affected in different ways (depending on their velocity and momentum dependence).



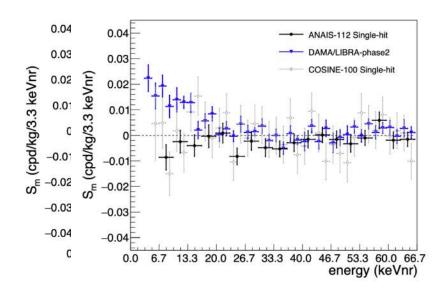


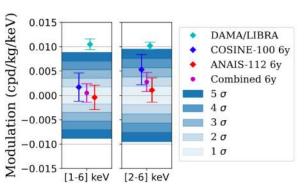
Reynoso-Cordova, Bozorgnia, Piro 2024

The DAMA/LIBRA annual modulation signature has not been confirmed

Because of the seasonal dependence of the Earth's velocity through the DM halo, one can expect an annual modulation in the number of DM events detected in direct detection experiments (with an amplitude of \sim 7%).

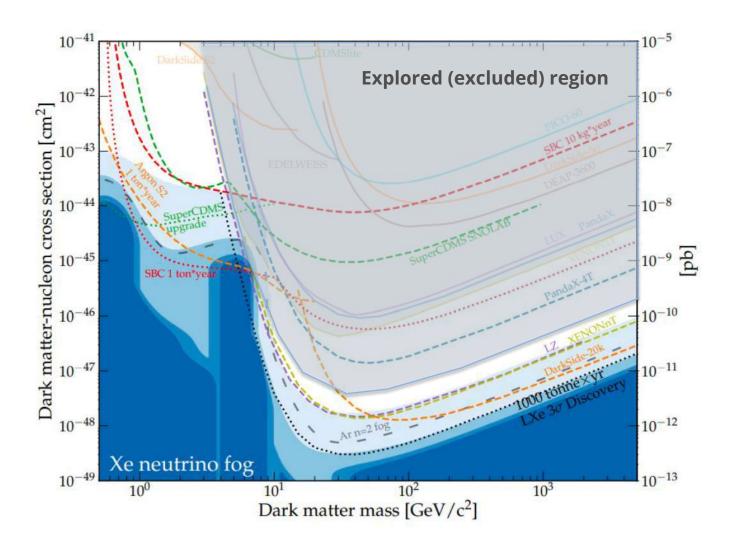
The ANAIS collaboration (NaI target) has done an excellent job in putting the DAMA/LIBRA signal to the test and virtually excluded the DM interpretation of its annual modulation.



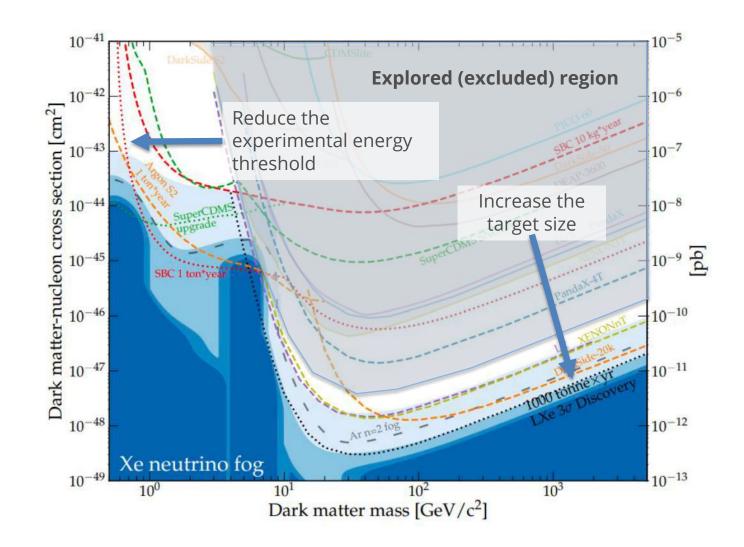


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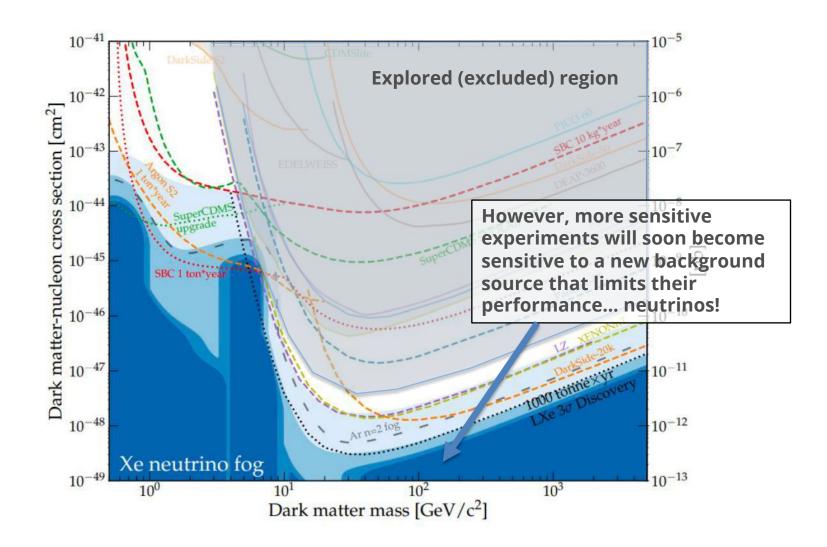
Future experiments will further explore the DM parameter space



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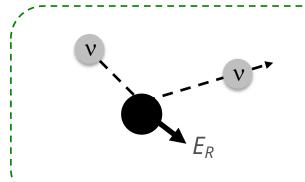


Future experiments will further explore the DM parameter space



Neutrinos can be observed in direct detection experiments:

Direct detection experiments are becoming so sensitive that they will son be able to detect solar and atmospheric neutrinos.



Coherent Elastic neutrino-Nucleus Scattering (CEvNS)

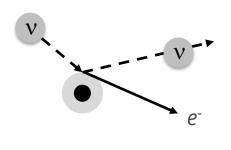
Rare Standard Model process recently measured in spallation source experiments

COHERENT Collab. 2017, 2021

Irreducible background – neutrino fog/floor

O'Hare et al 2017

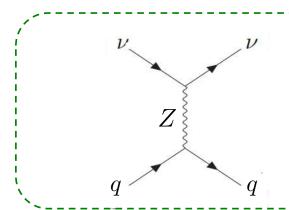
(Inelastic) electron scattering



Usual electroweak process mediated by the *Z* and *W* bosons

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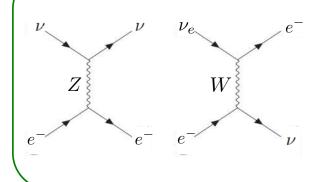
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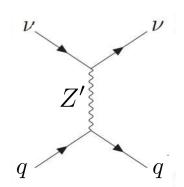
(Inelastic) electron scattering



Usual electroweak process mediated by the *Z* and *W* bosons

Expected signal in a direct detection experiment

$$N = \varepsilon \, n_T \int_{E_{\rm th}}^{E_{\rm max}} \sum_{\nu_{\alpha}} \int_{E_{\nu}^{\rm min}} \frac{d\phi_{\nu_e}}{dE_{\nu}} \, P(\nu_e \to \nu_{\alpha}) \, \frac{d\sigma_{\nu_{\alpha} \, T}}{dE_R} \, dE_{\nu} dE_R$$



Coherent Elastic neutrino-Nucleus Scattering (CEvNS)

New physics can lead to extra contributions to CEvNS

- The neutrino floor rises
- It makes it possible to observe the new low-mass mediators

$$\frac{\mathrm{d}\sigma_{\nu_{\alpha\,N}}}{\mathrm{d}E_{R}} = \frac{G_{F}^{2}\,M_{N}}{\pi} \left(1 - \frac{M_{N}\,E_{R}}{2E_{\nu}^{2}}\right) \\ \times \left\{\frac{Q_{\nu N}^{2}}{4}\right\} + \left[\frac{g_{x}\,\epsilon_{x}\,e\,Z\,\,Q_{\nu_{\alpha}}^{x}\,Q_{\nu N}}{\sqrt{2}\,G_{F}\,(2M_{N}E_{R} + M_{A'}^{2})} + \frac{g_{x}^{2}\,\epsilon_{x}^{2}\,e^{2}\,Z^{2}\,\,Q_{\nu_{\alpha}}^{x^{2}}}{2\,G_{F}^{2}\,(2M_{N}E_{R} + M_{A'}^{2})^{2}}\right\} F^{2}(E_{R})$$

$$\mathsf{New Physics}$$

Neutrino flux

$$N = \varepsilon \, n_T \int_{E_{
m th}}^{E_{
m max}} \sum_{
u_{lpha}} \int_{E_{
u}^{
m min}} rac{d\phi_{
u_e}}{dE_{
u}} \left[P(
u_e o
u_{lpha})
ight] rac{d\sigma_{
u_{lpha \, T}}}{dE_R} \, dE_{
u} dE_R$$

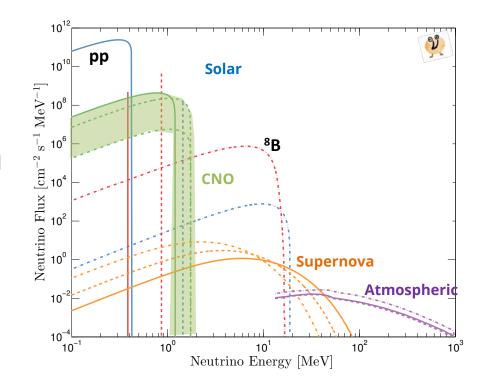
Solar neutrinos

dominate at low energy – the leading contribution is the pp chain below 1 MeV

Diffuse supernova neutrino background relevant around ~20-50 MeV. Yet undetected

Atmospheric

very energetic but with a much smaller rate



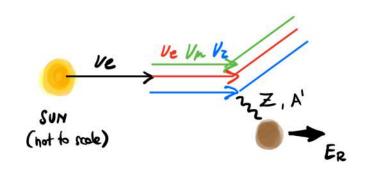
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u_e}}{dE_{
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u_e o
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ight] rac{d\sigma_{
u_{lpha\,T}}}{dE_R} \, dE_{
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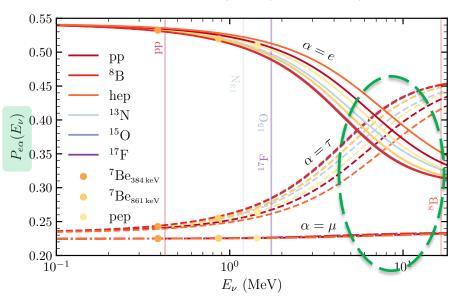
Solar neutrinos

dominate at low energy – the leading contribution is the pp chain below 1 MeV

Produced as electron neutrinos, they oscillate into other flavours



Amaral, DGC, Foldenauer, Reid 2020



Matter oscillation in solar medium dominates flavour composition reaching earth: at 10 MeV (8 B) there is **significant oscillation** into $\nu_{\mu}, \ \nu_{\tau}$

Experimental response to CEvNS

- Solar neutrinos
 dominate at low energy the
 leading contribution is the pp
 chain below 1 MeV
- Atmospheric neutrinos
 contribute at higher energies but
 at a much smaller rate
- Diffuse Supernovae
 Background
 relevant around ~20-50 MeV

Ruppin, Billard, Figueroa-Feliciano, Strigari 2014 10⁺⁰⁸ Ge 10+06 Event rate $[(ext{ton.year.keV})^{ ext{-}1}]$ 8**B** 10+02 10⁺⁰⁰ 10⁻⁰² Atmospheric 10^{-04} 0.001 0.01 0.1 10 100 Recoil energy [keV]

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 10^{+08} Ge m = 6 GeV $\sigma = 4.4 \times 10^{-45} \text{ cm}^2$ Event rate $[(ext{ton.year.keV})^{ ext{-}1}]$ 10⁺⁰⁴ 10+02 10⁺⁰⁰ 10⁻⁰² 10^{-04} 0.001 0.01 0.1 100 Recoil energy [keV]

> m > 100 GeV $\sigma \sim 10^{-47} \text{ cm}^2$

Ruppin, Billard, Figueroa-Feliciano, Strigari 2014

Direct (DM) detectors can be excellent **complementary test of new neutrino physics**

- Low energy threshold and excellent energy resolution
- Sensitive to both nuclear and electron recoils
- Sensitive to the three neutrino flavours $\;
 u_e, \,
 u_\mu, \,
 u_ au$

There have been recent claims by **XENONNT** and **PANDAX-4T** that they have data consistent with the observation of ⁸B neutrinos.

Direct detection can already set constraints on the general neutrino **non-standard interaction (NSI)** parameter space. Future direct detectors will complement information from dedicated neutrino experiments

Amaral, DGC, Cheek, Foldenauer 2023

NUCLEAR + ELECTRON SCATTERING

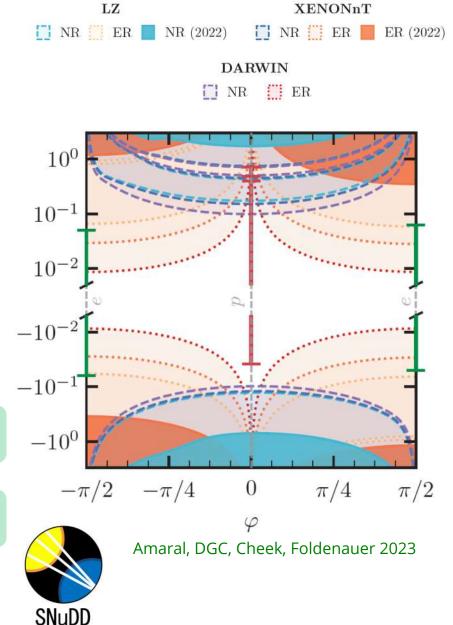
ER sensitivities drop off towards $\varphi=0$ (pure proton), whereas NR sensitivities become maximal.

Direct detection experiments have **excellent** sensitivity to ER.

Future **DARWIN** can potentially improve by an order of magnitude over current electron NSI bounds

Direct detection experiments become crucial to constrain neutrino parameters.

They will need to be included in global neutrino parameter fits.



Conclusions

Direct (DM) detectors have become very versatile probes of DM across a wide mass range.

- Liquid noble gas detectors (Xe, Ar) will continue probing the WIMP paradigm above 10 GeV
- Solid state detectors and gas TPC ideal for masses ~ 1GeV
- DM electron interactions accessible with several technologies, probe less standard cosmologies and candidates (freeze-in, axions, dark photons)

Open questions about the DM distribution and Migdal effect are relevant to properly reconstruct the DM mass.

Direct DM detectors are starting to see solar neutrinos. This is a great opportunity to test new physics in this sector.

On the computational side, there are challenges

- How to probe a potentially large parameter space
- identify the DM-nucleus (or electron) interaction
- discriminate DM from neutrinos from neutrinos and