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Numerical studies of the imprints of thermal effects in the gravitational wave signals of long-lived remnants of BNS mergers

Davide Guerra

With the collaboration of Toni Font, Pablo Cerda-Duran, Milton Ruiz, Michele Pasquali

ASFAE 2024 workshop – University of Alicante

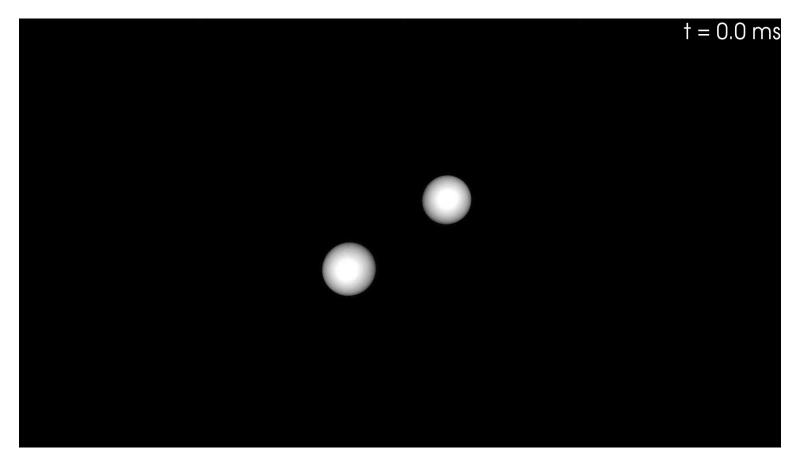




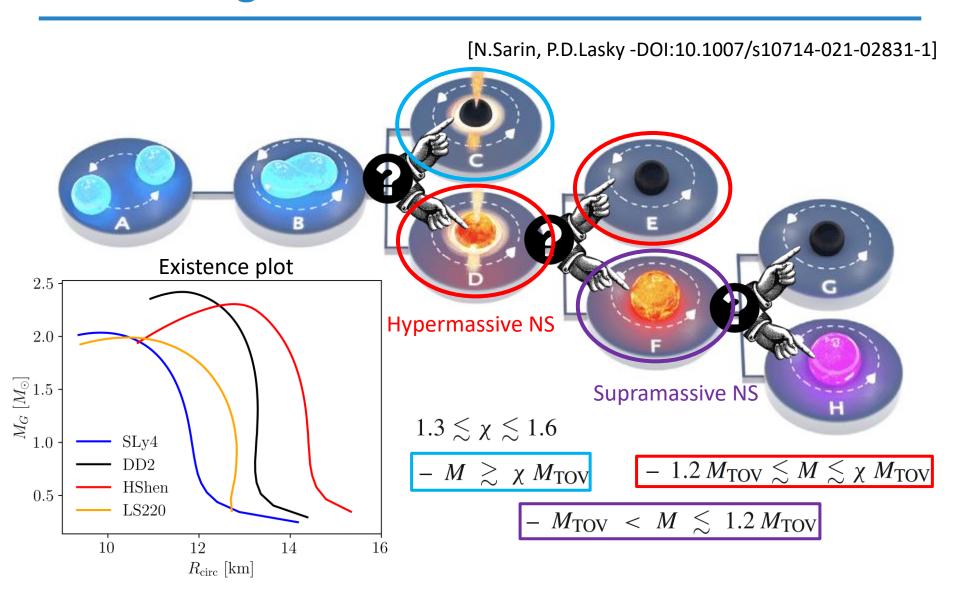
Going to talk about...

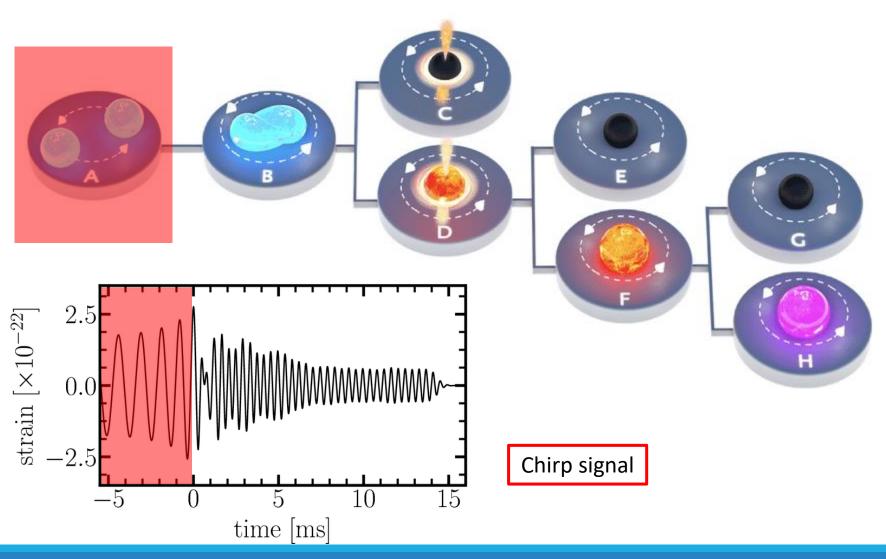
- I. Binary Neutron Stars (BNSs) mergers
 - GW signal: main frequencies and where to find them
 - Long-term simulations
- II. Neutron Star Equation of States (EOS)
 - Different approaches: hybrid vs tabulated
 - Thermal effects and imprints in the GW signal
 - Defining Temperature
- III. Conclusions and future projects

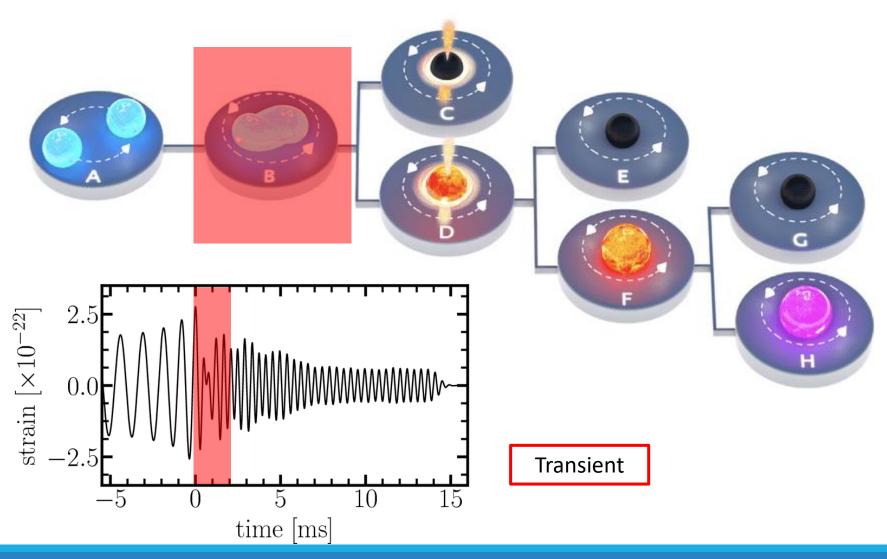
Binary Neutron Stars mergers

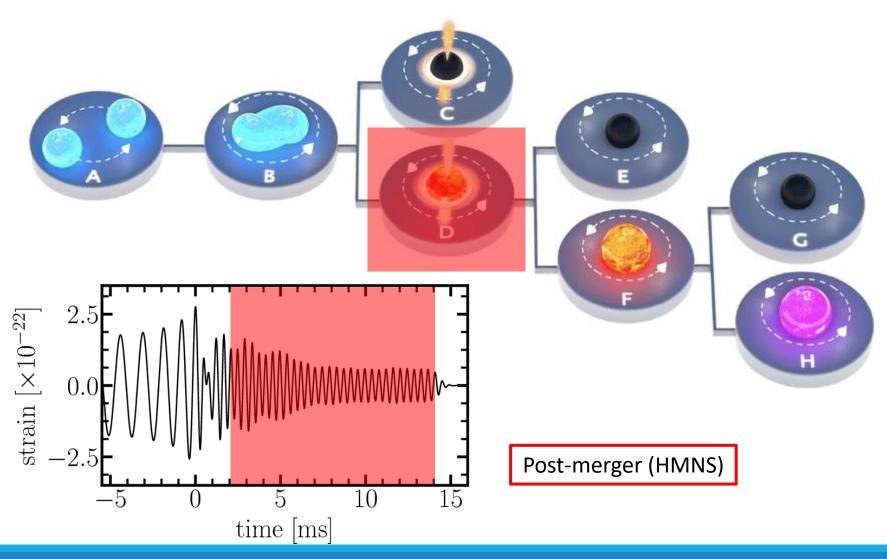


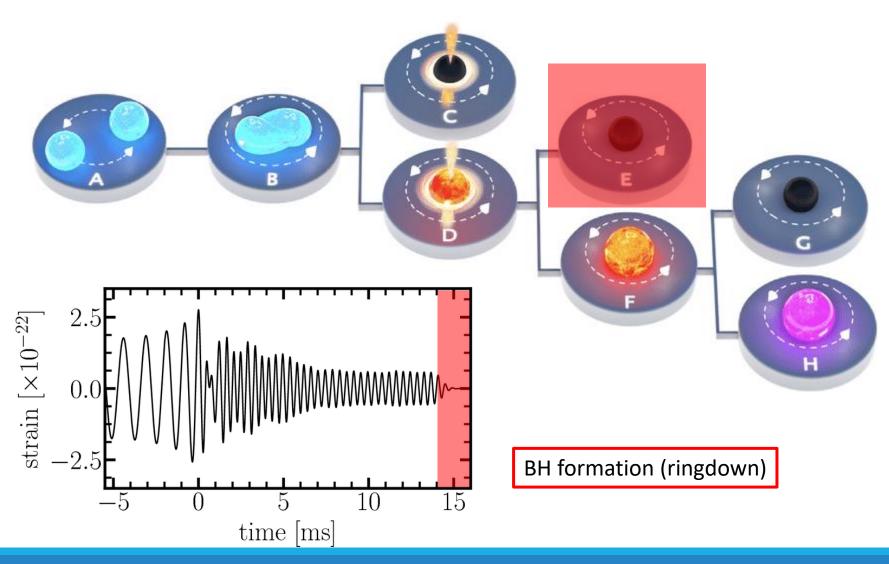
[T. Kawamura et al - Phys. Rev. D 94, 064012 (2016)]





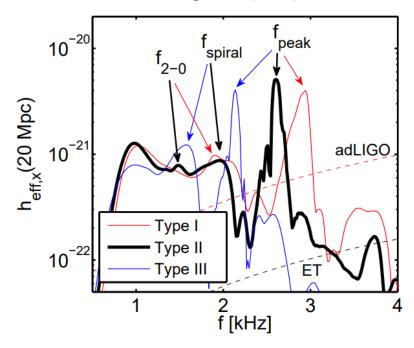




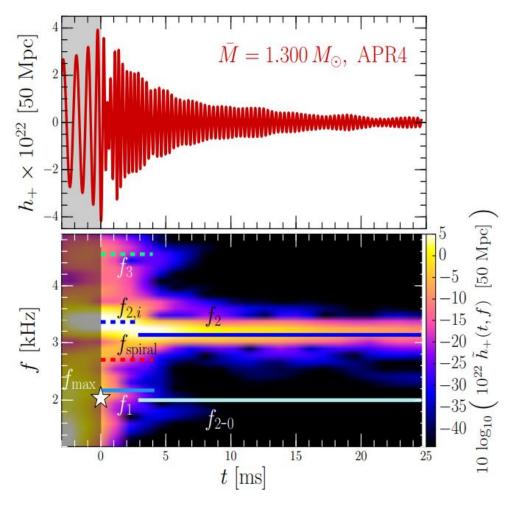


GW spectroscopy

[A.Bauswein and N.Stergioulas (2018)]

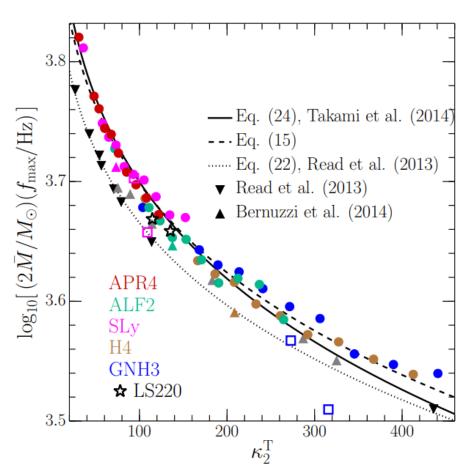


[L.Rezzolla and K.Takami (2016)]



GW spectroscopy: quasi-universal relations

[L.Rezzolla and K.Takami (2016)]



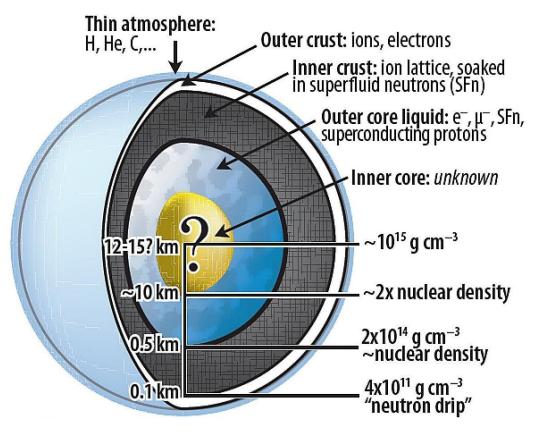
$$\log_{10} \left(\frac{f_{\text{max}}}{\text{kHz}} \right) \approx a_0 + a_1 \left(\kappa_2^T \right)^{1/5} - \log_{10} \left(\frac{2\bar{M}}{M_{\odot}} \right)$$
$$\kappa_2^T \equiv \frac{1}{8} \bar{k}_2 \left(\frac{\bar{R}}{\bar{M}} \right)^5 = \frac{3}{16} \Lambda = \frac{3}{16} \frac{\lambda}{\bar{M}^5}$$



Neutron Stars EOSs

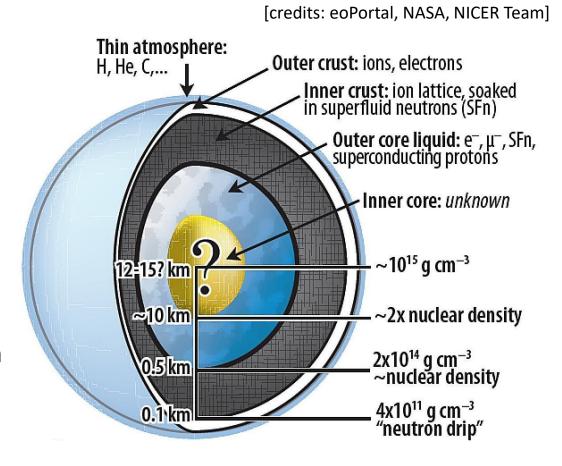
Neutron Star EOSs

[credits: eoPortal, NASA, NICER Team]

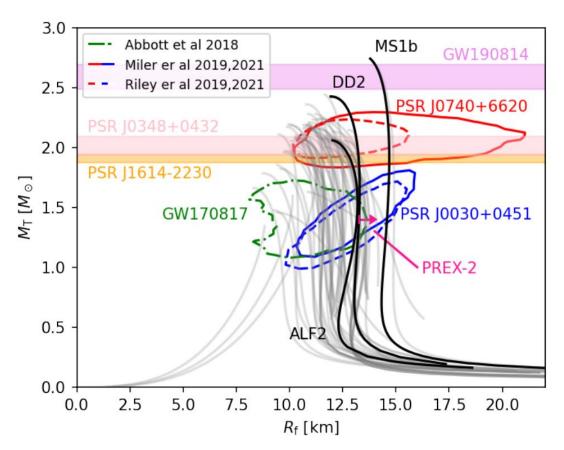


Neutron Star EOSs

- Which are the correct thermodynamic EOSs for cold matter above nuclear saturation density? (hyperon, kaon, pion condensates, strange quark matter...)
- And for hot matter?
- Can relativistic
 astrophysics help with NS
 measurements to contrain
 the nuclear EOS?



Neutron Star EOSs



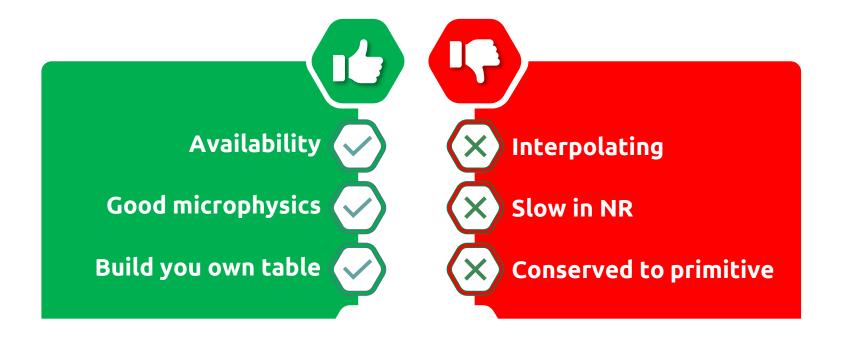
[F.Di Giovanni et al, Phys. Rev. D 105, 063005 (2022)]

Construct static spherically symmetric star:

- TOV solver (own one, Lorene, RNS)
- Tabulated Cold EOS in beta-equilibrium

Tabulated EOSs

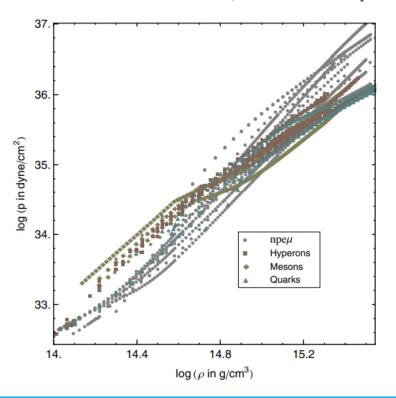
- Building EOSs (we don't do it here)
- User point of view:

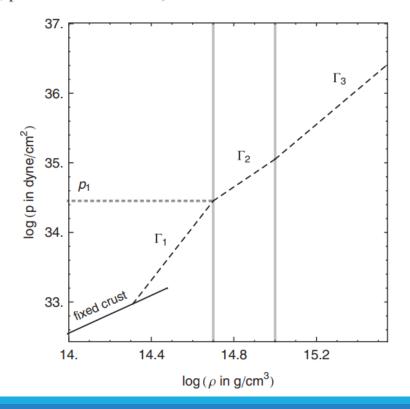


PHYSICAL REVIEW D 79, 124032 (2009)

Constraints on a phenomenologically parametrized neutron-star equation of state

Jocelyn S. Read, ¹ Benjamin D. Lackey, ¹ Benjamin J. Owen, ² and John L. Friedman ¹ Department of Physics, University of Wisconsin-Milwaukee, P.O. Box 413, Milwaukee, Wisconsin 53201, USA ² Center for Gravitational Wave Physics, Institute for Gravitation and the Cosmos, and Department of Physics, The Pennsylvania State University, University Park, Pennsylvania 16802-6300, USA (Received 22 January 2009; published 22 June 2009)





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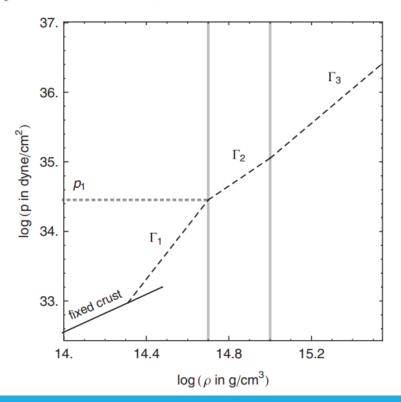
Jocelyn S. Read, ¹ Benjamin D. Lackey, ¹ Benjamin J. Owen, ² and John L. Friedman ¹ Department of Physics, University of Wisconsin-Milwaukee, P.O. Box 413, Milwaukee, Wisconsin 53201, USA ² Center for Gravitational Wave Physics, Institute for Gravitation and the Cosmos, and Department of Physics, The Pennsylvania State University, University Park, Pennsylvania 16802-6300, USA (Received 22 January 2009; published 22 June 2009)

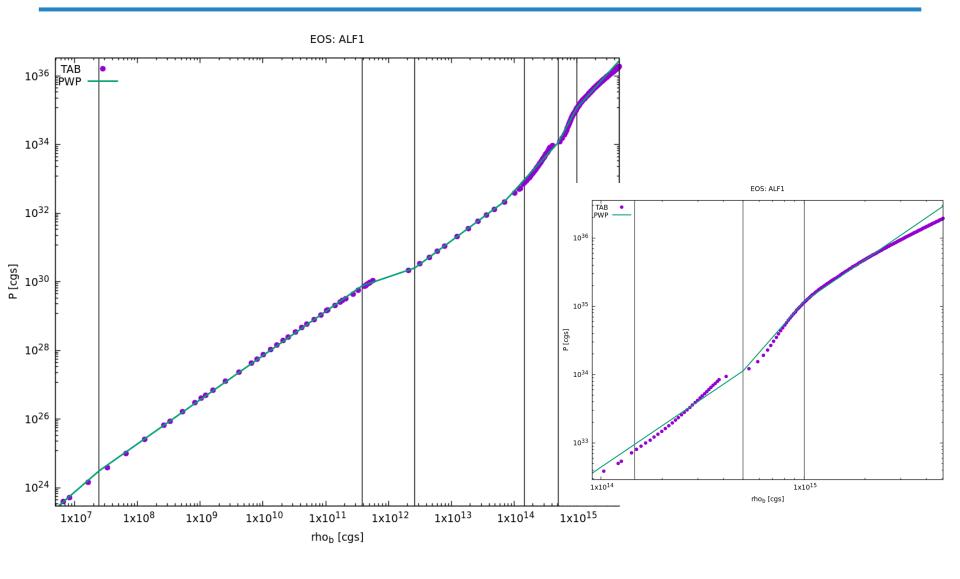
$$p(\rho) = K\rho^{\Gamma},$$

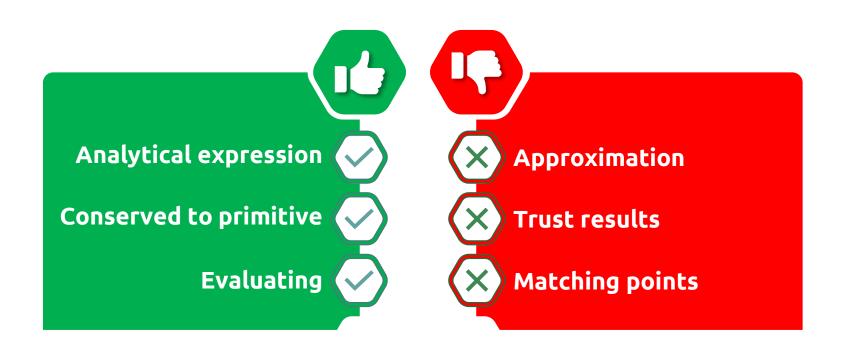
$$\frac{\epsilon}{\rho} = (1+a) + \frac{1}{\Gamma - 1}K\rho^{\Gamma - 1},$$

Piecewise Politropic fit

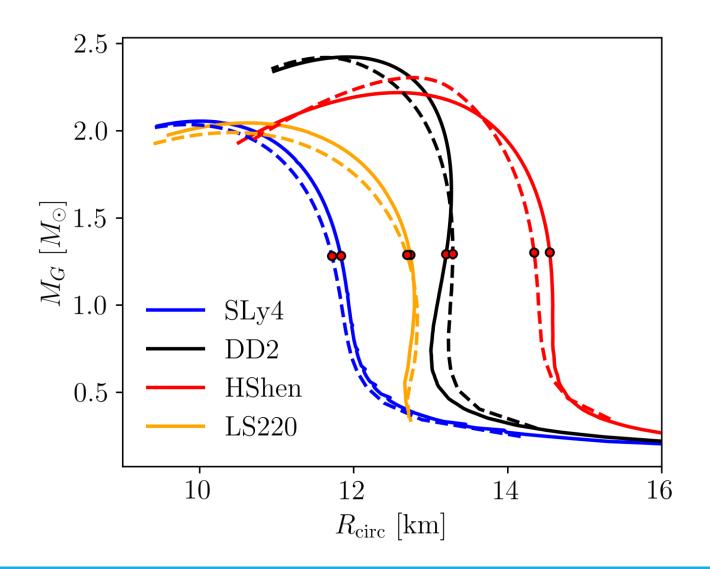
$$p(\rho) = K_i \rho^{\Gamma_i} \qquad \rho_{i-1} \le \rho \le \rho_i$$
$$d\frac{\epsilon}{\rho} = -pd\frac{1}{\rho} \qquad K_{i+1} = \frac{p(\rho_i)}{\rho_i^{\Gamma_{i+1}}}$$







Tabulated VS Piecewise



Tabulated VS Hybrid

Differences: evolution!

Hybrid EOS
$$P_{TOT} = P_{cold} + P_{th} = P_{pwp} + K \rho^{\Gamma_{th}}$$

- computationally faster
- not the best physics

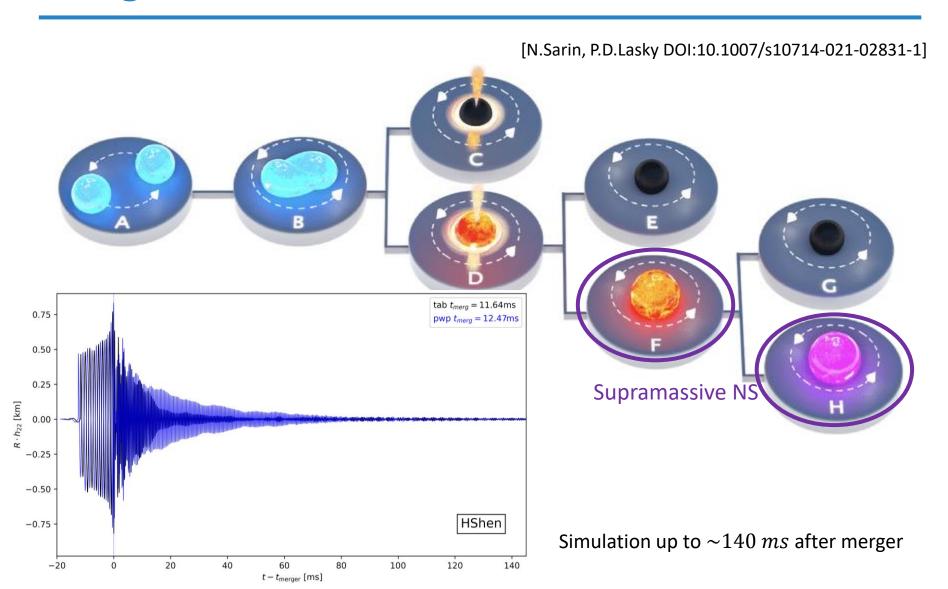
$$T = (\Gamma_{th} - 1)\epsilon_{th}$$

Tabulated EOS
$$P_{TOT} = P(\rho, \mathbf{T}, Y_e)$$

- interpolation for every point at every time
- good microphysics

Imprinting in the GW signal? Modes in long-remnant?

Long-term simulations



Inertial modes in BNS merger remnant

Inertial Modes

Type of oscillation of matter driven by the Coriolis force due to the rotation. In the context of BNS mergers, these modes can influence the post-merger dynamics.

Emission of GW

Oscillation patters and frequencies can leave imprints on the GW spectrum, providin clues about the internal structure and dynamics of the NS

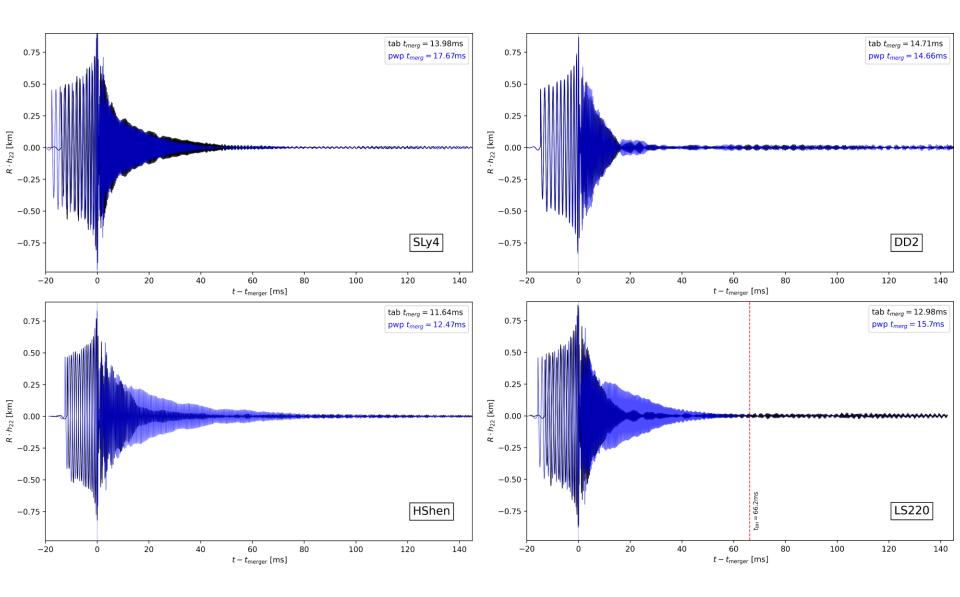
Energy dissipation

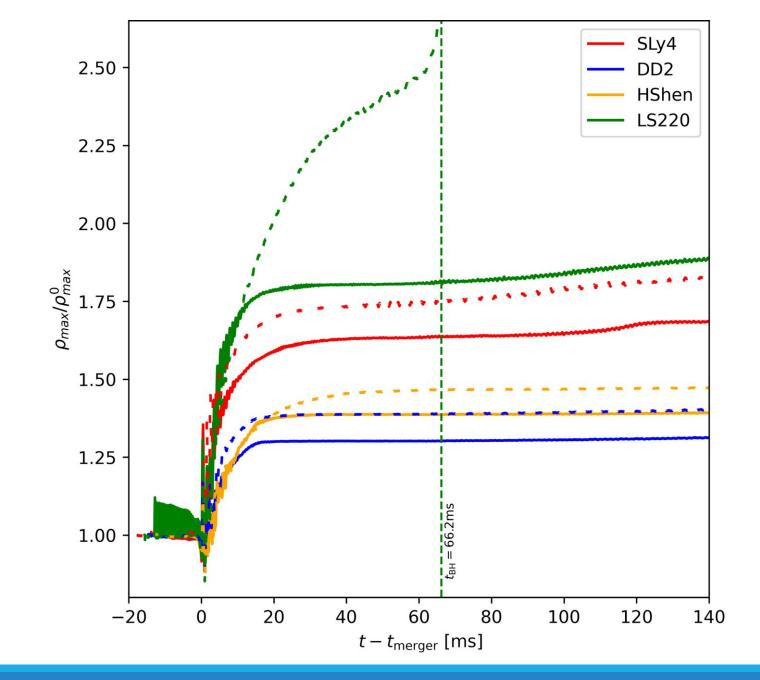
(e.g. viscous damping) can influence the thermal evolution of the merger remnant and its GW signal

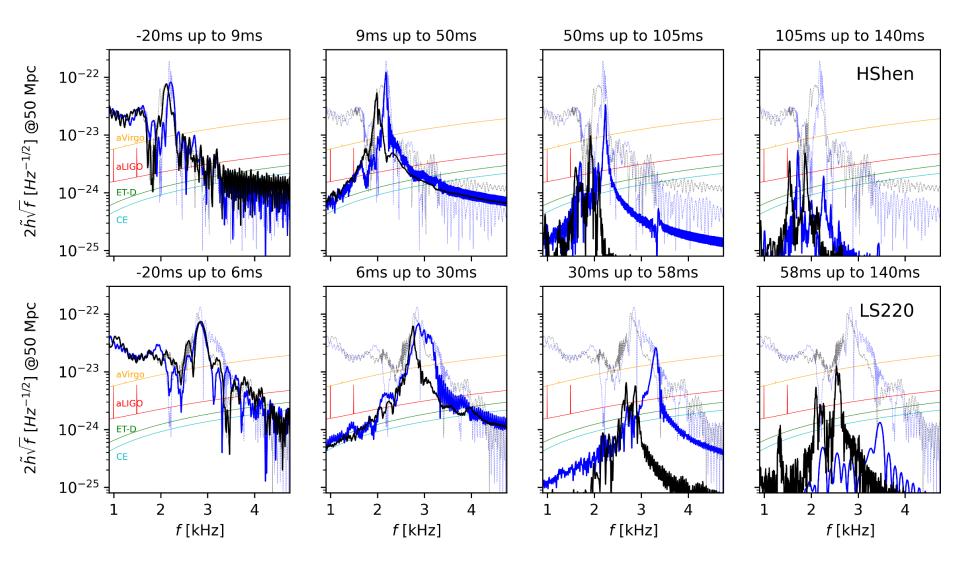
Angular momentum redistribution

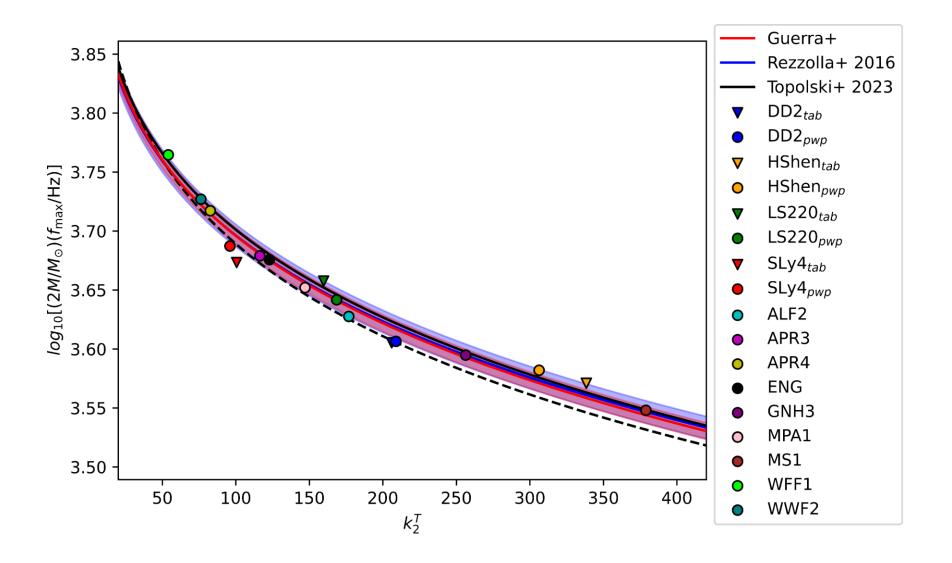
Affecting the final spin state of the remnant, crucial for the sustainment of the NS

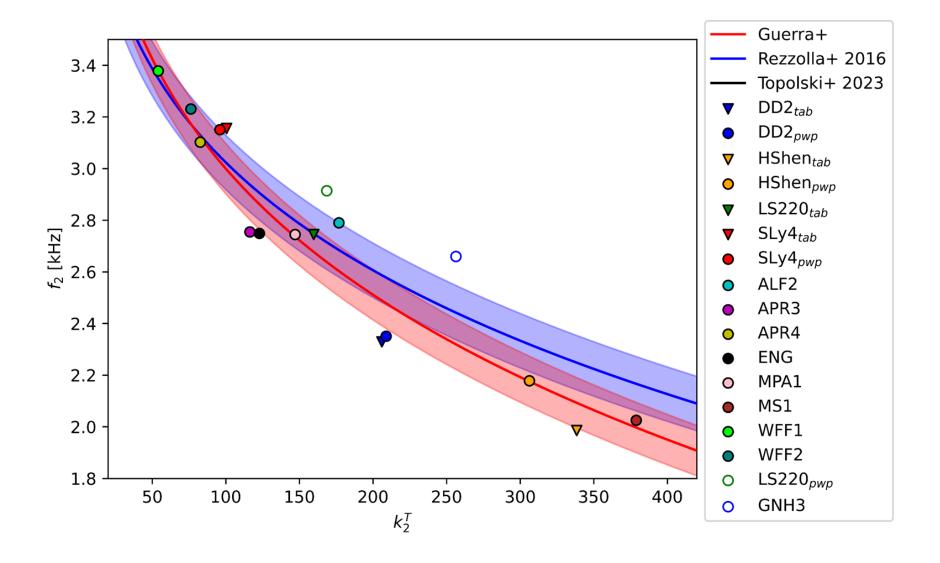
Numerical Relativity Results

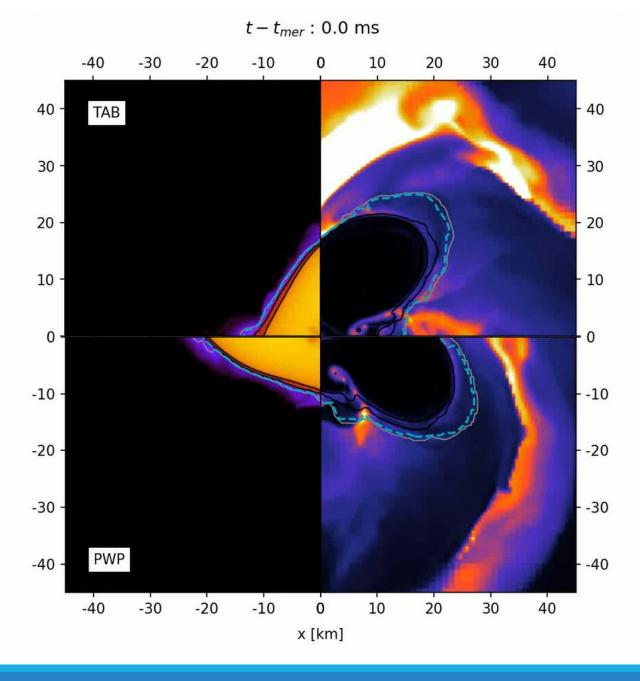


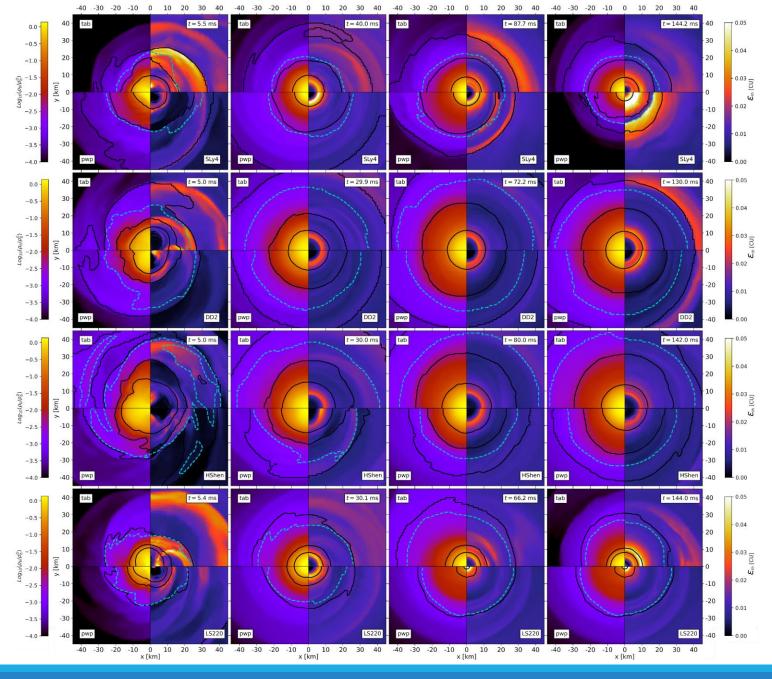


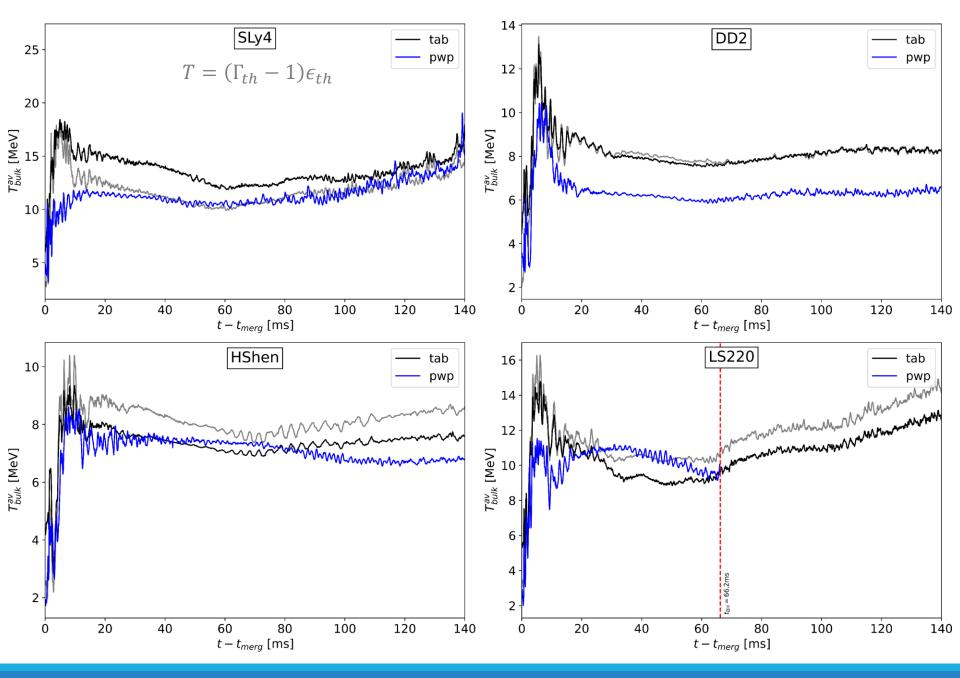


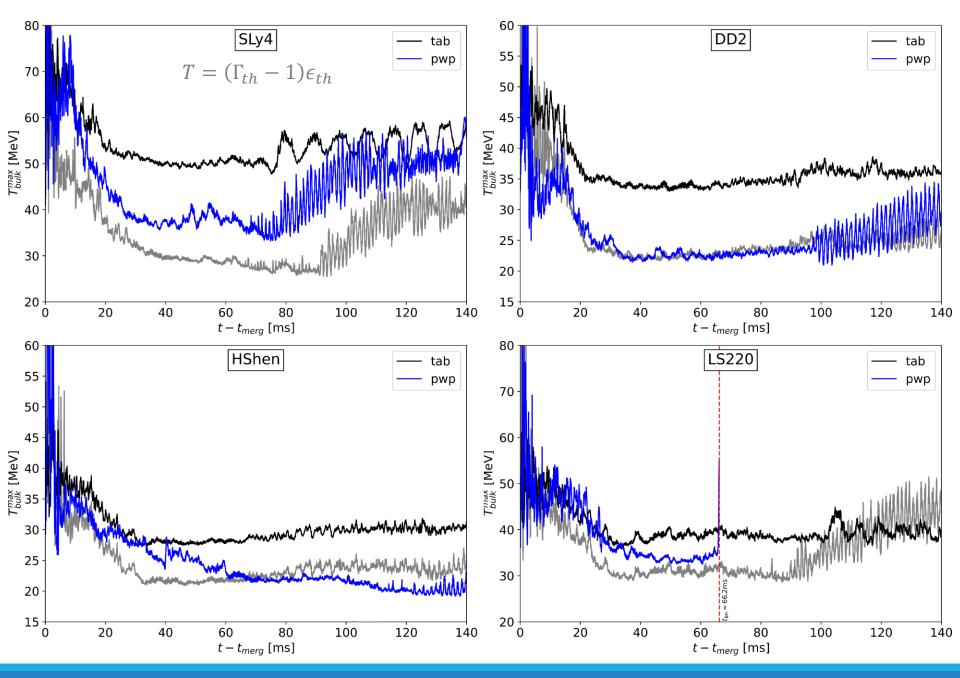


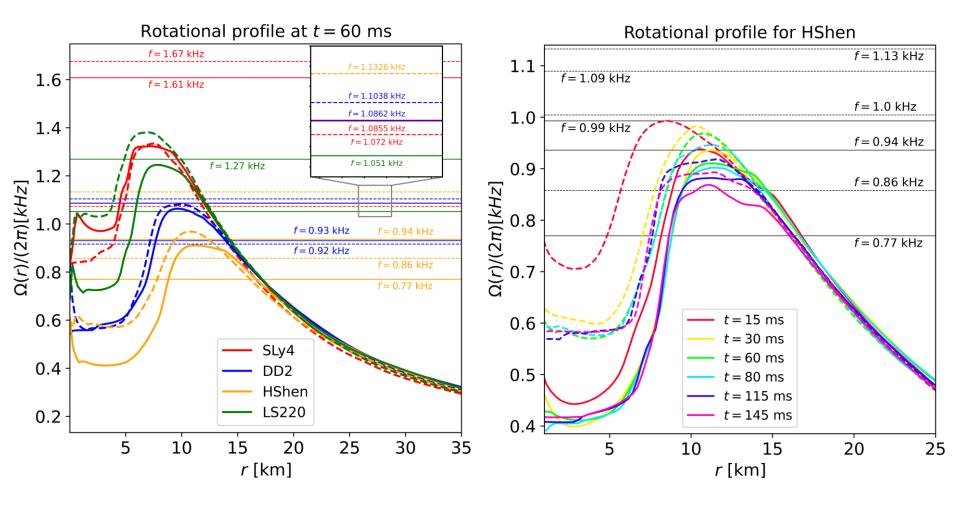








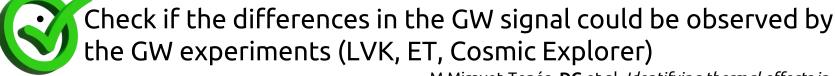




Conclusions and future project

- Binary Neutron Stars mergers: different final states + how to determine them + Gravitational wave spectroscopy
- Definition of EOS for NSs: different approaches as the piecewise politropic representation + tabulated VS hybrid + definition of temperature
- Numerical results: tab remnants are less compact then hyb + underestimation of temperature + shift in the GW peaks frequencies + presence of inertial modes in the long-remnant
- Neutrino + Magnetic field
- Studing the matter ejecta

V.Villa-Ortega et al. Self-consistent treatment of thermal effects in neutron-star post-mergers: observational implications for third-generation gravitational-wave detectors, arXiv:2310.20378 [gr-qc]



M.Miravet-Tenés, **DG** et al. *Identifying thermal effects in neutron star* merger remnants with model-agnostic waveform reconstructions and third-generation detectors, arXiv:2401.02493 [gr-qc]

Thank you for your attention

