



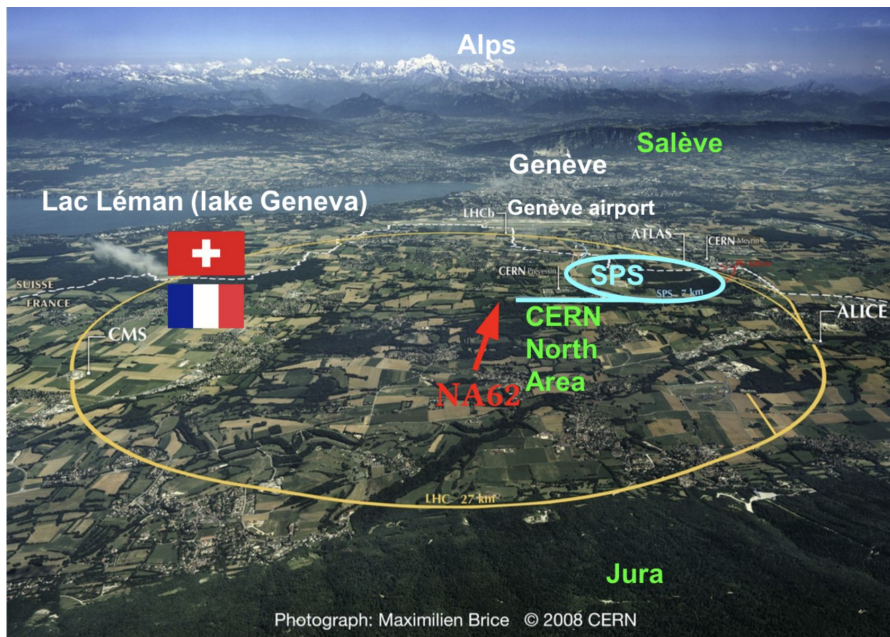
# New physics searches at the NA62 experiment



European Research Council

Established by the European Commission

Babette Döbrich  
(Max Planck Institute for Physics)  
On behalf of the NA62 collaboration



- Fixed target experiment at CERN's North Area (NA) with ~200 participants
- Main goal:** measure branching ratio

$$K^+ \rightarrow \pi^+ \nu \bar{\nu}$$

- Highly suppressed & very precisely predicted in theory, Mainly parametric uncertainty (choice of CKM)

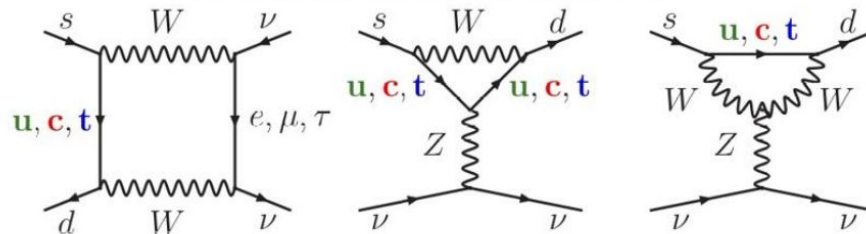
**SM** [D'Ambrosio et al. JHEP 09 (2022) 148]

$$BR(K^+ \rightarrow \pi^+ \nu \bar{\nu})_{SM} = (8.60 \pm 0.42) \times 10^{-11}$$

and [Buras et al. EPJC 82 (2022) 7, 615]

$$BR(K^+ \rightarrow \pi^+ \nu \bar{\nu})_{SM} = (7.86 \pm 0.61) \times 10^{-11}$$

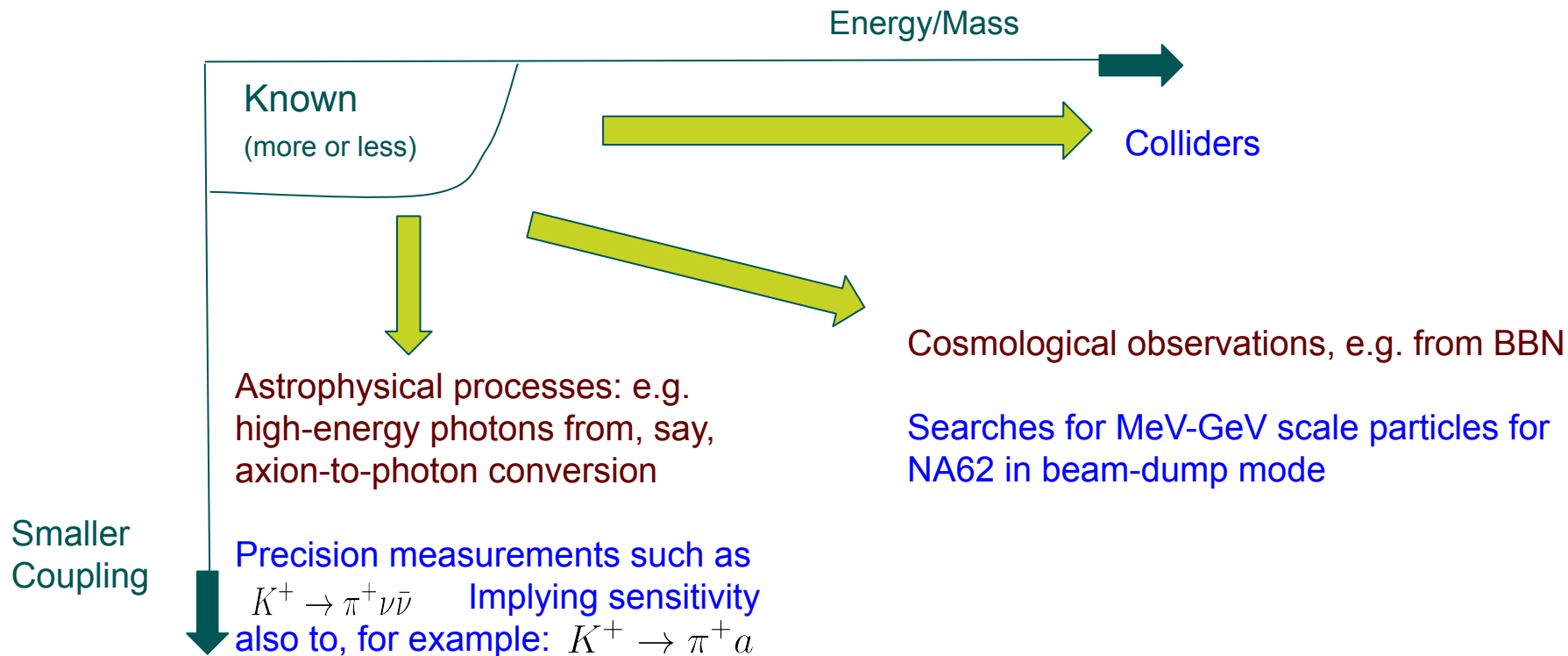
**SM: Z-penguin & box diagrams**



# TeVPA connections to particle physics (simplified picture):



where is new physics such as Dark Matter or other new particles?



## How to precisely measure

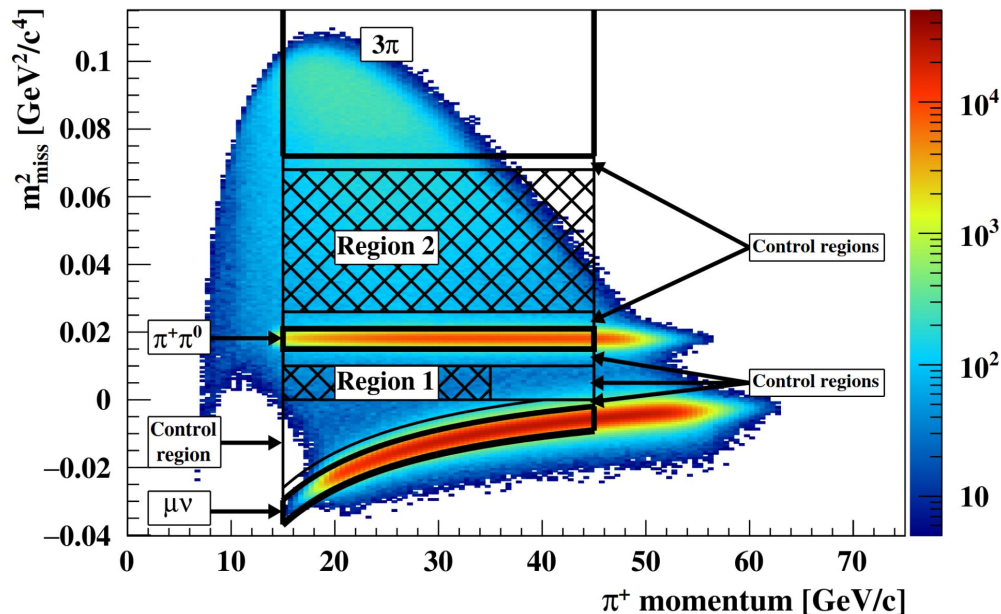
$$K^+ \rightarrow \pi^+ \nu \bar{\nu}$$

### Overall strategy

- Tag Kaon and measure its momentum
- Identify Pion and measure momentum
- Match Kaon & Pion in time & space
- Determine  $m_{miss}^2 = (p_K - p_\pi)^2$
- Reject ANY additional activity!

### What it takes

- $\mathcal{O}(100)$ ps resolution timing between detectors!
- $> 10^7$  in photon and muon rejection
- $\mathcal{O}(10^4)$  background suppression from kinematics



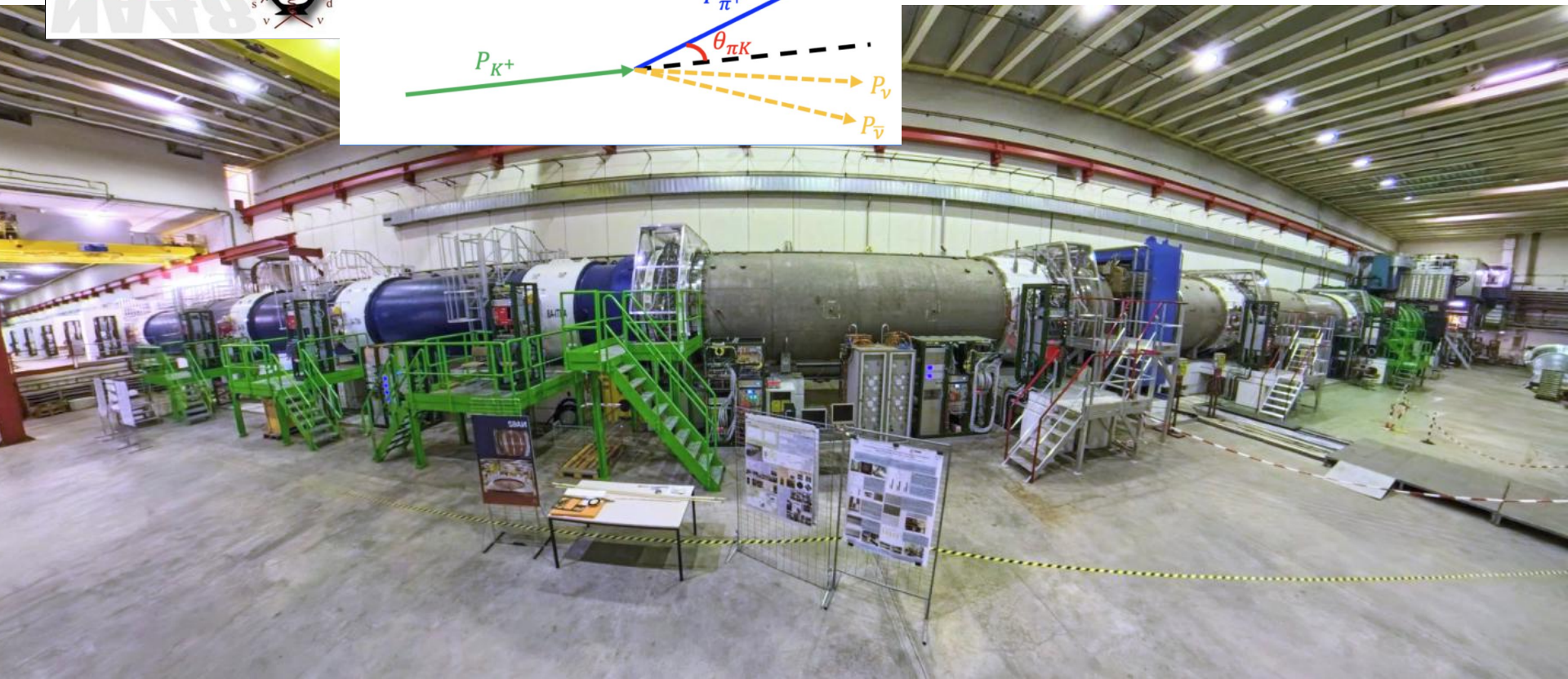
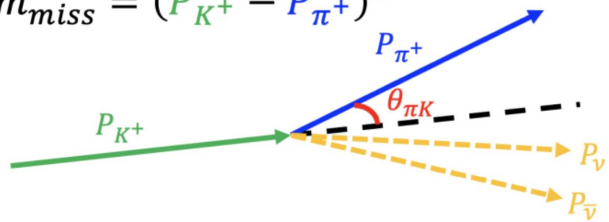
[JHEP06 (2021) 093]



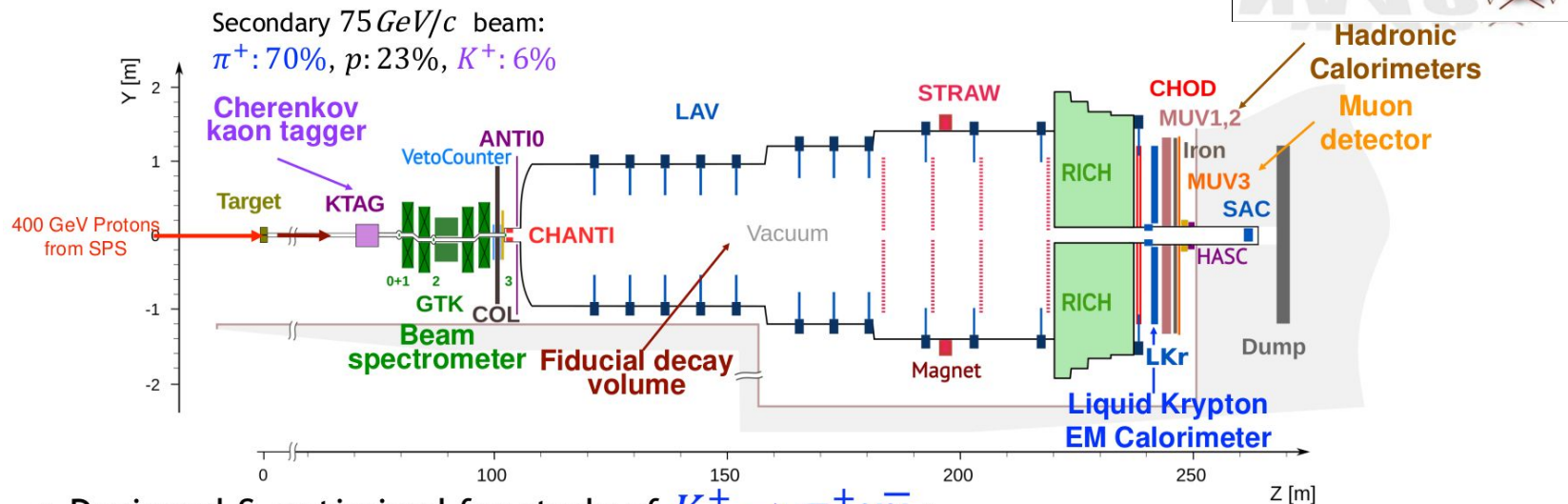




$$m_{miss}^2 = (P_{K^+} - P_{\pi^+})^2$$



# NA62 beamline & detector [JINST 12 (2017) 05, P05025]



- Designed & optimised for study of  $K^+ \rightarrow \pi^+ \nu \bar{\nu}$  :
  - Particle tracking: beam particle (GTK) & downstream tracks (STRAW)
  - PID:  $K^+$  - KTAG,  $\pi^+$  - RICH, Calorimeters (LKr, MUV1,2), MUV3 ( $\mu$  detector)
  - Comprehensive veto systems: CHANTI (beam interactions), LAV, LKr, IRC, SAC ( $\gamma$ ) + new additions since LS2: VetoCounter, ANTI0, HASC2

Timing: CHOD, RICH KTAG



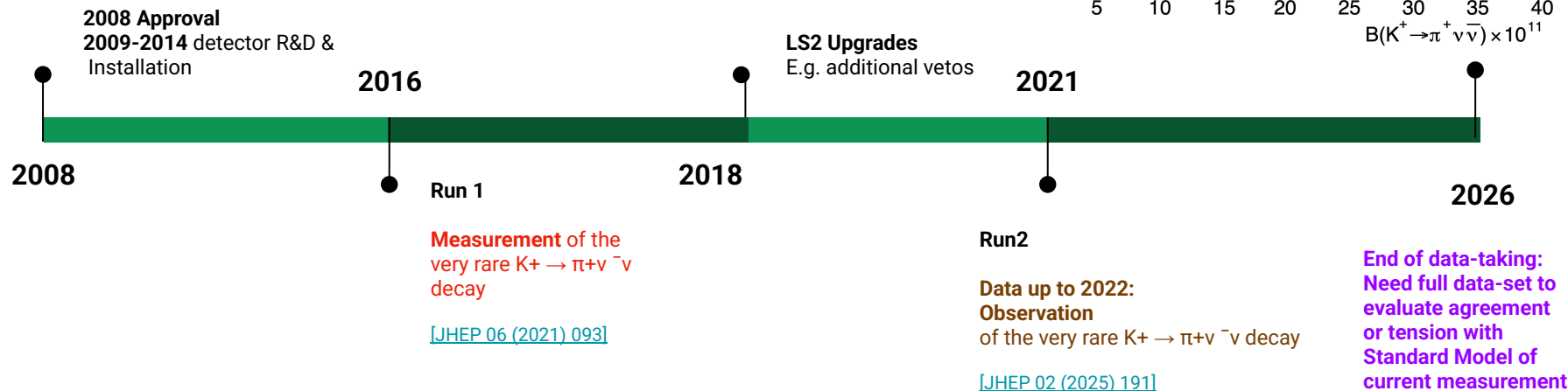
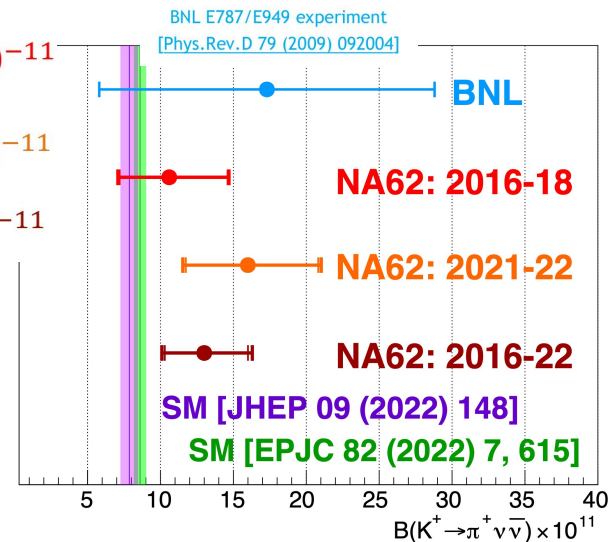


$$\mathcal{B}_{\pi\nu\bar{\nu}}^{16-18} = (10.6_{-3.5}^{+4.1}) \times 10^{-11}$$

[JHEP 06 (2021) 093]

$$\mathcal{B}_{\pi\nu\bar{\nu}}^{21-22} = (16.0_{-4.5}^{+5.0}) \times 10^{-11}$$

$$\mathcal{B}_{\pi\nu\bar{\nu}}^{16-22} = (13.0_{-2.9}^{+3.3}) \times 10^{-11}$$







# Sensitivity to new physics from Kaon decays (example)

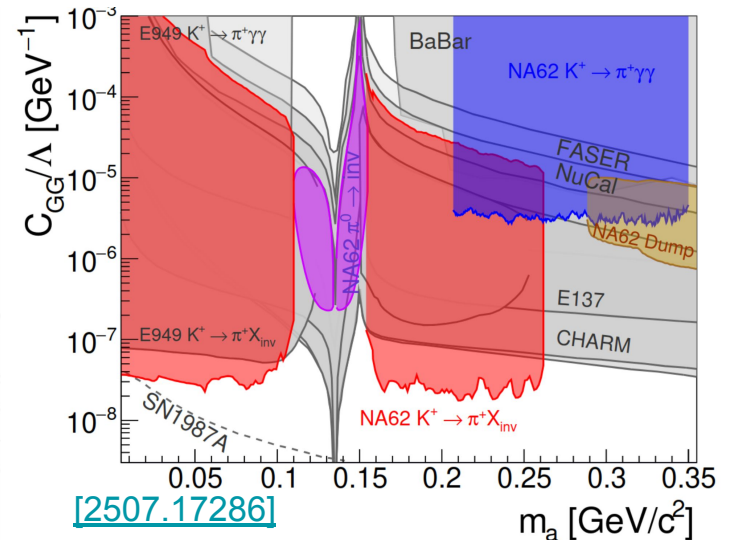
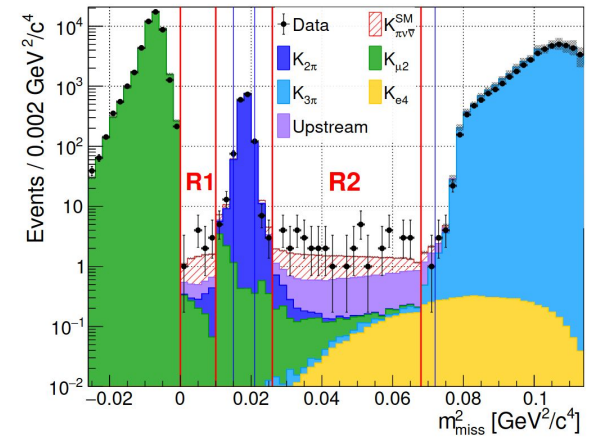
- Measuring  $K^+ \rightarrow \pi^+ \nu \bar{\nu}$  is also sensitive to the process  $K^+ \rightarrow \pi^+ X_{inv}$
- In a concrete model (dubbed BC11 by CERN PBC),

this could be an axion-like particle (pseudoscalar), coupled to gluons

- In this model, also several other NA62 measurements provide sensitivity, in this scenario through

$$K^+ \rightarrow \pi^+ \gamma \gamma$$

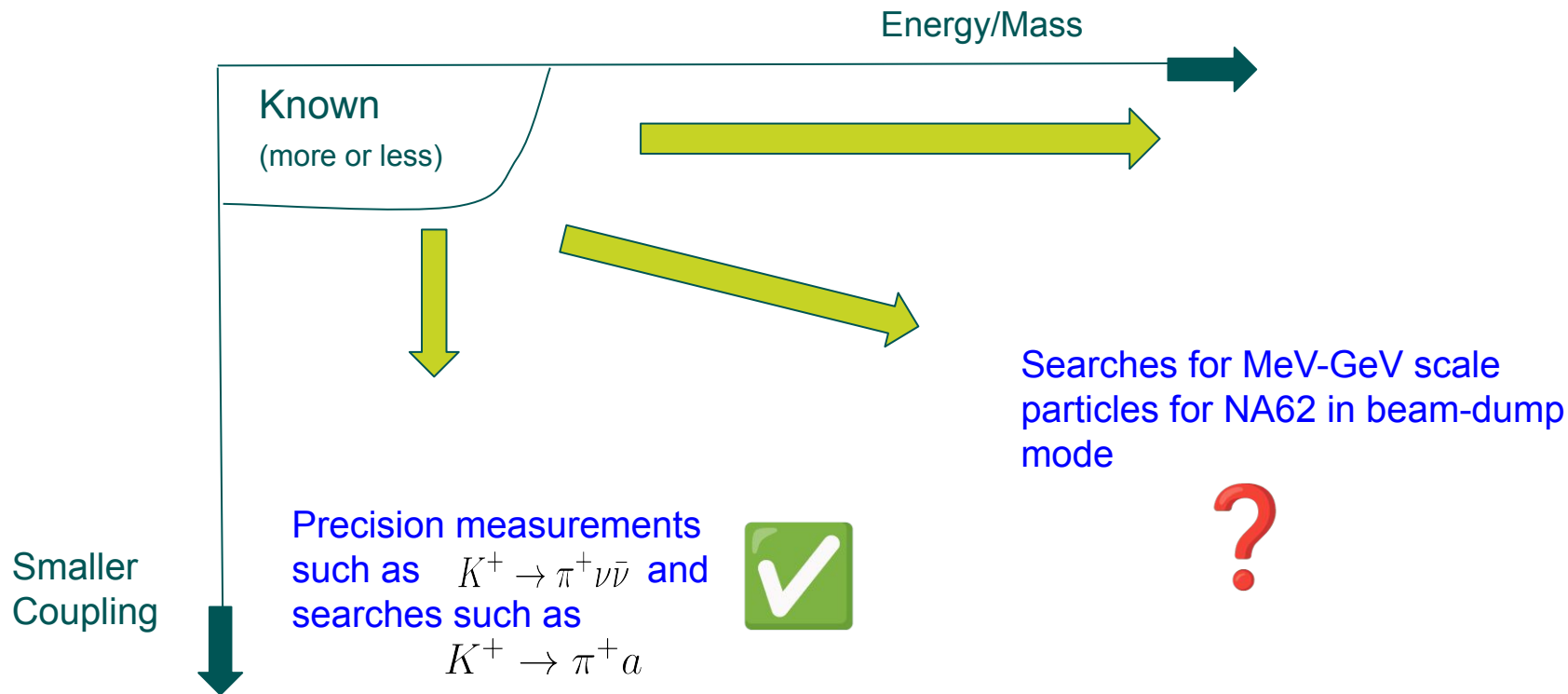
More generally, NA62 is sensitive to new physics in most Kaon and a number of pion decays!







## Coming back to the below picture

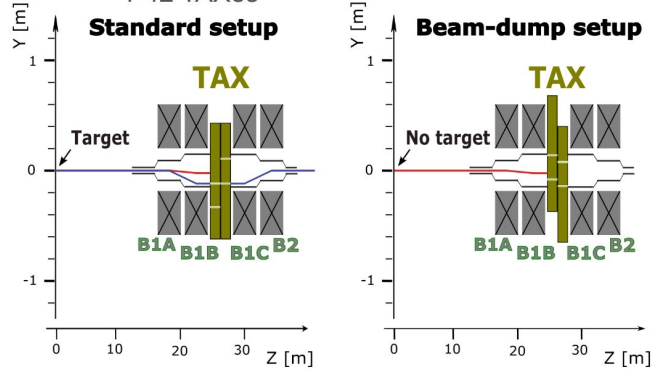




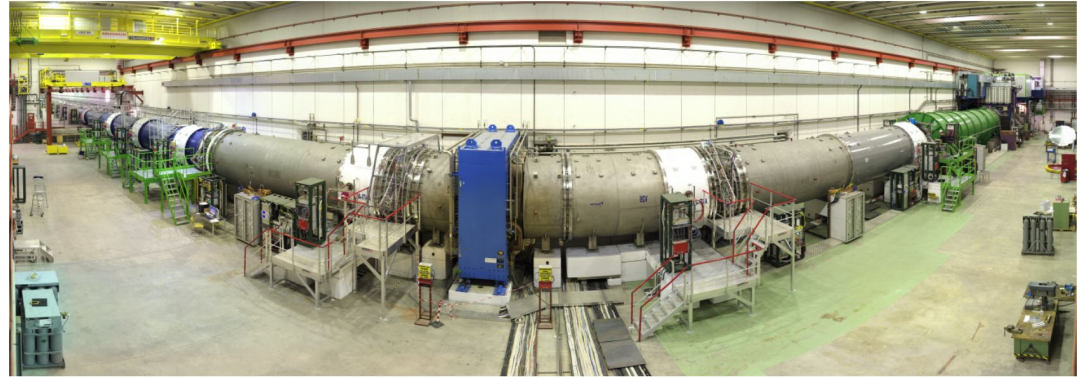
## How to do that?



P42 TAXes

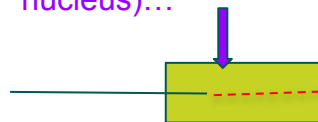


- Remove target in which Kaons are created
- Move collimators in `closed position`
- Magnet currents in `optimal sweeping` configuration  
[ [Int.J.Mod.Phys.A 34 \(2019\) 36. 1942026](#) ]
- Dedicated trigger lines for beam-dump mode
- Sensitivity profits from large number of POT, high energy, short distance, large acceptance
- Including 2025, we have almost  $10^{18}$  POT on tape, results shown in the following based on  $1.4 \times 10^{17}$  POT (2021 data only!)





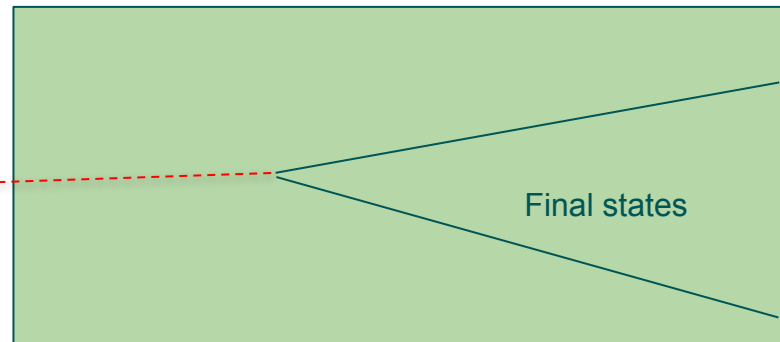
Interaction, e.g  $B \rightarrow K a$ ,  
Primakoff (photon from  $\pi^0$   
fusing with photon from  
nucleus)...



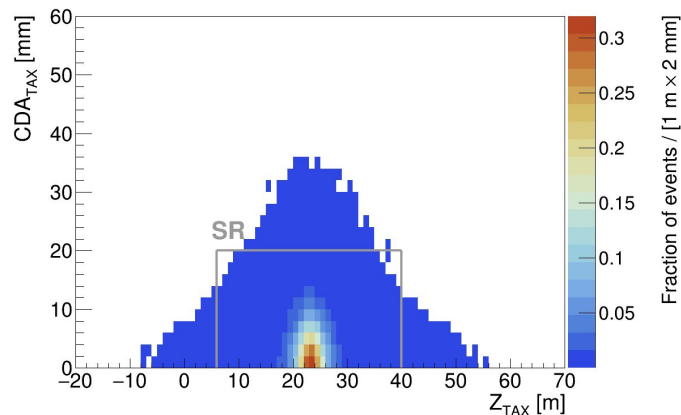
Proton

Axion (or another  
Exotic particle)

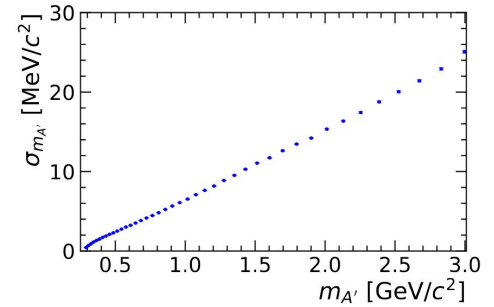
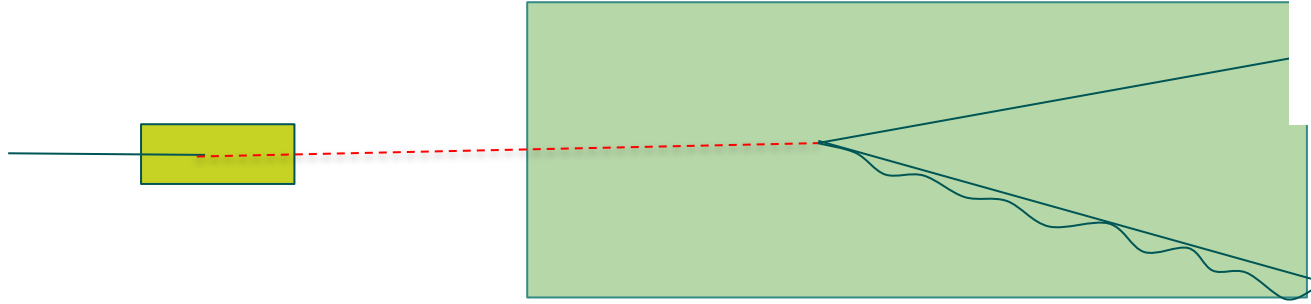
Decay volume + detectors (placeholder)



**Example** of Monte Carlo signal event  
distribution for exotic particle to  
di-muon final state



# Completed searches in Beam-dump mode



Mass resolution in  
reconstructed

$\pi^+\pi^-$

1.  $\mu^+\mu^-$  [JHEP 09 \(2023\) 035](#)
2.  $e^+e^-$  [Phys. Rev. Lett. 133 \(2024\) 111802](#)
3.  $\pi^+\pi^-, \pi^+\pi^-\gamma, \pi^+\pi^-\pi^0, \pi^+\pi^-\pi^0\pi^0, \pi^+\pi^-\eta, K^+K^-, K^+K^-\pi^0$   
[Eur.Phys.J.C 85 \(2025\) 5, 571](#)

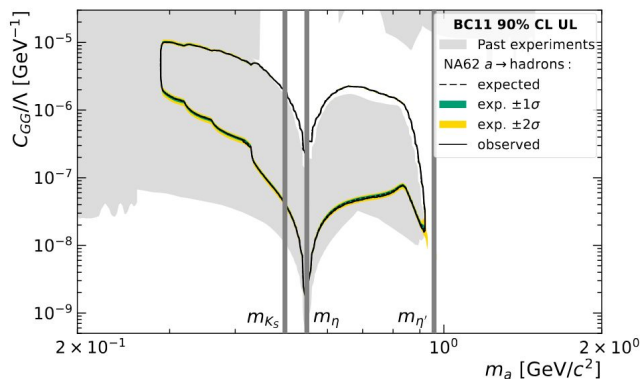
Channel	$N_{\text{exp,CR}} \pm \delta N_{\text{exp,CR}}$	$N_{\text{exp,SR}} \pm \delta N_{\text{exp,SR}}$
$\pi^+\pi^-$	$0.013 \pm 0.007$	$0.007 \pm 0.005$
$\pi^+\pi^-\gamma$	$0.031 \pm 0.016$	$0.007 \pm 0.004$
$\pi^+\pi^-\pi^0$	$(1.3^{+4.4}_{-1.0}) \times 10^{-7}$	$(1.2^{+4.3}_{-1.0}) \times 10^{-7}$
$\pi^+\pi^-\pi^0\pi^0$	$(1.6^{+7.6}_{-1.4}) \times 10^{-8}$	$(1.6^{+7.4}_{-1.4}) \times 10^{-8}$
$\pi^+\pi^-\eta$	$(7.3^{+27.0}_{-6.1}) \times 10^{-8}$	$(7.0^{+26.2}_{-5.8}) \times 10^{-8}$
$K^+K^-$	$(4.7^{+15.7}_{-3.9}) \times 10^{-7}$	$(4.6^{+15.2}_{-3.8}) \times 10^{-7}$
$K^+K^-\pi^0$	$(1.6^{+3.2}_{-1.2}) \times 10^{-9}$	$(1.5^{+3.1}_{-1.2}) \times 10^{-9}$
$\mu^+\mu^-$	$0.17 \pm 0.02$	$0.016 \pm 0.002$
$e^+e^-$	$0.0097^{+0.049}_{-0.009}$	$0.0094^{+0.049}_{-0.009}$

No evidence of a New Physics signal is observed, excluding new regions of parameter spaces of multiple models.

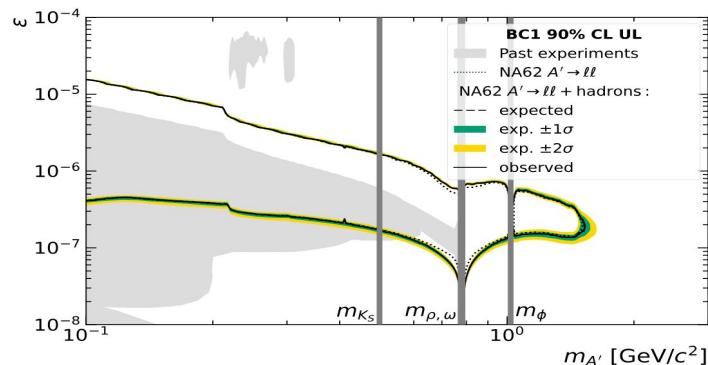
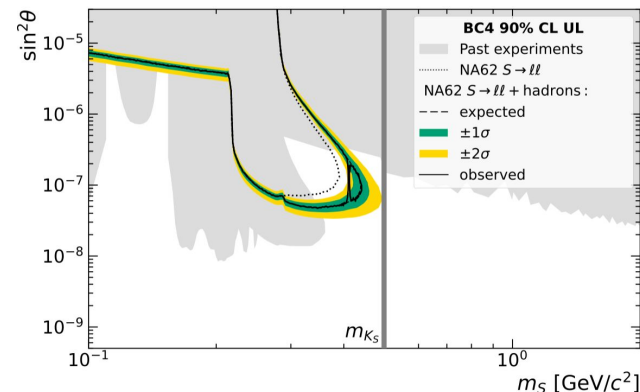




# Summary of combined results in terms of PBC benchmark models:



BC11 (axion-like  
particle coupled to  
gluons)



BC1 (Dark Photon)

BC4 (Higgs-like scalar)

Significant improvement of state-of the art with  
only 10 days of data, no background limitation!

More data on-tape!

## Summary

- The BR of  $K^+ \rightarrow \pi^+ \nu \bar{\nu}$  becomes the smallest branching ratio measured with a signal significance above  $5\sigma$ .
- A plethora of measurements I could not talk about!
- The NA62 experiment provides a number of channels to search new-physics particles at the sub-eV to GeV scale, a number of results in exotics searches released

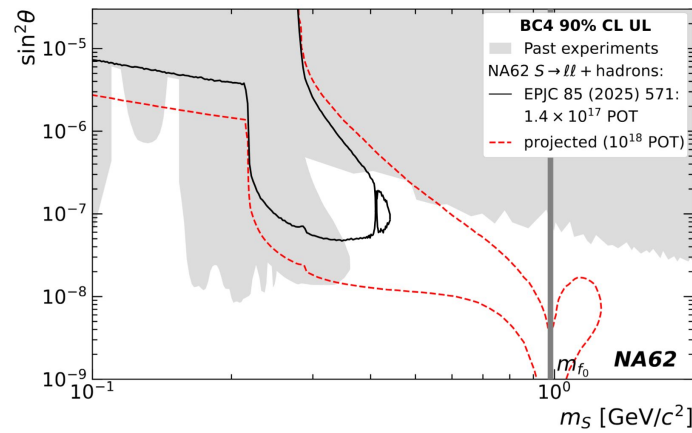
Data-taking ongoing until August 2026

Several measurements and search results not shown here or in the pipeline, would be happy to talk more about it throughout the conference



2024 NA62 collaboration week Birmingham

Vast parameter space still to be searched with data-on-tape



[NA62-PUB-2025-01]

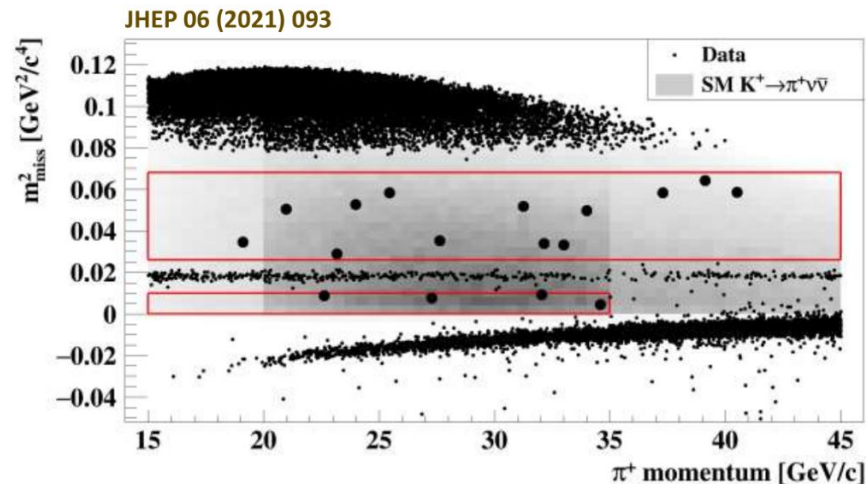
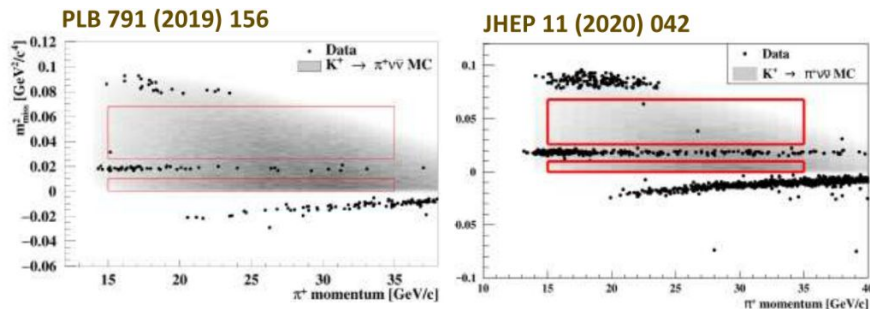
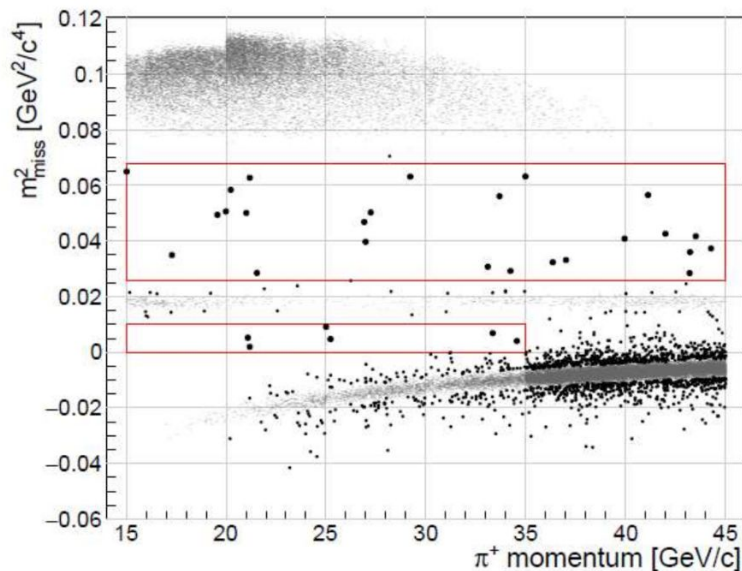


# Start of backup

# Results 21/22 and

# 2016-2018

Single Event Sensitivity	$(0.84 \pm 0.03) \times 10^{-11}$
Expected background	$11.0^{+2.1}_{-1.9}$
<b>Observed</b>	<b>31</b>







# The axion(-like-particle): prime example for a weakly interacting particle

- “Vanilla axion”: solve the strong CP problem + **DM candidate**
- QCD vacuum allows for a CP violating term to which one has topological + EW contribution
- Physical observable: Neutron EDM

Naively  $e/2m_n \sim 10^{-14}$  e cm

Measured  $|d_n| < 10^{-26}$  e cm

→ fine-tuning  $\theta < 10^{-10}$

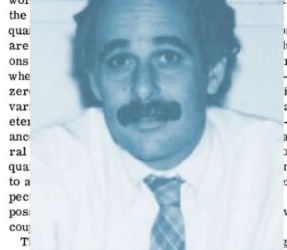
This can be considered a problem, unless  $\theta$  is related to a dynamical field, the axion

## CP Conservation in the Presence of Pseudoparticles\*

R. D. Peccei and Helen R. Quinn†  
*Institute of Theoretical Physics, Department of Physics, Stanford University, Stanford, California 94305*  
 (Received 31 March 1977)

We give an explanation of the CP conservation of strong interactions which includes the effects of pseudoparticles. We find it is a natural result for any theory where at least one flavor of fermion acquires its mass through a Yukawa coupling to a scalar field which has nonvanishing vacuum expectation value.

It is experimentally obvious that we live in a world where the CP conservation is not



grangian.

If all fermions which couple to the non-Abelian

gauge field are in the same representation of the gauge group

then the CP conservation is a natural result of the theory.

For the case of the strong interactions, we find that the CP conservation is a natural result of the theory if the quarks acquire their mass through a Yukawa coupling to a scalar field which has nonvanishing vacuum expectation value.

For the case of the weak interactions, we find that the CP conservation is a natural result of the theory if the leptons acquire their mass through a Yukawa coupling to a scalar field which has nonvanishing vacuum expectation value.

For the case of the electromagnetic interactions, we find that the CP conservation is a natural result of the theory if the charged fermions acquire their mass through a Yukawa coupling to a scalar field which has nonvanishing vacuum expectation value.

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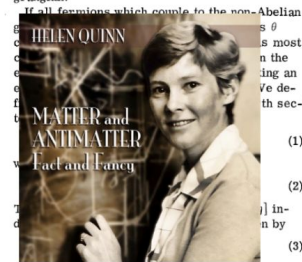
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(1)

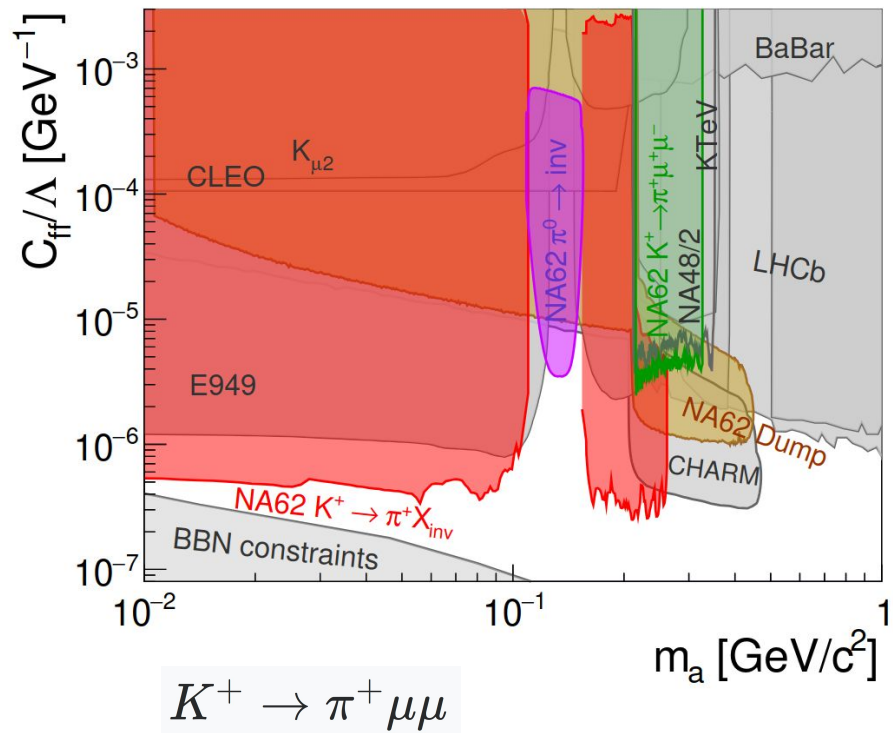
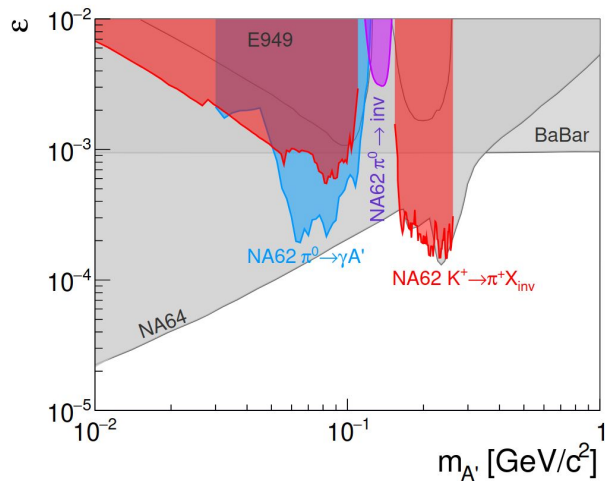
(2)

(3)



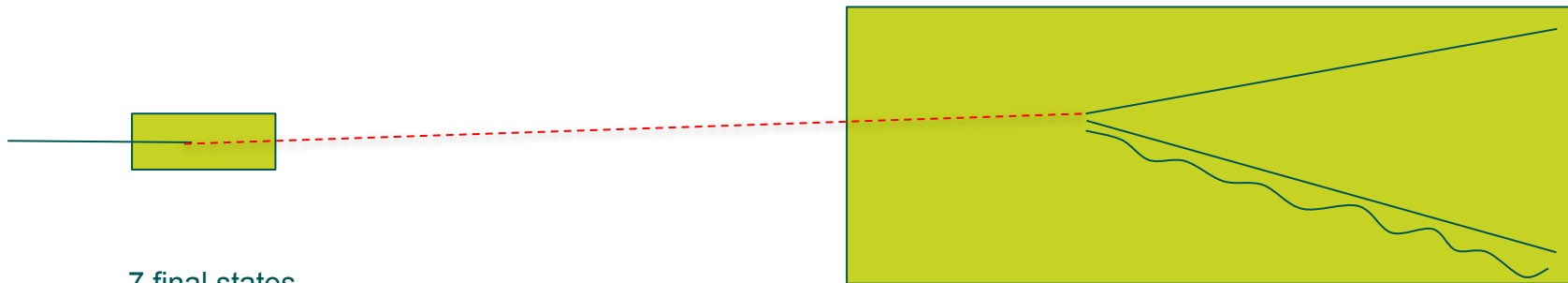
# Sensitivity to new physics from Kaon decays (more plots)

Benchmark	BSM particle ( $X$ )	Type	Coupling to SM	Search
BC1	dark photon ( $A'$ )	vector	$\varepsilon$	$\mu^+\mu^-$
BC2	dark photon ( $A'$ )	vector	$\varepsilon$	invisible
BC4	dark scalar ( $S$ )	scalar	$\theta$	invisible, $\mu^+\mu^-$
BC4-inv	dark scalar ( $S$ )	scalar	$\theta$	invisible
BC10	axion-like particle ( $a$ )	pseudoscalar	$C_{ff}$ (to fermions)	invisible, $\mu^+\mu^-$
BC10-inv	axion-like particle ( $a$ )	pseudoscalar	$C_{ff}$ (to fermions)	invisible
BC11	axion-like particle ( $a$ )	pseudoscalar	$C_{GG}$ (to gluons)	invisible, $\gamma\gamma$





## Completed searches in Beam-dump mode (2021 data) [2502.04241]



7 final states

$\pi^+\pi^-$ ,  $\pi^+\pi^-\gamma$ ,  $\pi^+\pi^-\pi^0$ ,  $\pi^+\pi^-\pi^0\pi^0$ ,  $\pi^+\pi^-\eta$ ,  $K^+K^-$ ,  $K^+K^-\pi^0$

- Upgraded PID (NN) + Refined box-opening strategy (from more complicated to simpler topologies)
- Low Background from “beam Kaons”
- **No data events observed in the control and signal regions -> again, set limits in different NP scenarios**

model	production channels	decay channels
DP	Bremsstrahlung	$\pi^+\pi^-$
		$\pi^+\pi^-\pi^0$
		$\pi^+\pi^-\pi^0\pi^0$
		$K^+K^-$
		$K^+K^-\pi^0$
	light meson decay	$\pi^+\pi^-$
DS	$B$ meson decay	$\pi^+\pi^-\pi^0$
		$\pi^+\pi^-\pi^0\pi^0$
		$K^+K^-$
		$K^+K^-\pi^0$
ALP	Primakoff mixing ( $\pi^0/\eta/\eta'$ ) $B$ meson decay	$\pi^+\pi^-\gamma$
		$\pi^+\pi^-\pi^0$
		$\pi^+\pi^-\pi^0\pi^0$
		$\pi^+\pi^-\eta$
		$K^+K^-\pi^0$