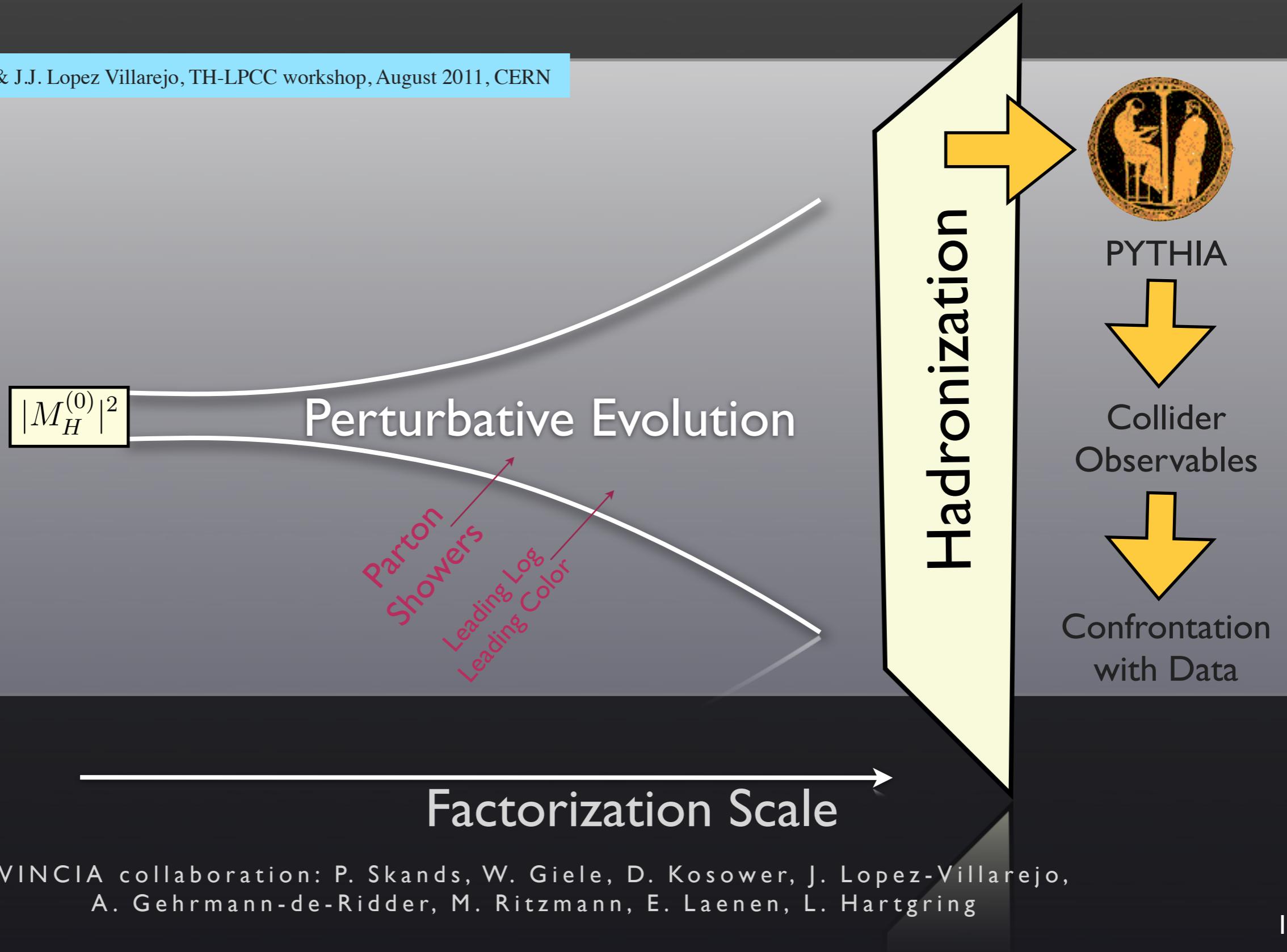


VINCIA: MC event generator for the LHC

Juanjo Lopez-Villarejo (CERN & Dpto. Física Teórica, UAM)

Slides from P. Skands & J.J. Lopez Villarejo, TH-LPCC workshop, August 2011, CERN

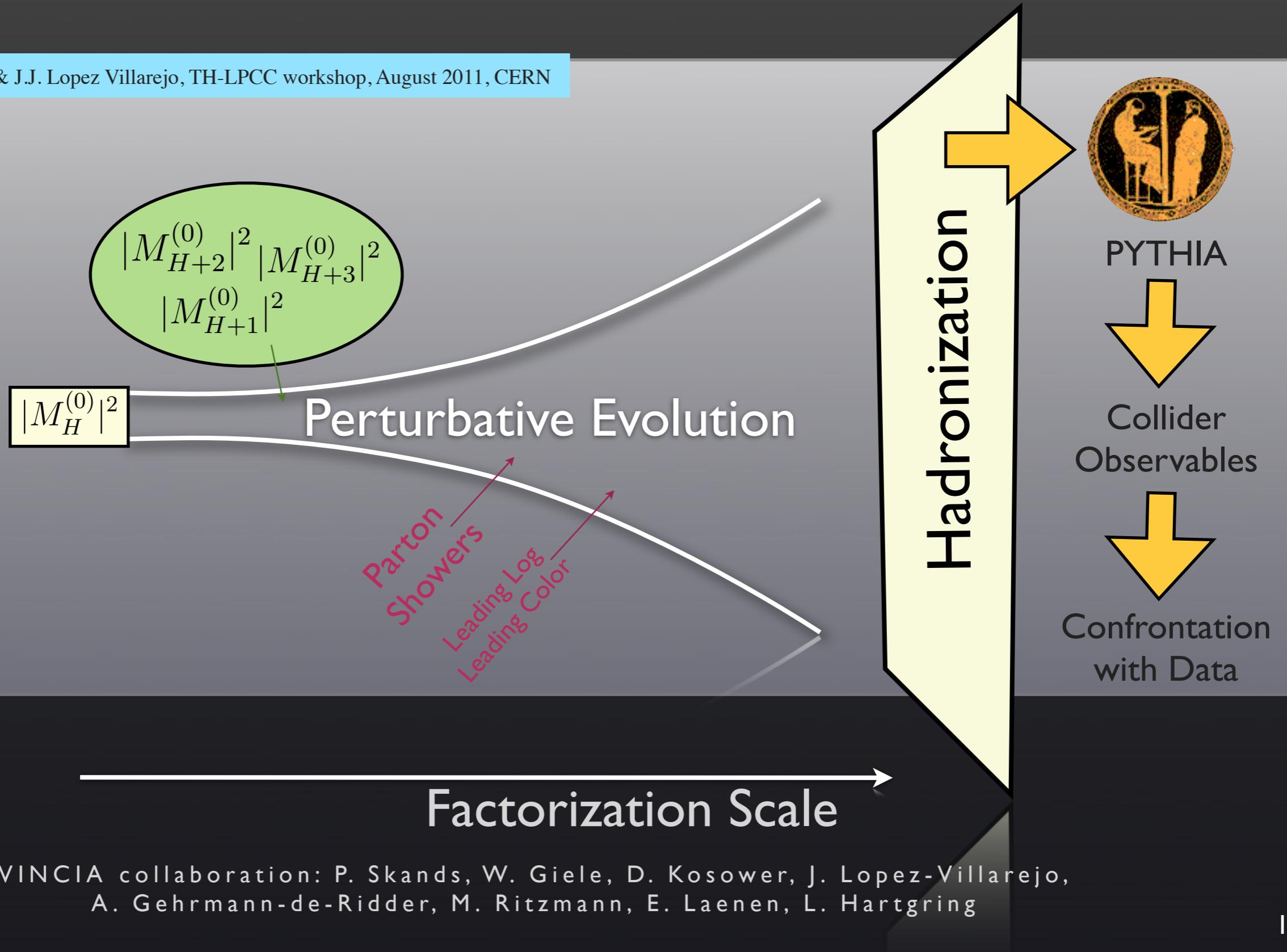


VINCIA collaboration: P. Skands, W. Giele, D. Kosower, J. Lopez-Villarejo,
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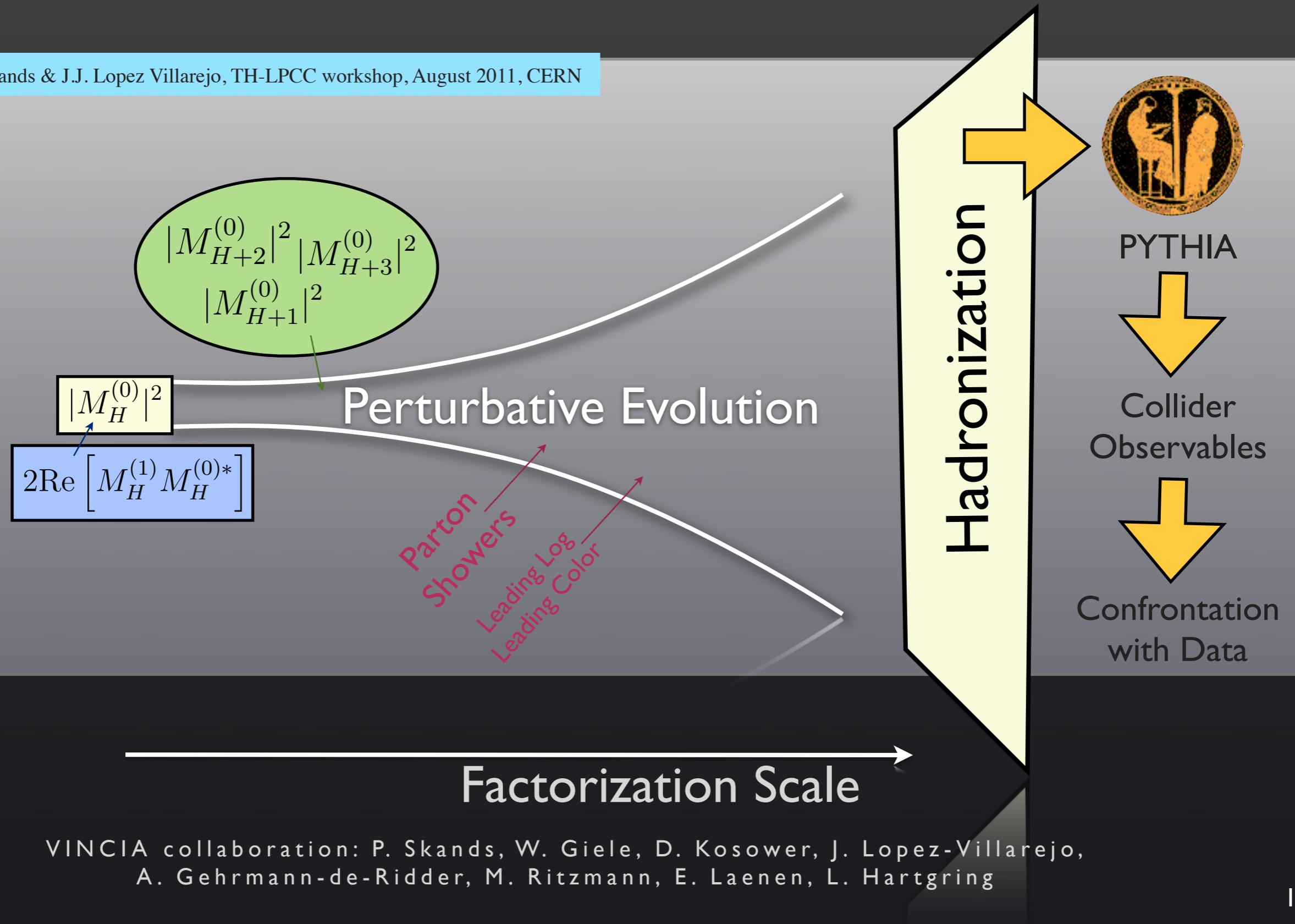
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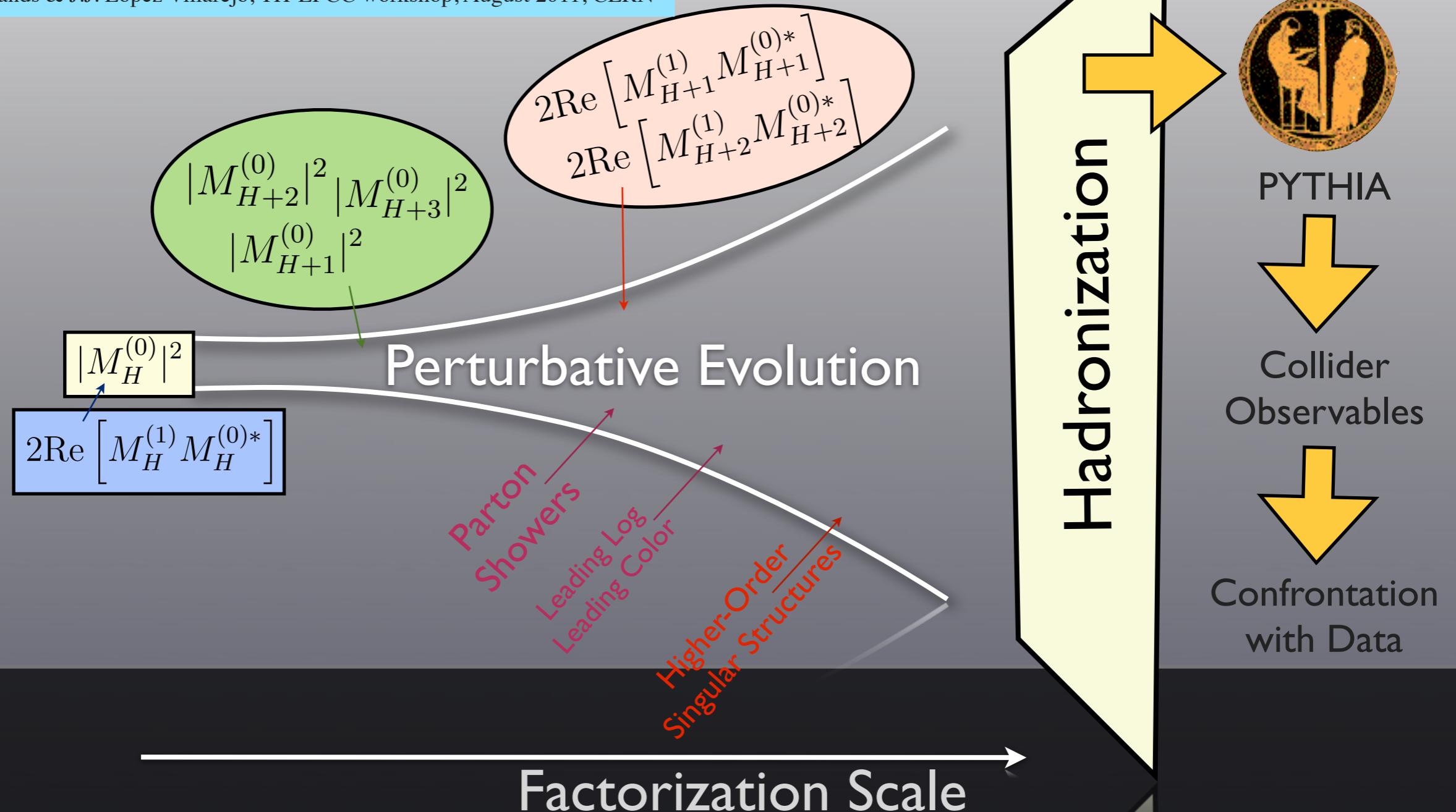


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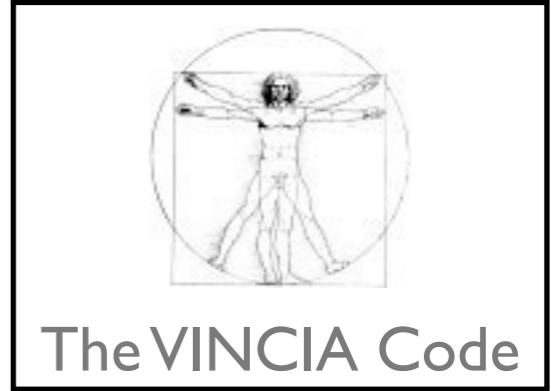


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VINCIA

What is it?

Plug-in to PYTHIA 8 <http://projects.hepforge.org/vincia>



What does it do?

“Matched Markov antenna showers”

Improved parton showers

- + *Re-interprets tree-level matrix elements as $2 \rightarrow n$ antenna functions*
- + *Extends matching to soft region (no “matching scale”)*

Extensive (and automated) uncertainty estimates

Systematic variations of shower functions, evolution variables, μ_R , etc.

→ *A vector of output weights for each event (central value = unity = unweighted)*

Who is doing it?

Giele, Kosower, Skands (GKS)

- + Collaborations with Gehrmann-de-Ridder & Ritzmann (*mass effects*), Lopez-Villarejo (“*sector showers*”), Hartgring & Laenen (*NLO multileg*), Diana (*ISR*), Larkoski (*Polarization*), Bravi & Volunteers (*Tuning*)

What is new ?

For matching to the first emission:

= PYTHIA scheme

(reformulated for antennae)

Sjöstrand & Bengtsson, Phys.Lett. B185 (1987) 435, Nucl.Phys. B289 (1987) 810

For matching to the first loop:

= POWHEG scheme

(real-emission part same as PYTHIA, hence compatible)

Nason, JHEP 0411 (2004) 040; Nason, Ridolfi, JHEP 0608 (2006) 077; ...

What is new (apart from antennae):

Giele, Kosower, Skands, arXiv:1102.2126 (accepted, PRD)

Repeating this for the next emission, and the next, ...

GKS \sim multileg scheme (unitary) that reduces to PYTHIA/POWHEG at 1st order

Unitarity \rightarrow No “matching scale” needed

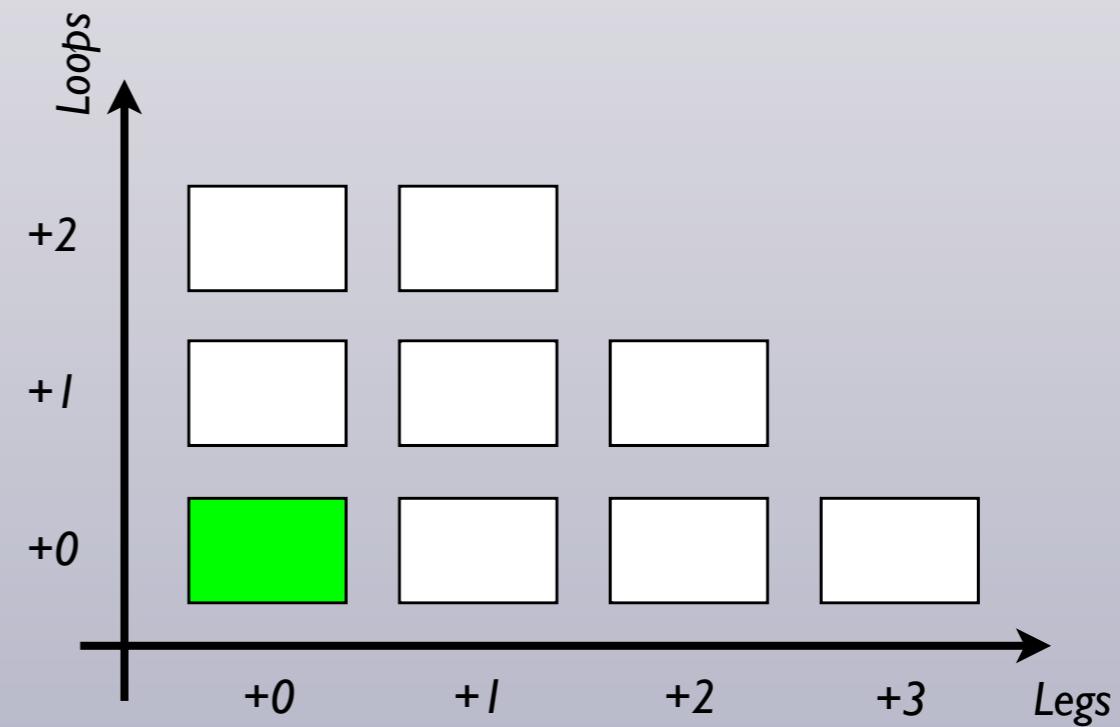
Substantially faster than MLM, CKKW (no initialization, no separate n-parton phase-spaces)

The calculation also yields ~ 10 automatic uncertainty estimates at a moderate speed penalty (less than running the program twice)

Markov pQCD

Start at Born level

$$|M_F|^2$$



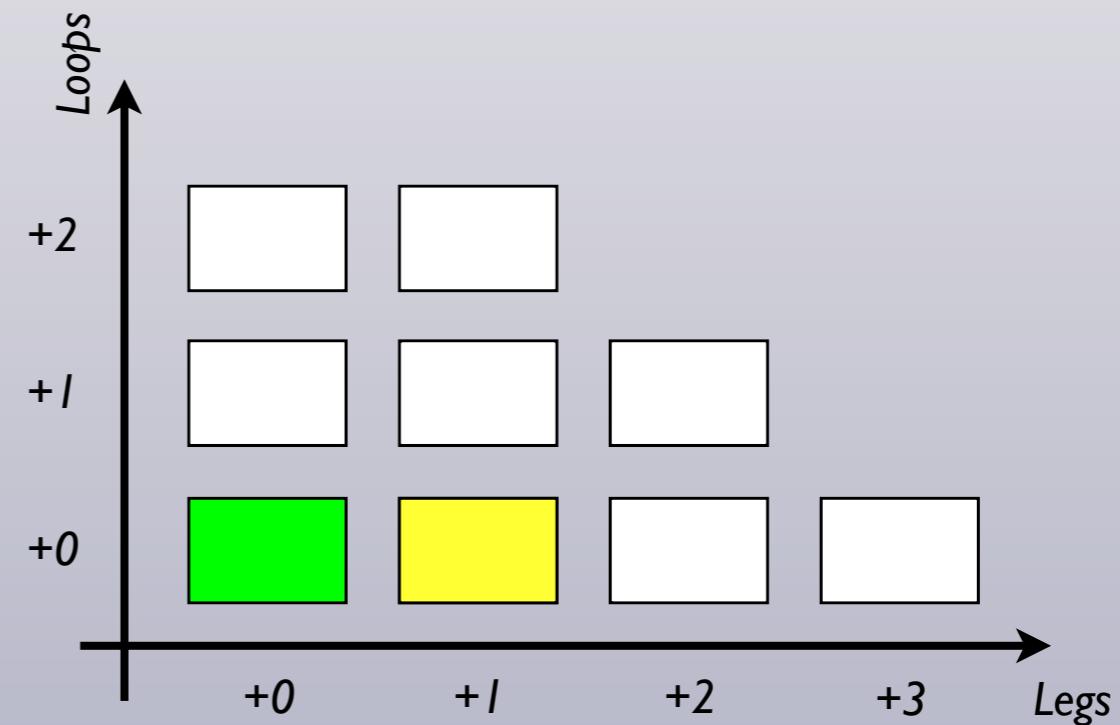
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Generate “shower” emission

$$|M_{F+1}|^2 \stackrel{LL}{\sim} \sum_{i \in \text{ant}} a_i |M_F|^2$$



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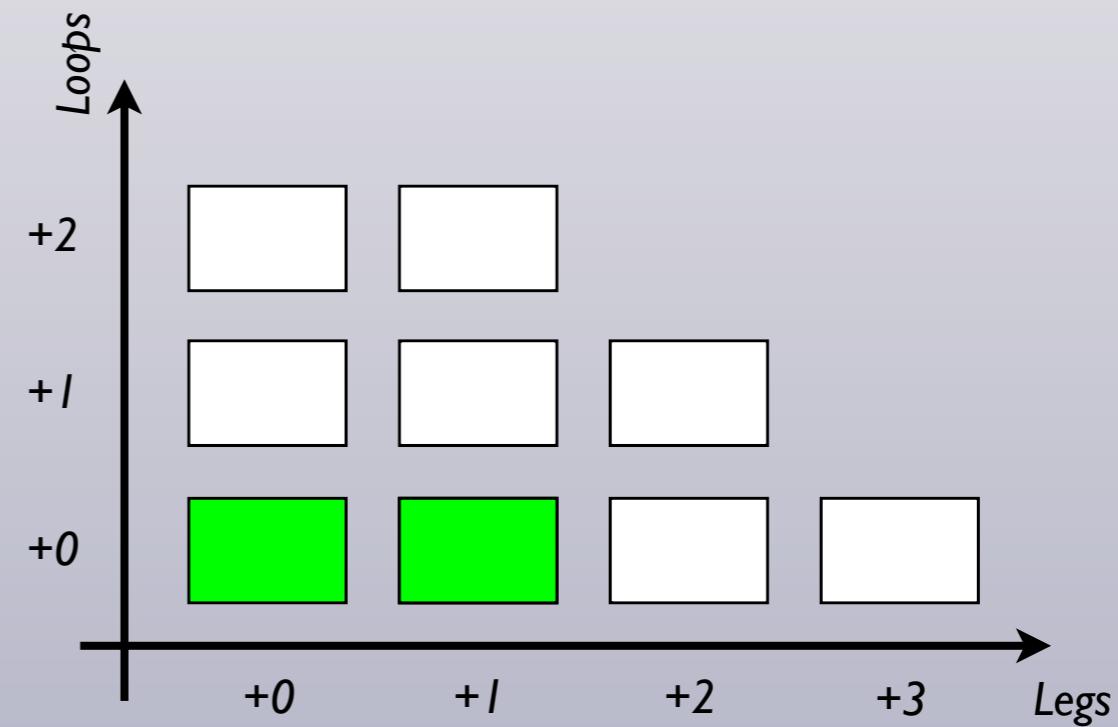
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Correct to Matrix Element

PYTHIA trick

$$a_i \rightarrow \frac{|M_{F+1}|^2}{\sum a_i |M_F|^2}$$



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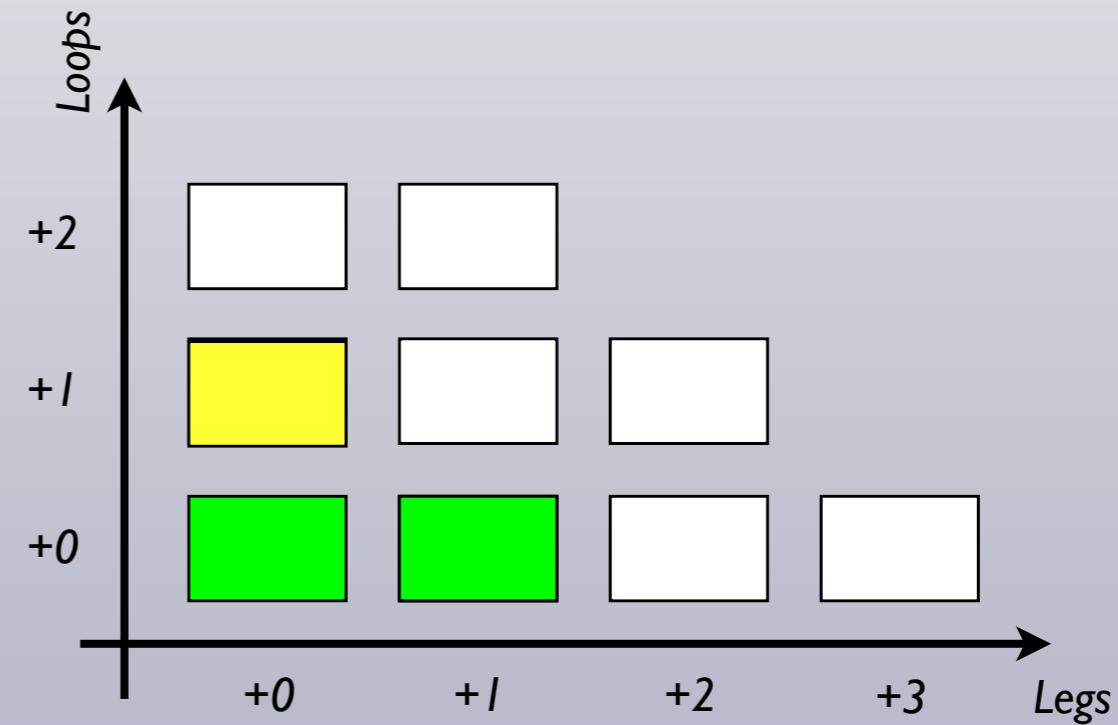
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Unitarity of Shower

$$\text{Virtual} = - \int \text{Real}$$



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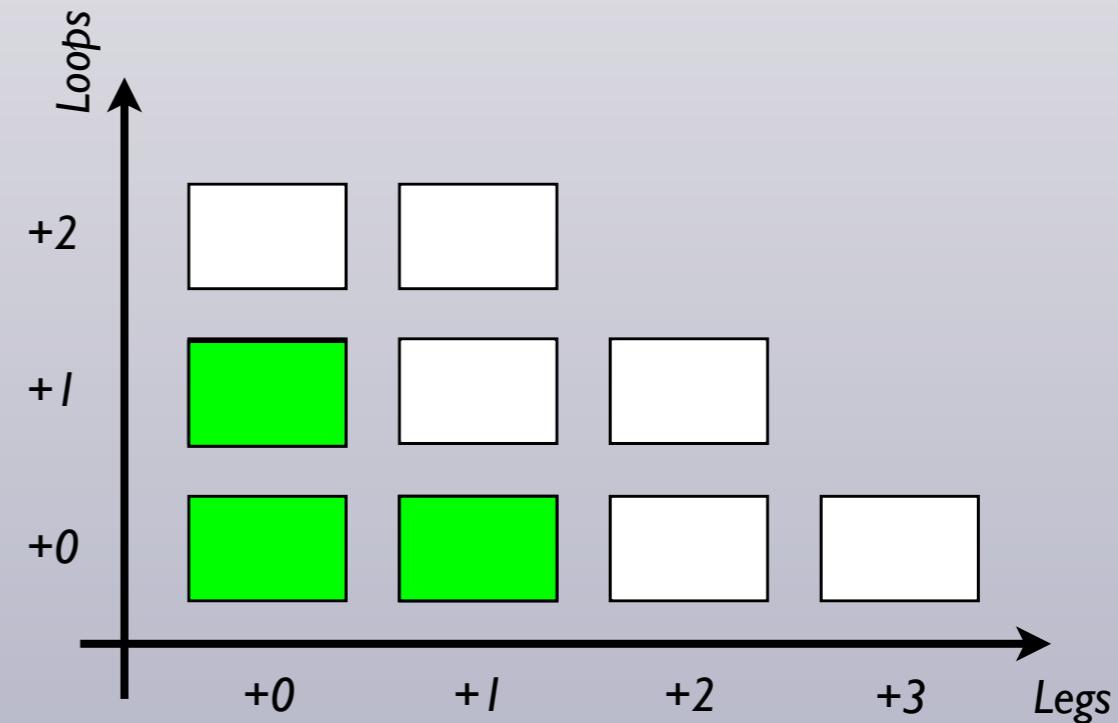
Unitarity of Shower

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Correct to Matrix Element

$$|M_F|^2 \rightarrow |M_F|^2 + 2\text{Re}[M_F^1 M_F^0] + \int \text{Real}$$

POWHEG trick



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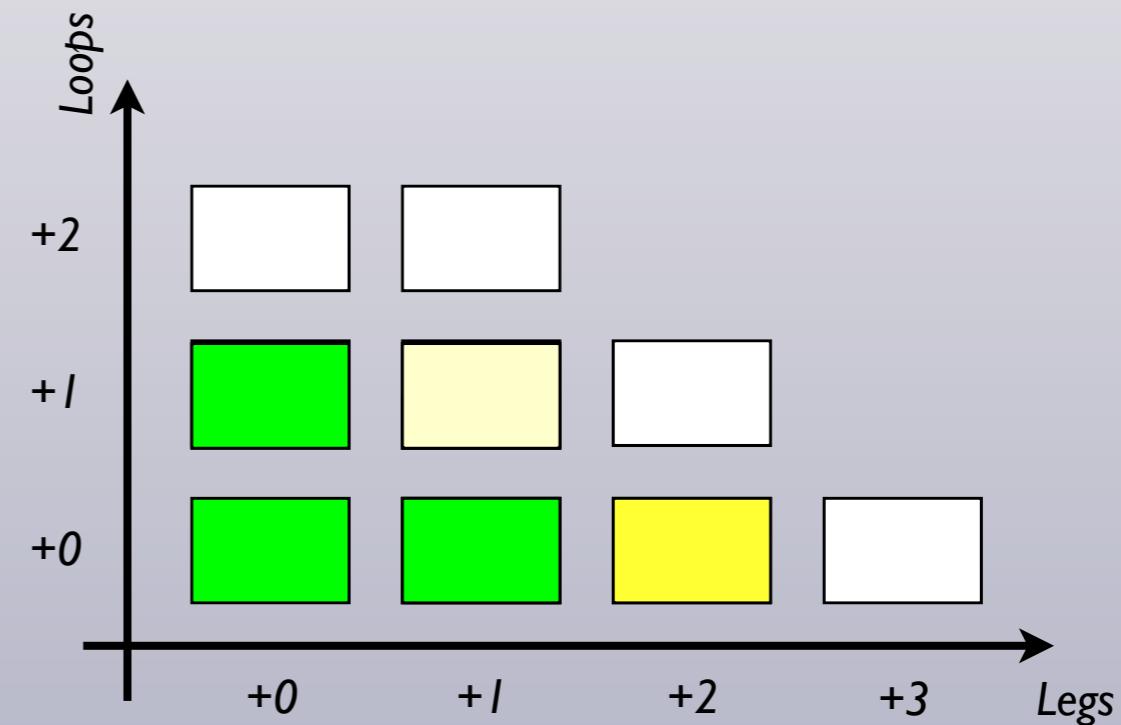
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Repeat



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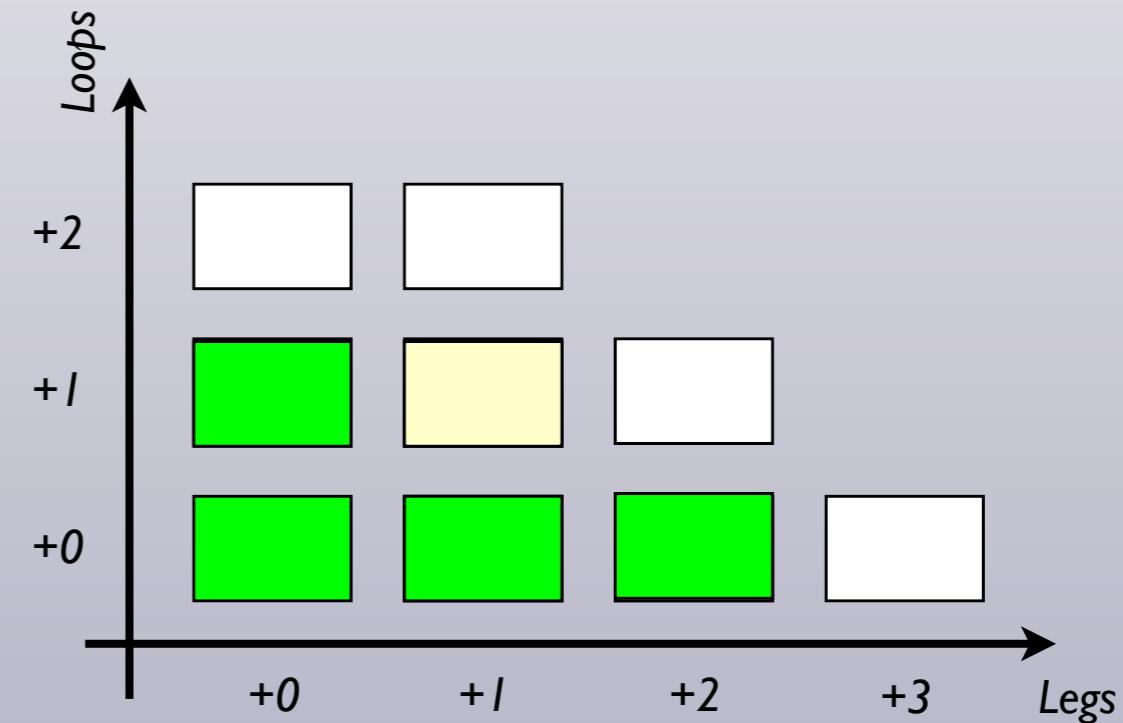
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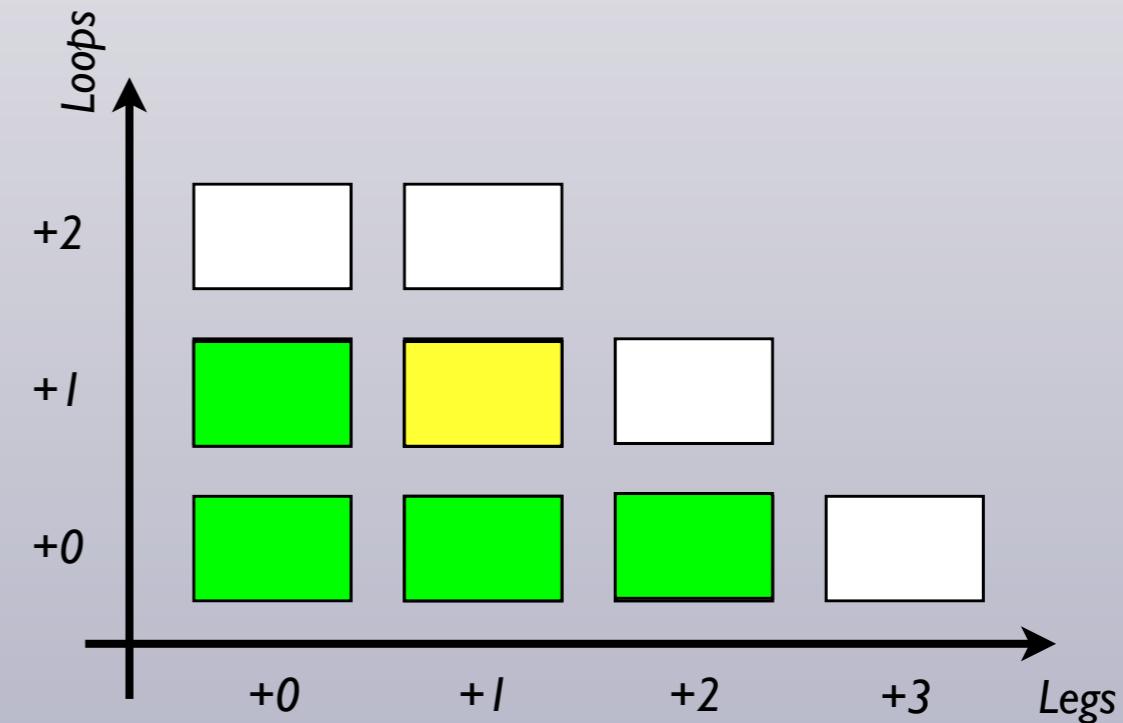
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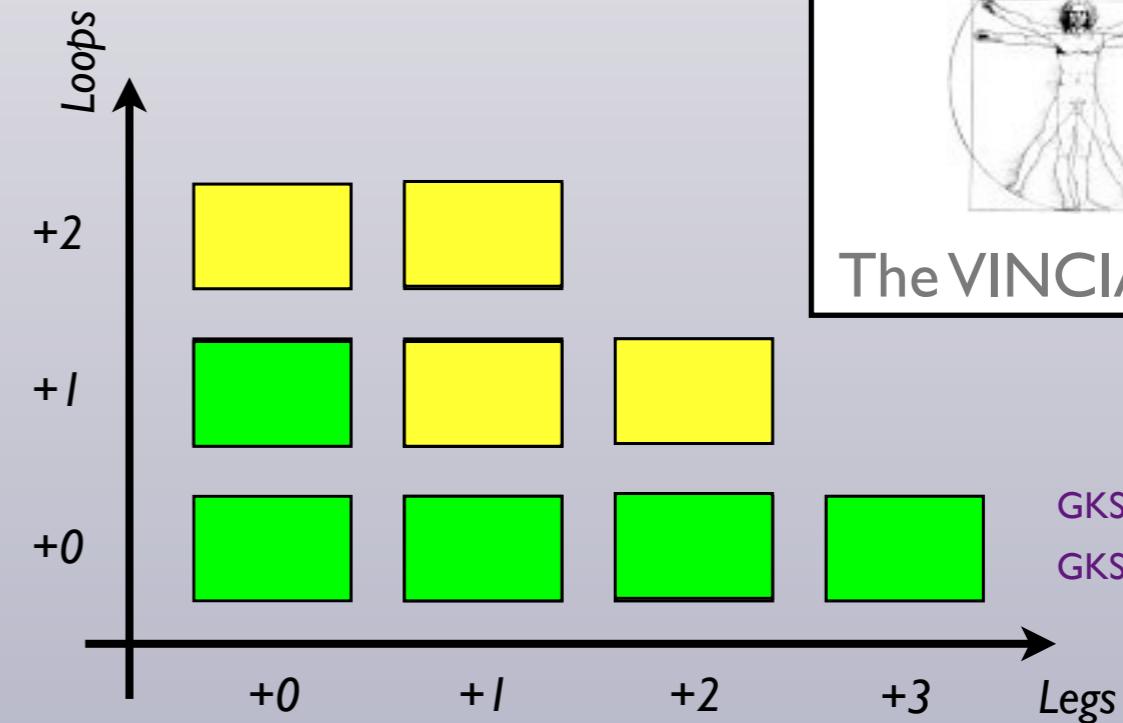
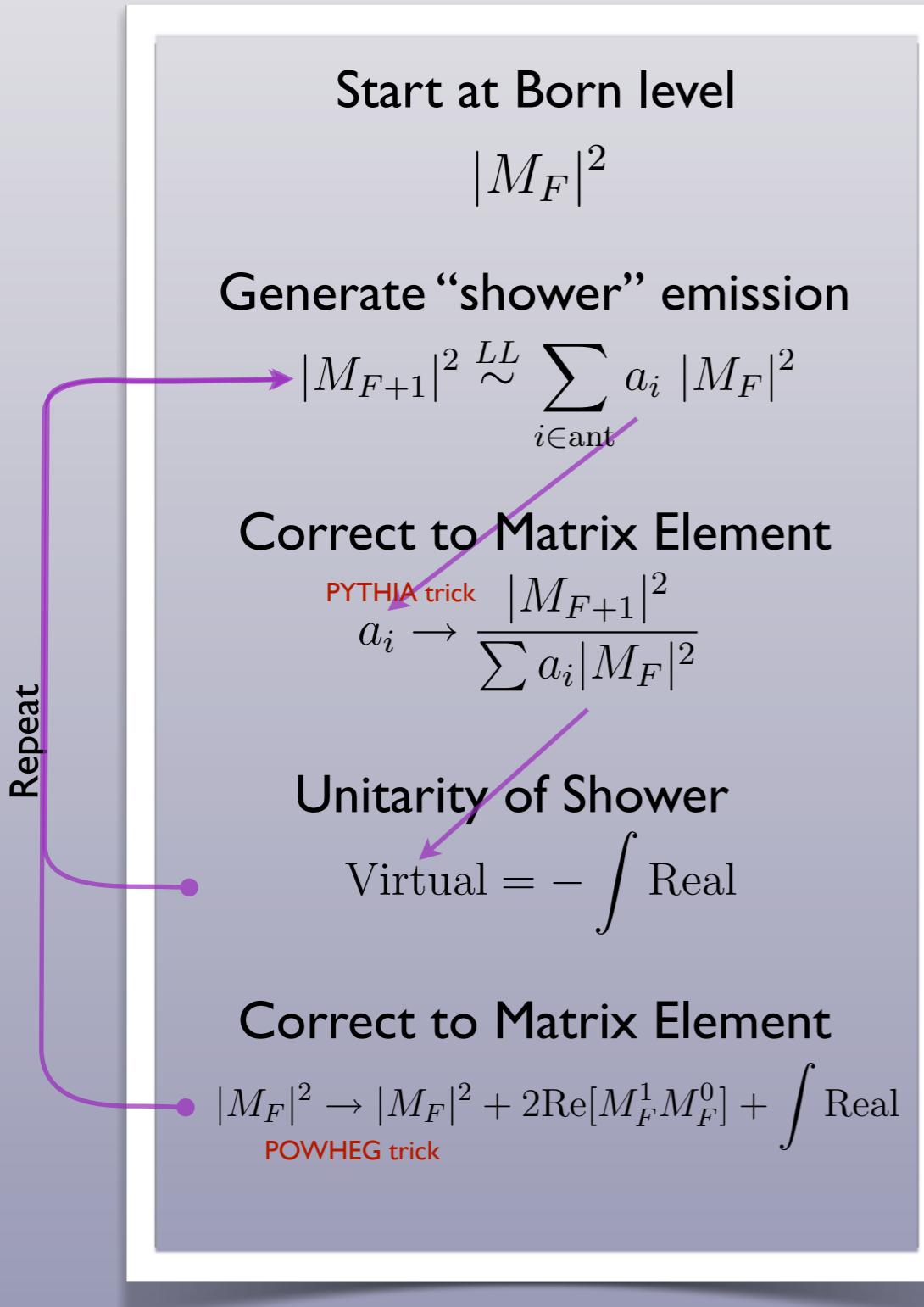
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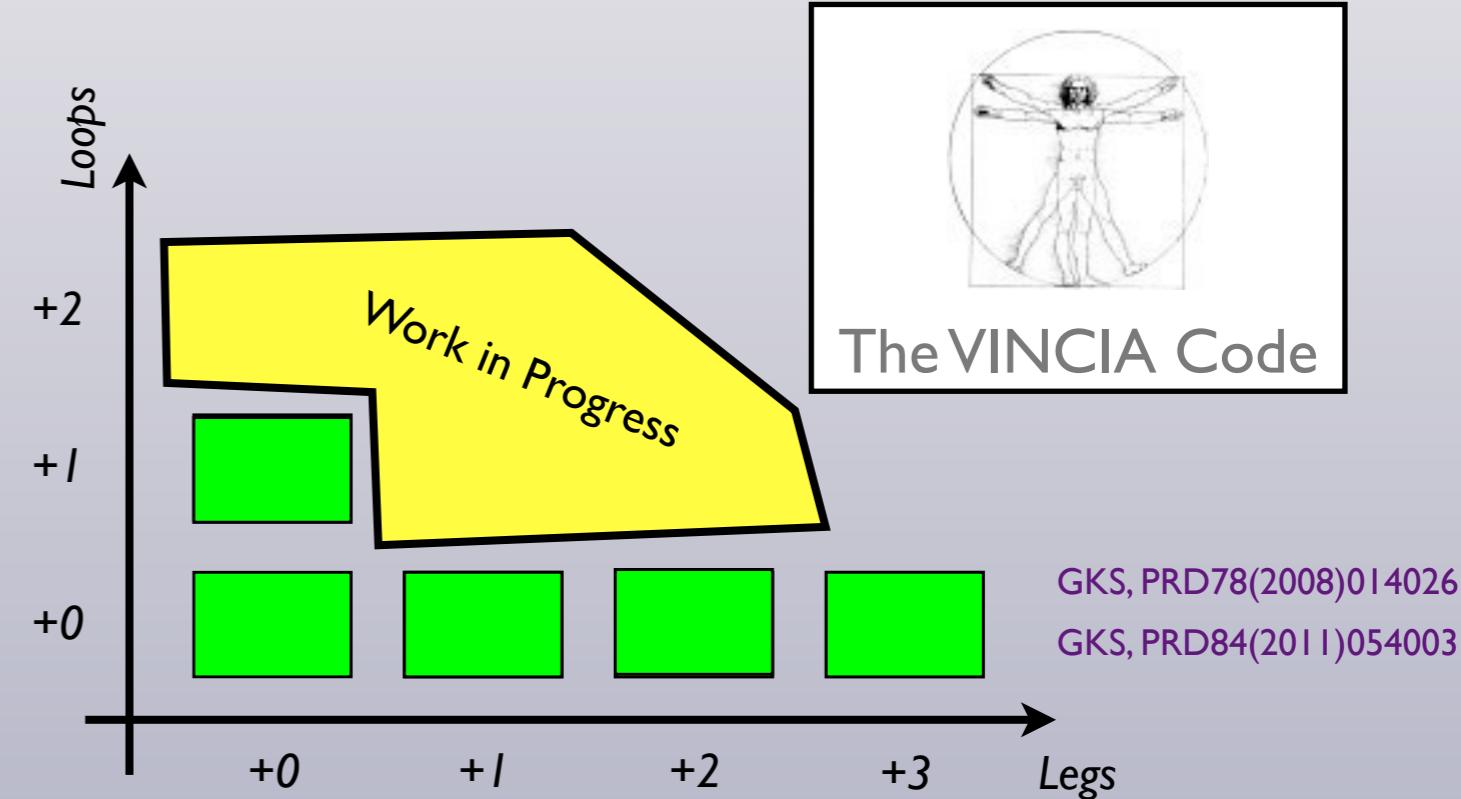
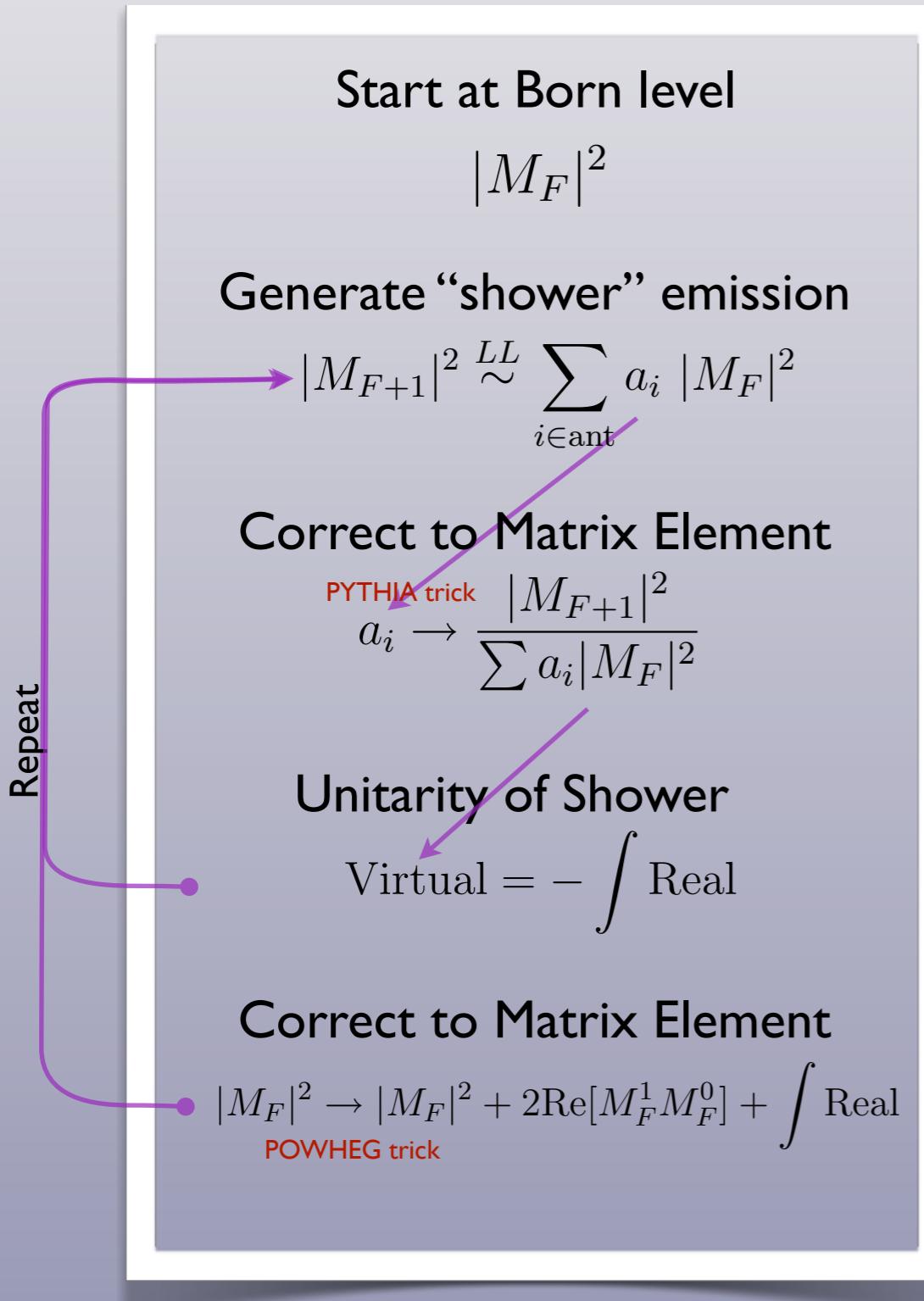


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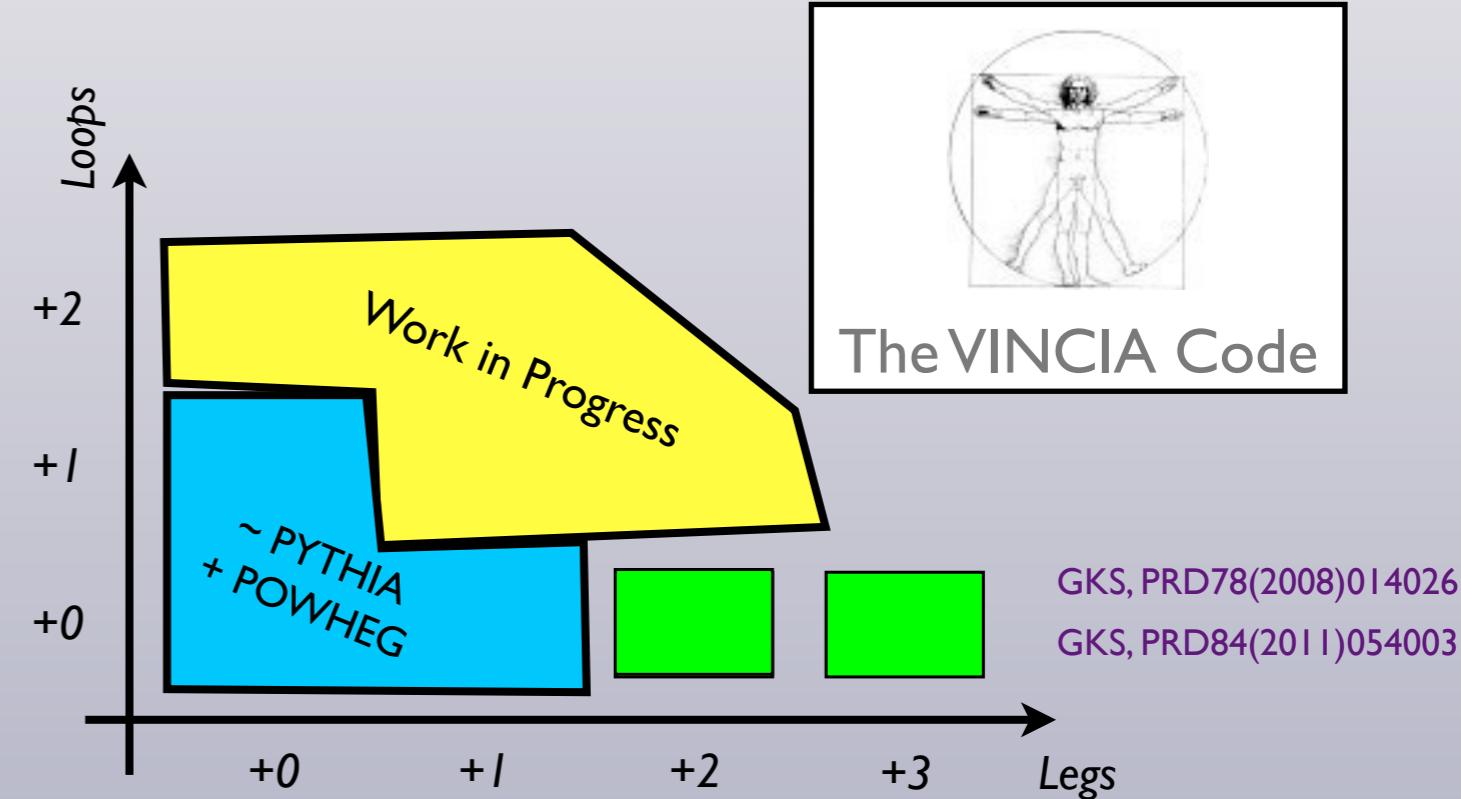
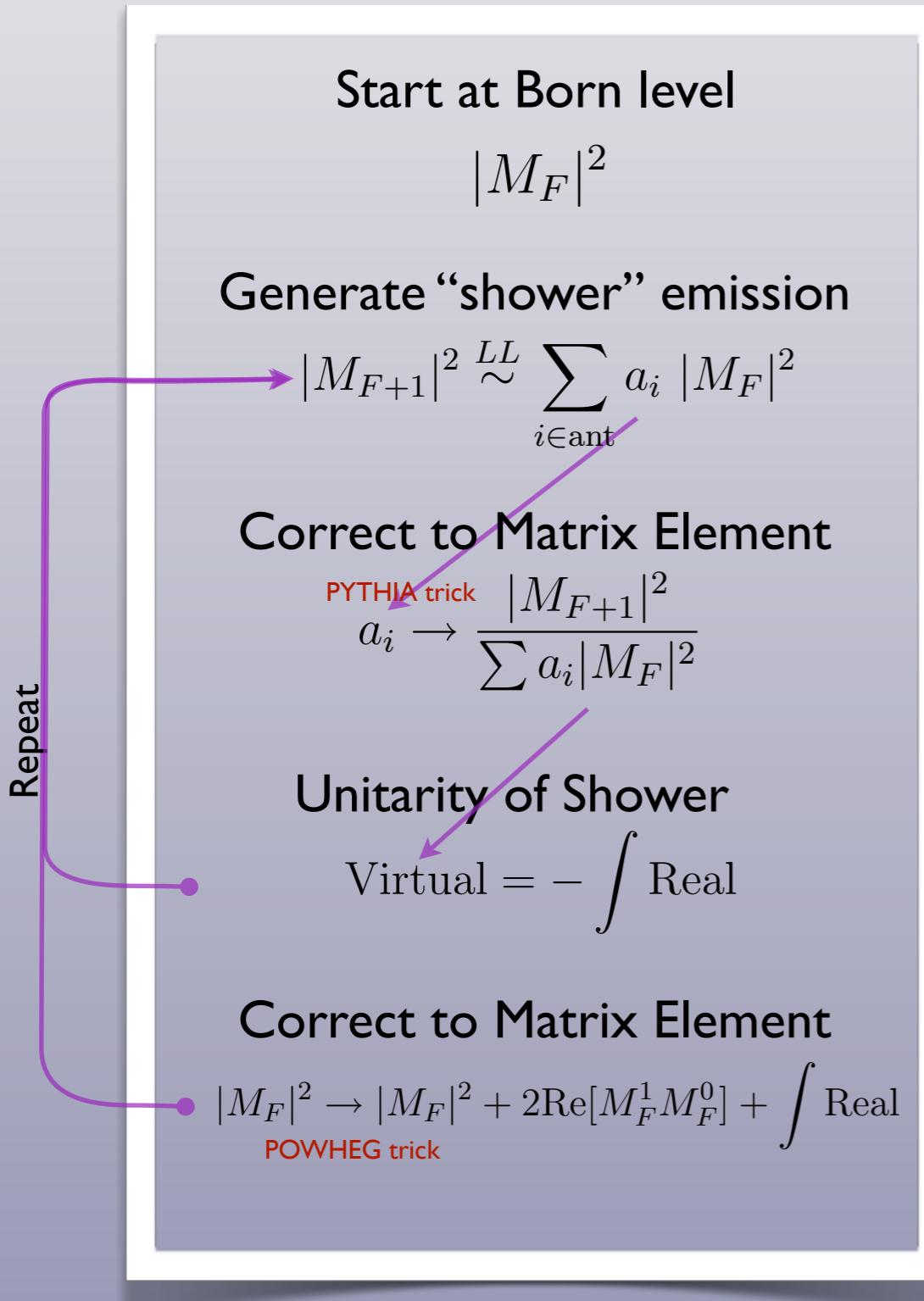


GKS, PRD78(2008)014026
GKS, PRD84(2011)054003

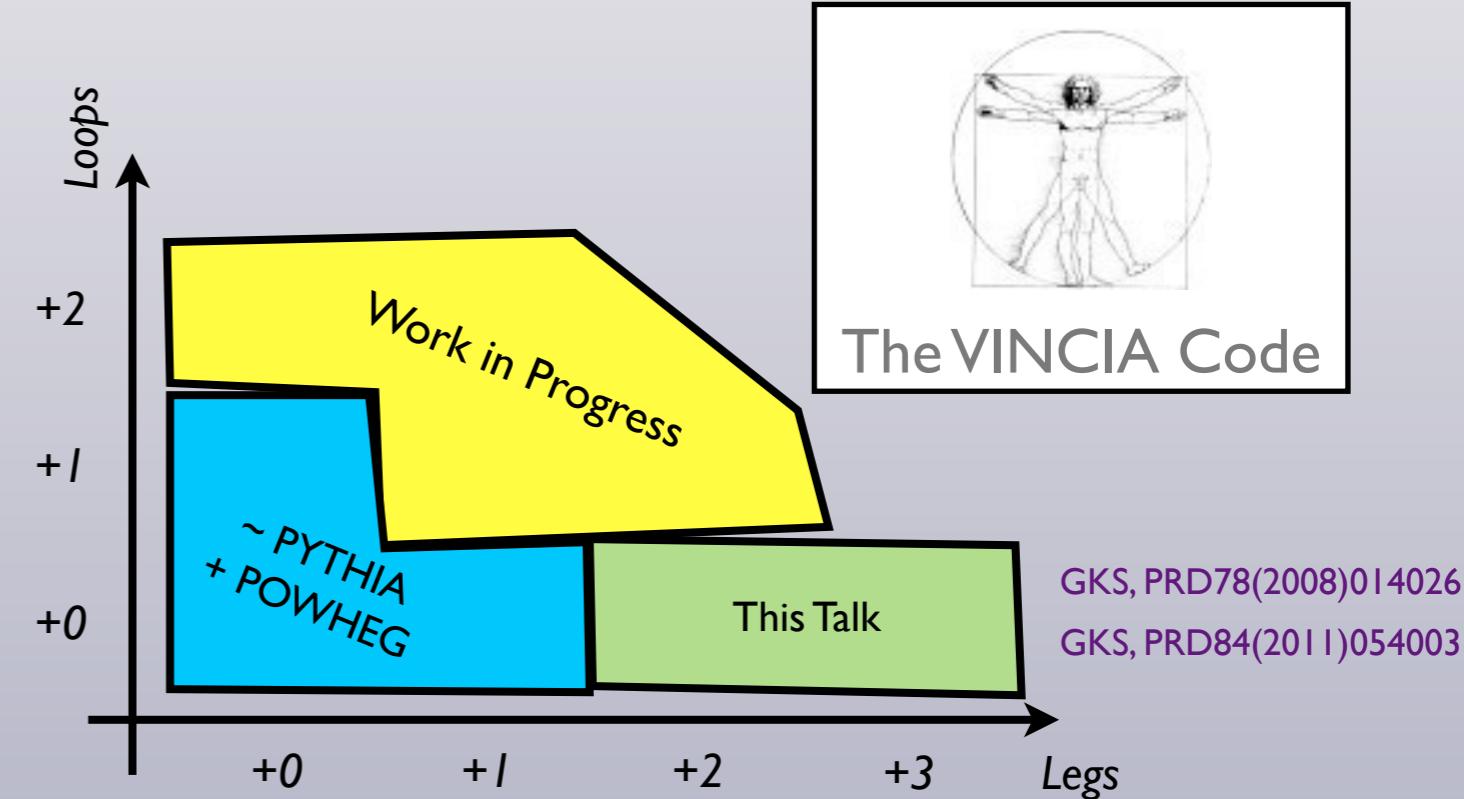
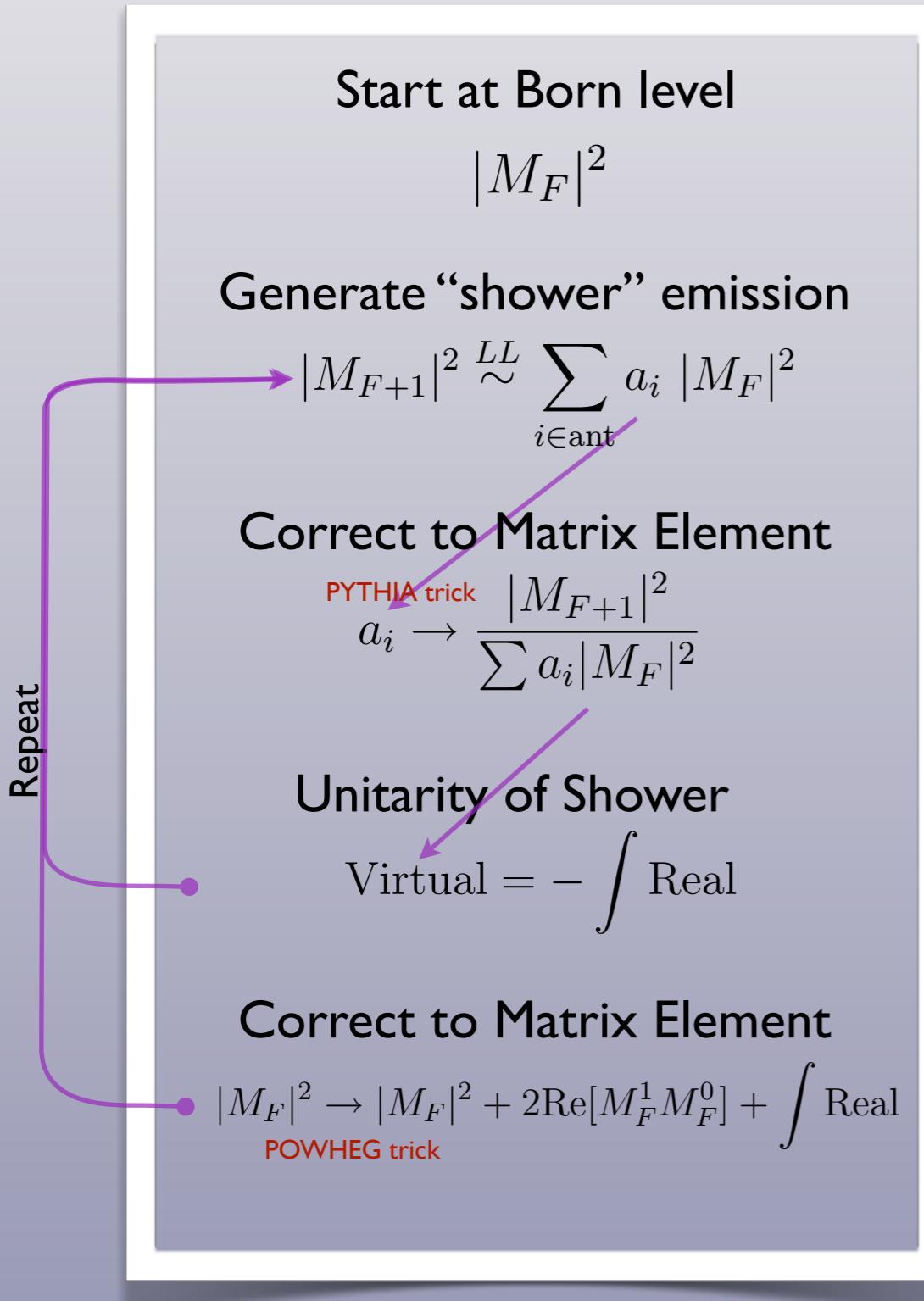
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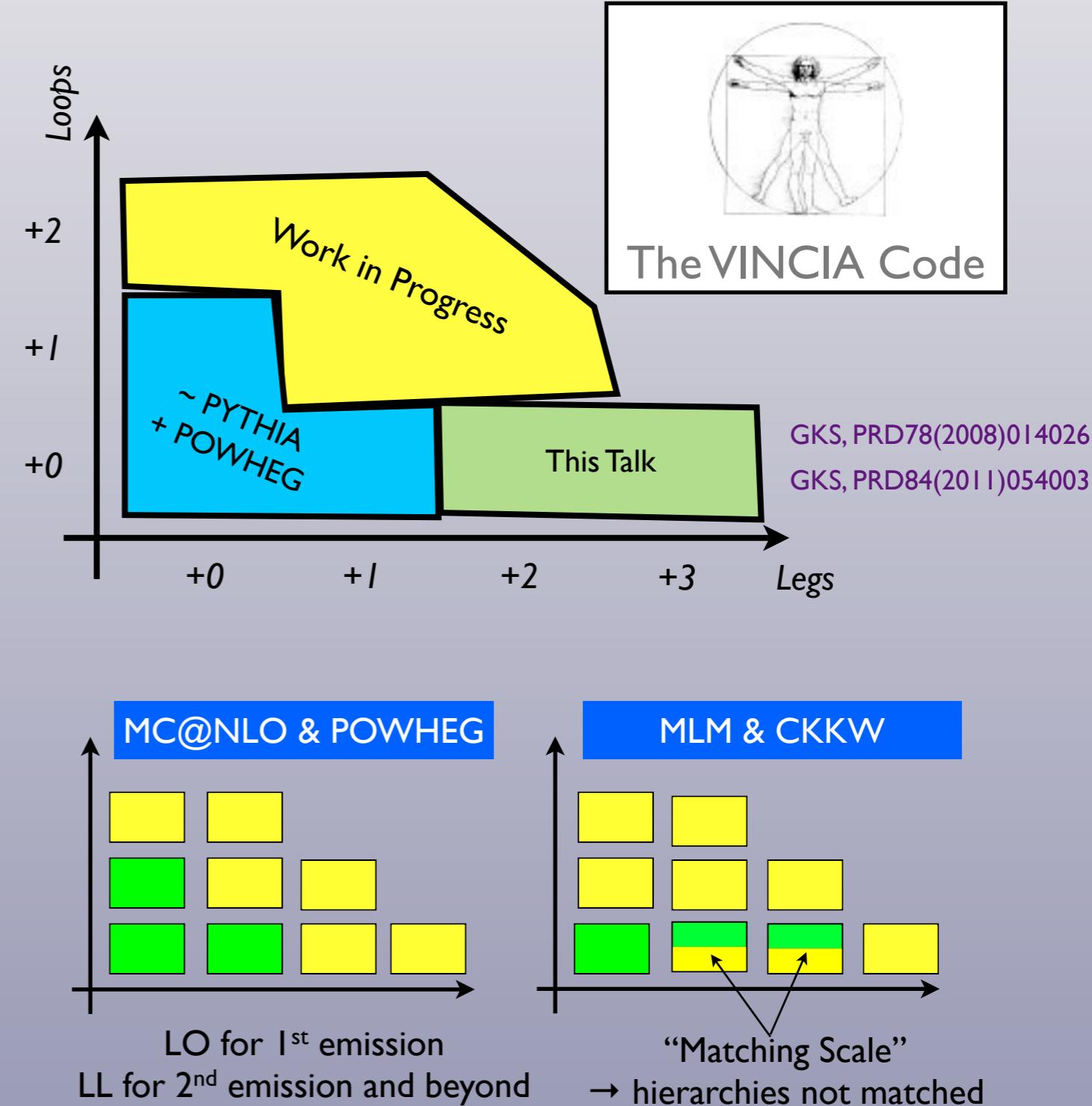
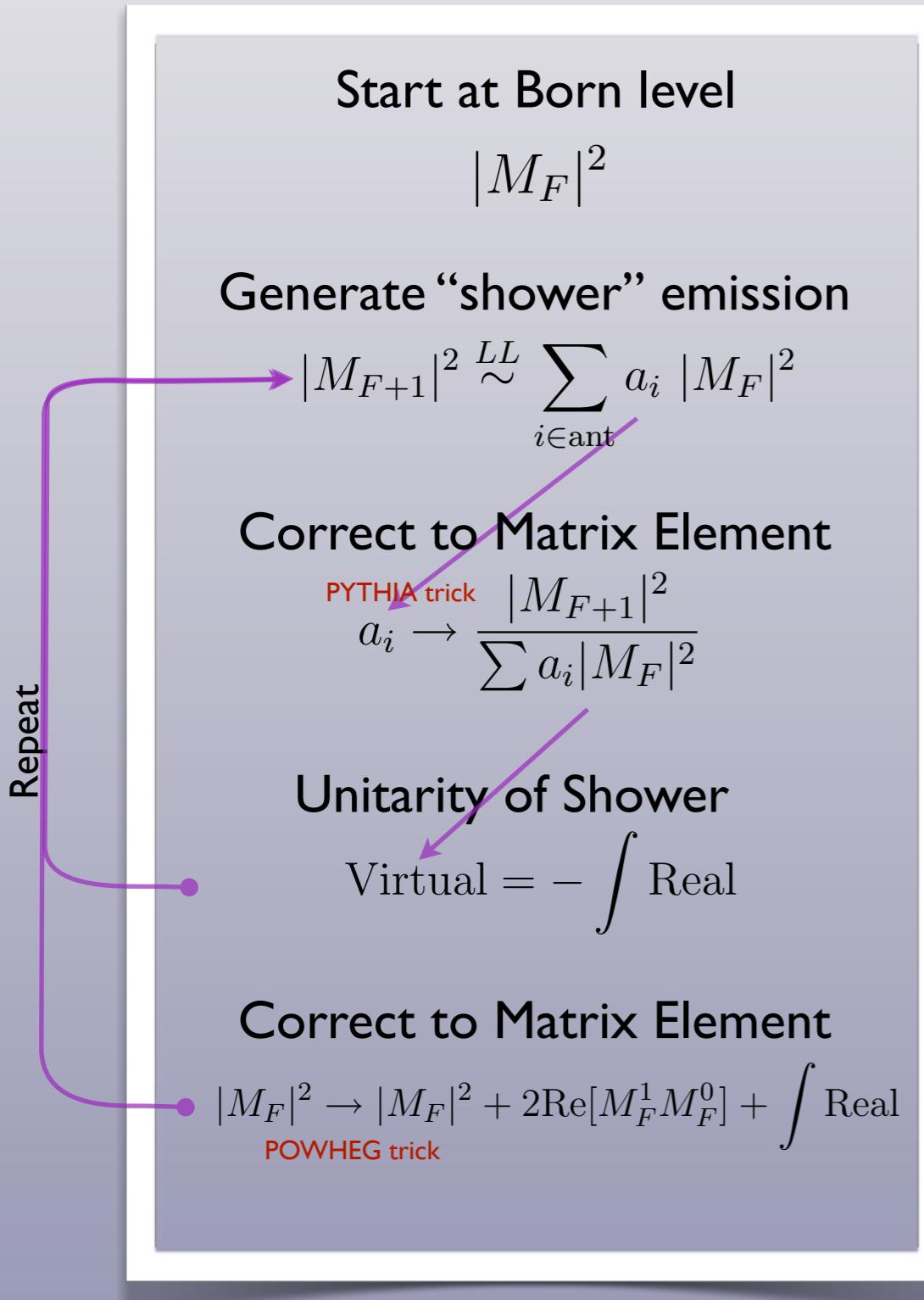
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Markov pQCD



The Denominator

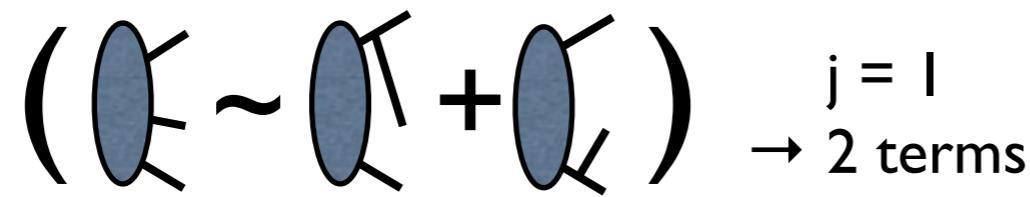
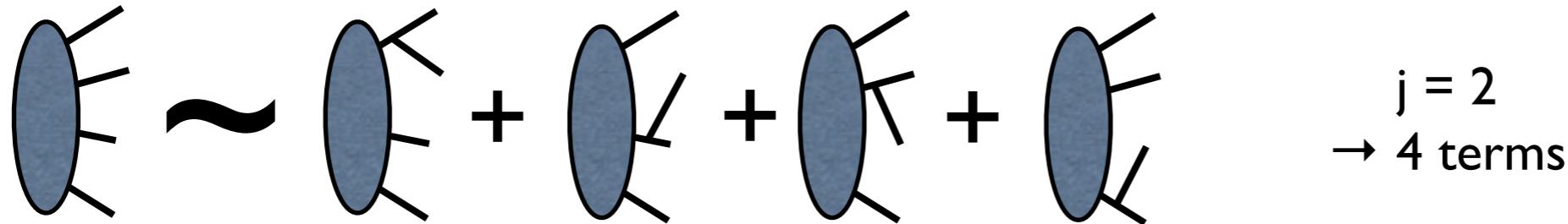
$$a_i \rightarrow \frac{|M_{F+1}|^2}{\sum a_i |M_F|^2}$$

In a traditional parton shower, you would face the following problem:

Existing parton showers are *not* really Markov Chains

Further evolution (restart scale) depends on which branching happened last
 \rightarrow *proliferation of terms*

Number of histories contributing to n^{th} branching $\propto 2^n n!$



(+ parton showers have complicated and/or frame-dependent phase-space mappings, especially at the multi-parton level)

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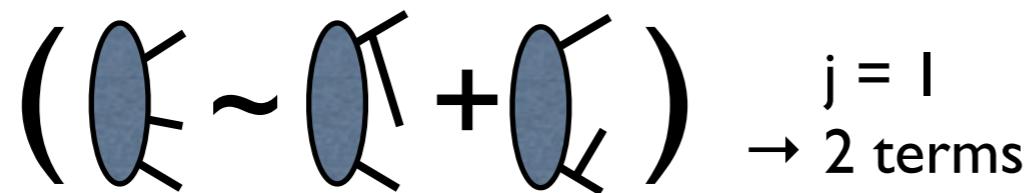
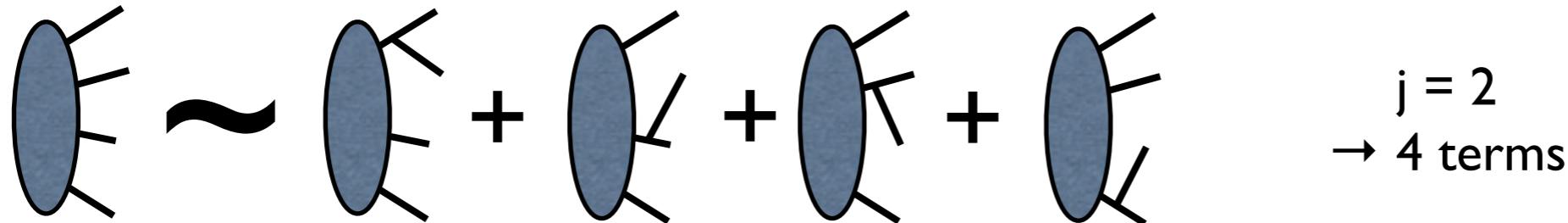
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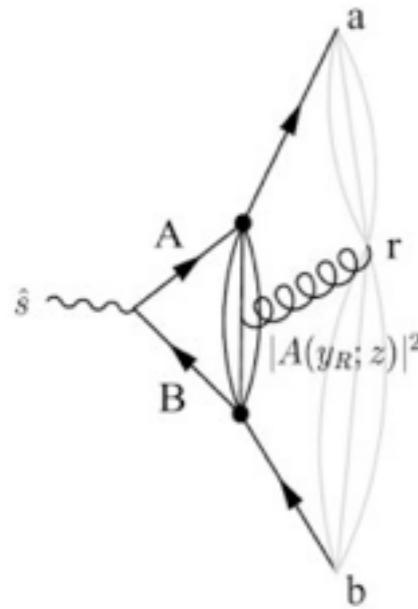
Parton- (or Catani-Seymour) Shower:
After 2 branchings: 8 terms
After 3 branchings: 48 terms
After 4 branchings: 384 terms

(+ parton showers have complicated and/or frame-dependent phase-space mappings, especially at the multi-parton level)

Matched Markovian Antenna Showers

Antenna showers: one term per parton pair

$$2^n n! \rightarrow n!$$



(+ generic Lorentz-invariant and on-shell phase-space factorization)

+ **Change “shower restart” to Markov criterion:**

Given an n -parton configuration, “ordering” scale is

$$Q_{ord} = \min(Q_{E1}, Q_{E2}, \dots, Q_{En})$$

Unique restart scale, independently of how it was produced

+ **Matching:** $n! \rightarrow n$

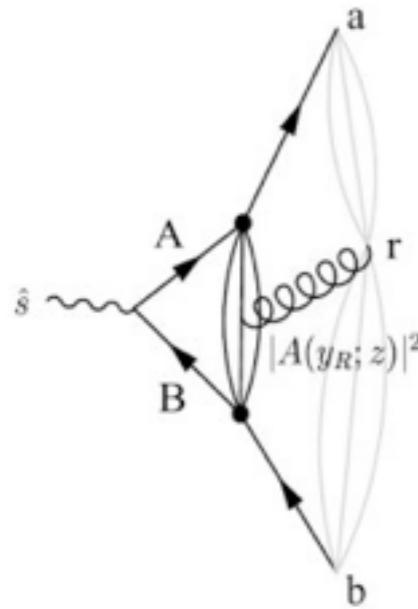
Given an n -parton configuration, its phase space weight is:

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Matched Markovian Antenna Shower:

After 2 branchings: 2 terms

After 3 branchings: 3 terms

After 4 branchings: 4 terms

+ J. Lopez-Villarejo \rightarrow 1 term at any order

Parton- (or Catani-Seymour) Shower:

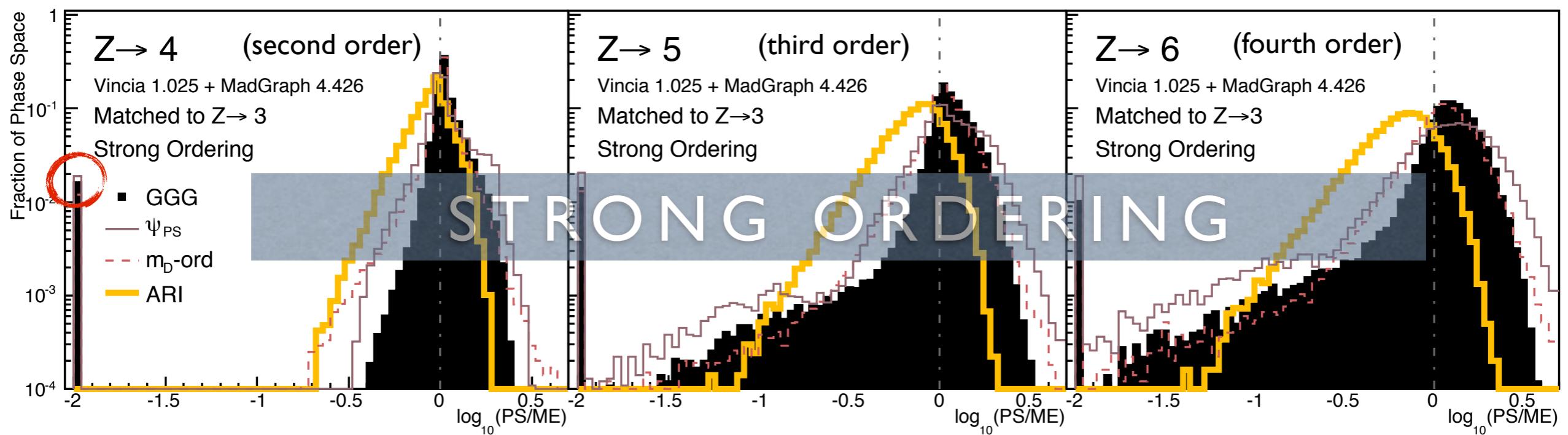
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Approximations

Distribution of $\log_{10}(\text{PS}_{\text{LO}}/\text{ME}_{\text{LO}})$ (inverse \sim matching coefficient)

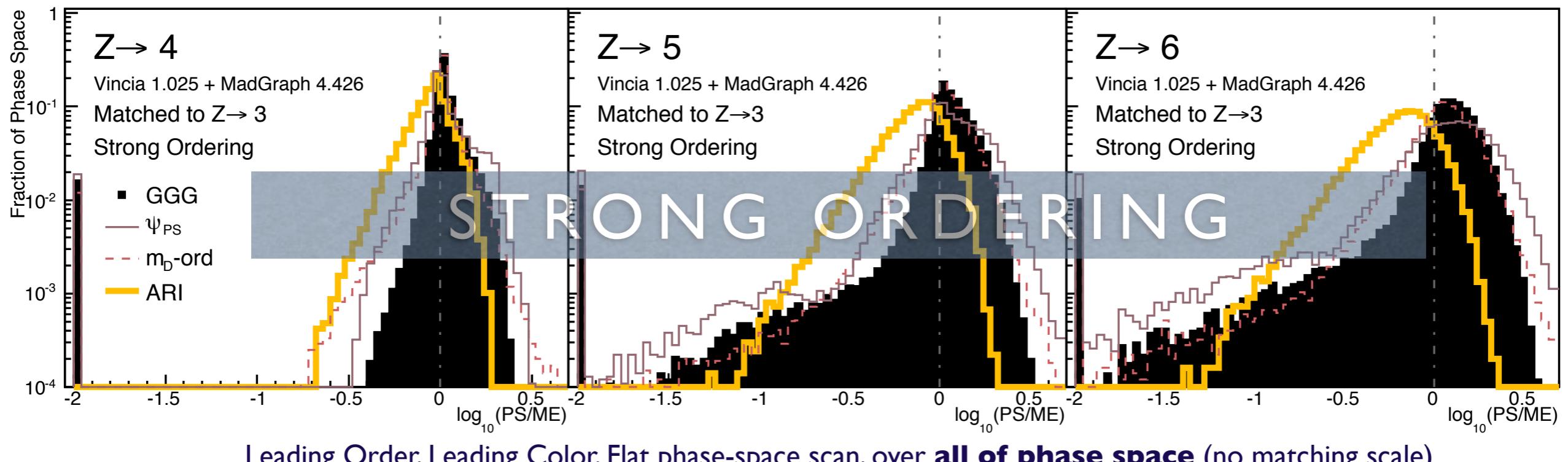


Dead Zone: 1-2% of phase space have no strongly ordered paths leading there*

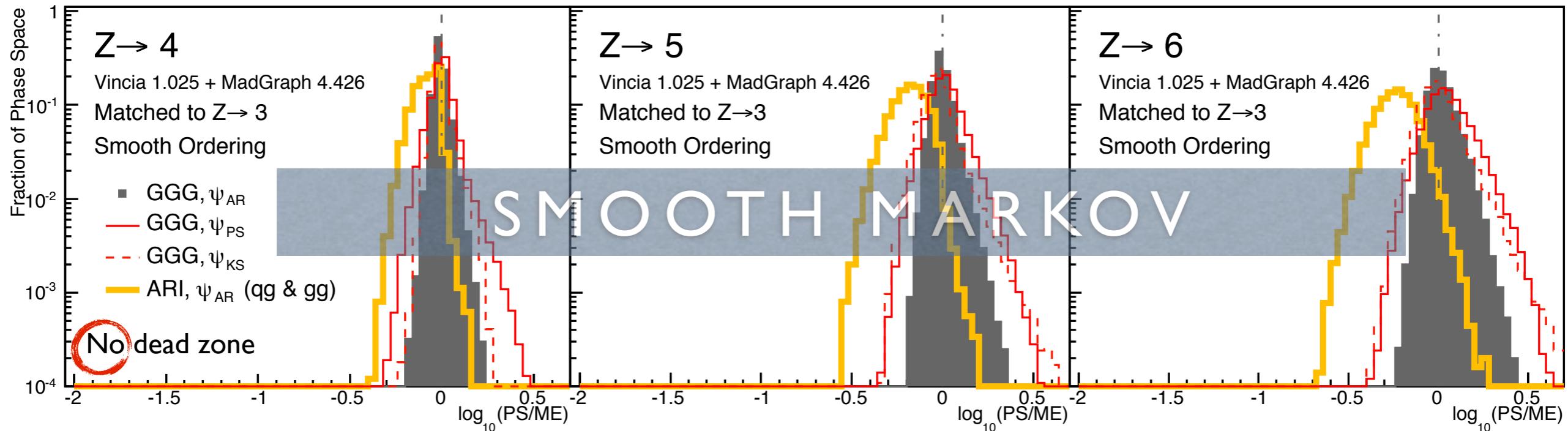
*fine from strict LL point of view: those points correspond to “unordered” non-log-enhanced configurations

→ Better Approximations

Distribution of $\text{Log}_{10}(\text{PS}_{\text{LO}}/\text{ME}_{\text{LO}})$ (inverse \sim matching coefficient)

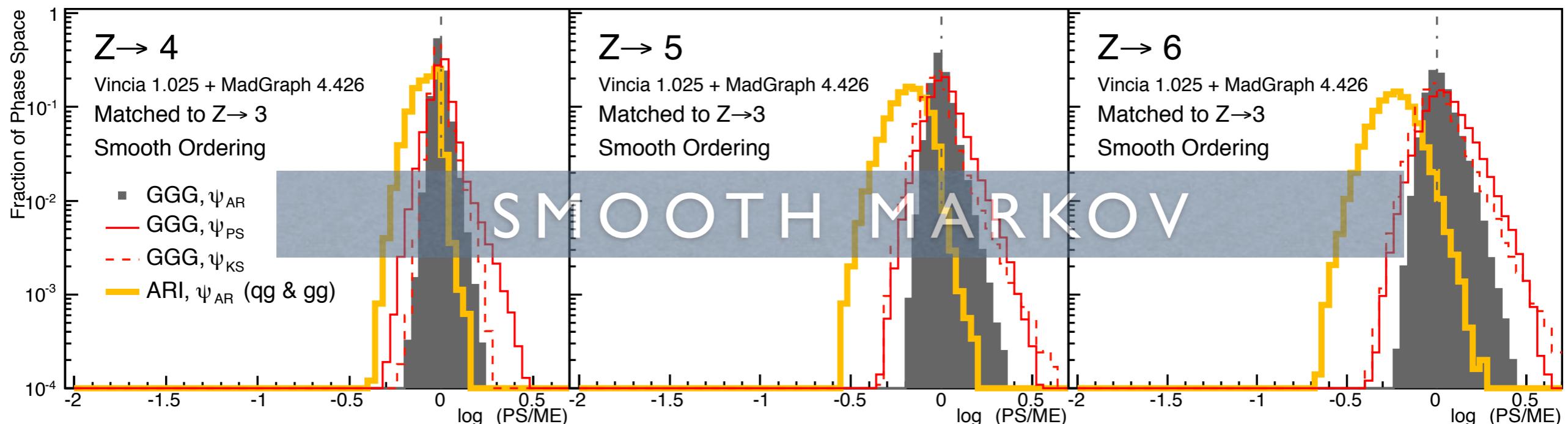


Leading Order, Leading Color, Flat phase-space scan, over **all of phase space** (no matching scale)

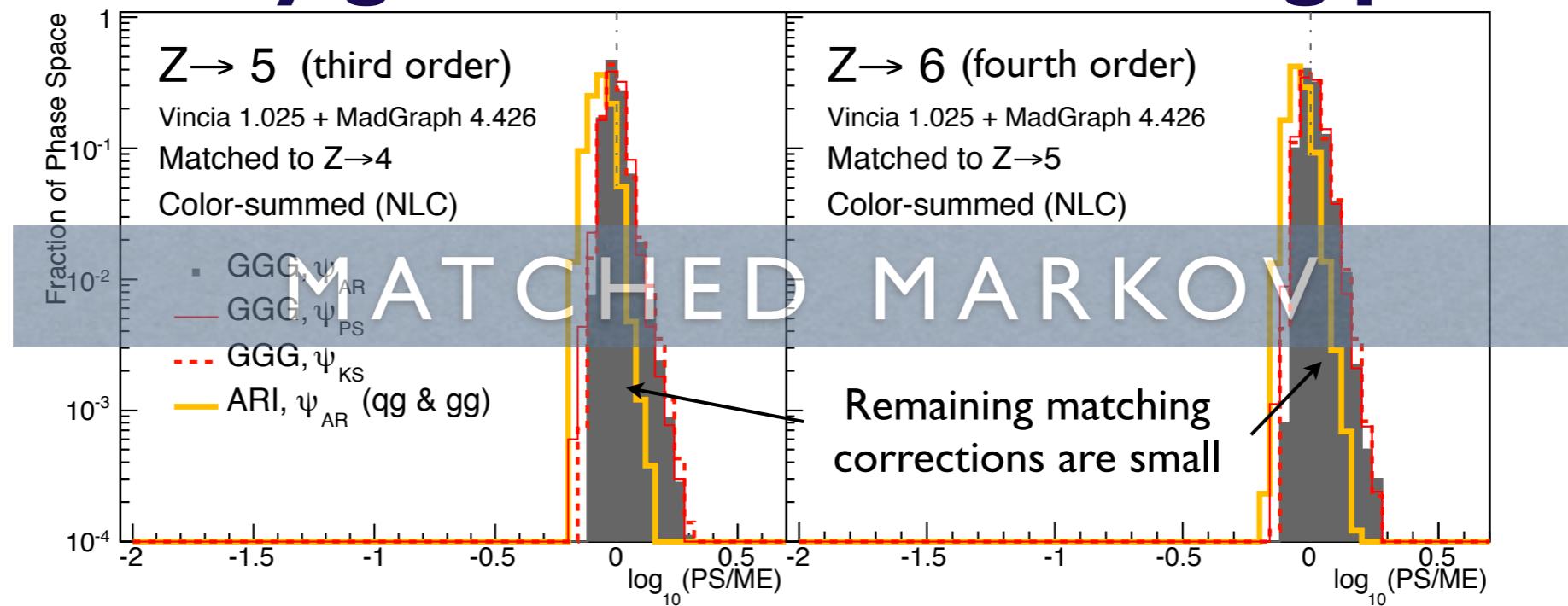


GEEKS (Giele, Kosower, Skands): arXiv:1102.2126

+ Matching (+ NLC)



→ A very good all-orders starting point



A landscape photograph of a road curving into the distance, set against a dramatic sky at sunset or sunrise. The sky is filled with dark, textured clouds, with bright sunlight breaking through on the right side. The road is dark and appears to be made of asphalt. The overall mood is mysterious and contemplative, with a large black rectangular overlay covering the top half of the image.

Uncertainties

Uncertainty Variations

A result is only as good as its uncertainty

Normal procedure:

Run MC $2N+1$ times (for central + N up/down variations)

Takes $2N+1$ times as long

+ uncorrelated statistical fluctuations

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Takes $2N+1$ times as long

+ uncorrelated statistical fluctuations

Automate and do everything in one run

VINCIA: all events have weight = 1

Compute *unitary* alternative weights on the fly

→ sets of alternative weights representing variations (all with $\langle w \rangle = 1$)

Same events, so only have to be hadronized/detector-simulated ONCE!

MC with Automatic Uncertainty Bands

Uncertainties

**For each branching,
recompute weight for:**

- Different renormalization scales
- Different antenna functions
- Different ordering criteria
- Different subleading-color treatments

	Weight
Nominal	1
Variation	$P_2 = \frac{\alpha_{s2} a_2}{\alpha_{s1} a_1} P_1$

Uncertainties

**For each branching,
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	Weight
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Variation	$P_2 = \frac{\alpha_s 2 a_2}{\alpha_s 1 a_1} P_1$

+ Unitarity

For each *failed* branching:

$$P_{2;\text{no}} = 1 - P_2 = 1 - \frac{\alpha_s 2 a_2}{\alpha_s 1 a_1} P_1$$

Uncertainties

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	Weight
Nominal	1
Variation	$P_2 = \frac{\alpha_s 2 a_2}{\alpha_s 1 a_1} P_1$

+ Matching

Differences explicitly matched out

(Up to matched orders)

(Can in principle also include variations of matching scheme...)

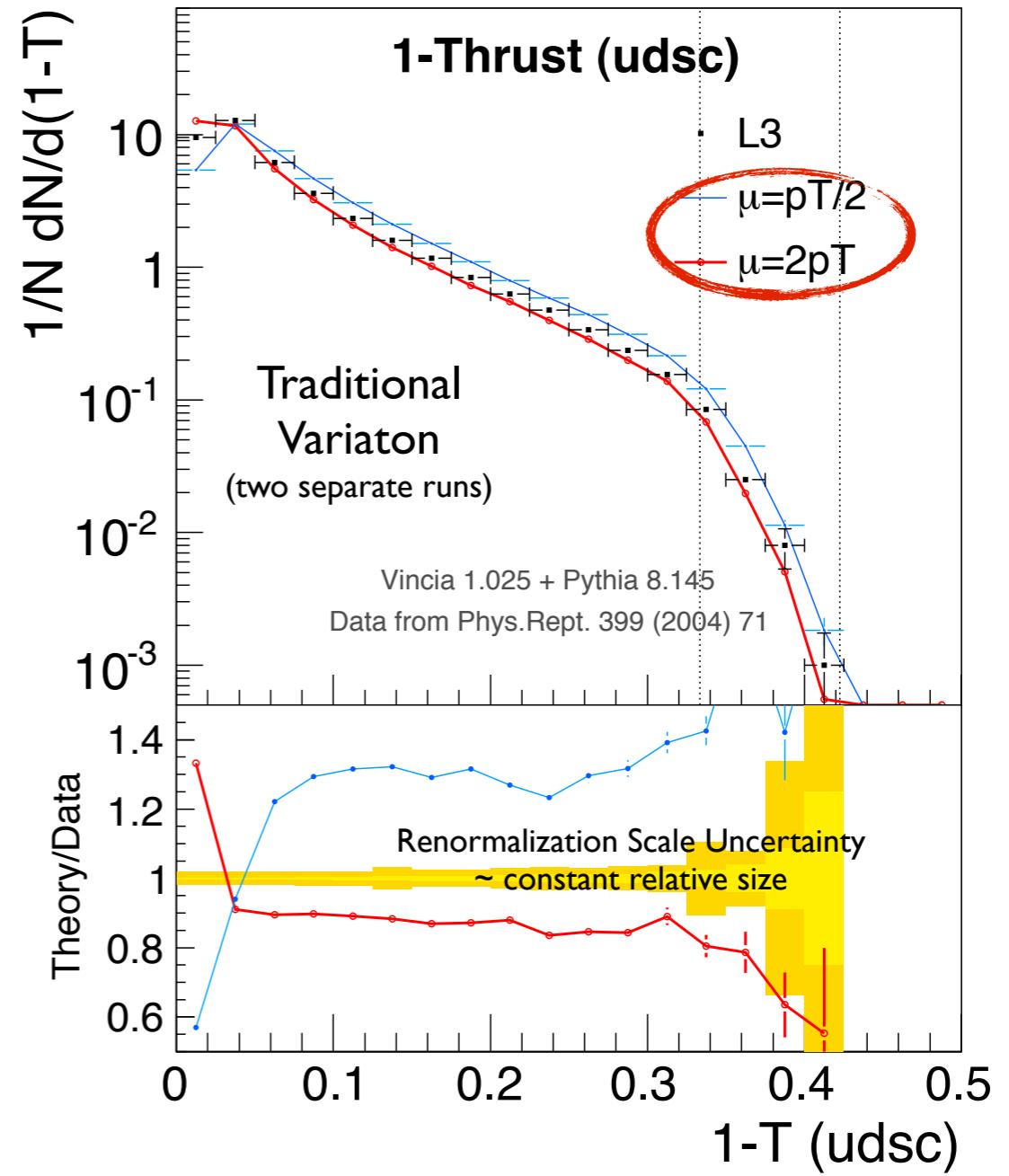
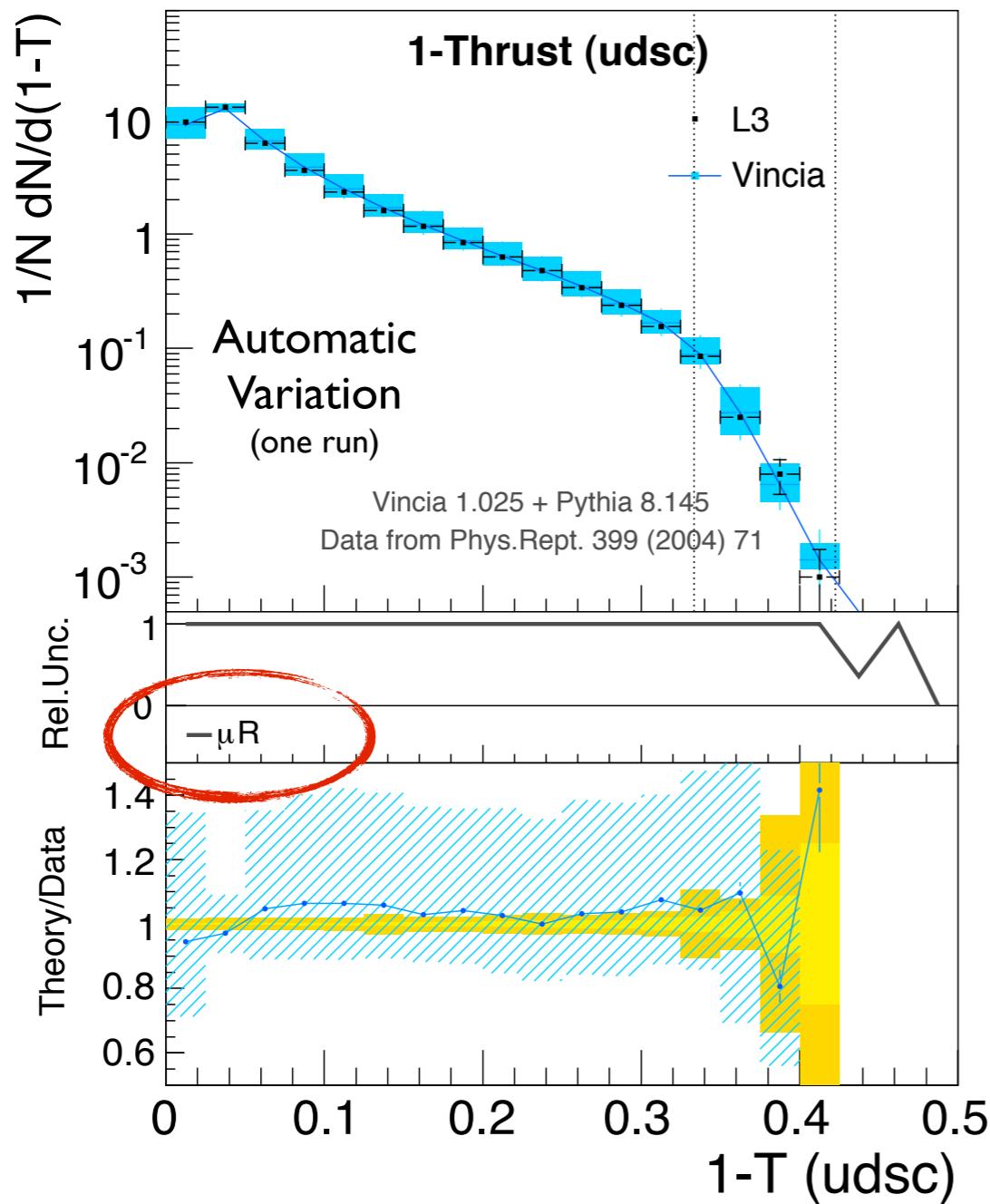
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Automatic Uncertainties

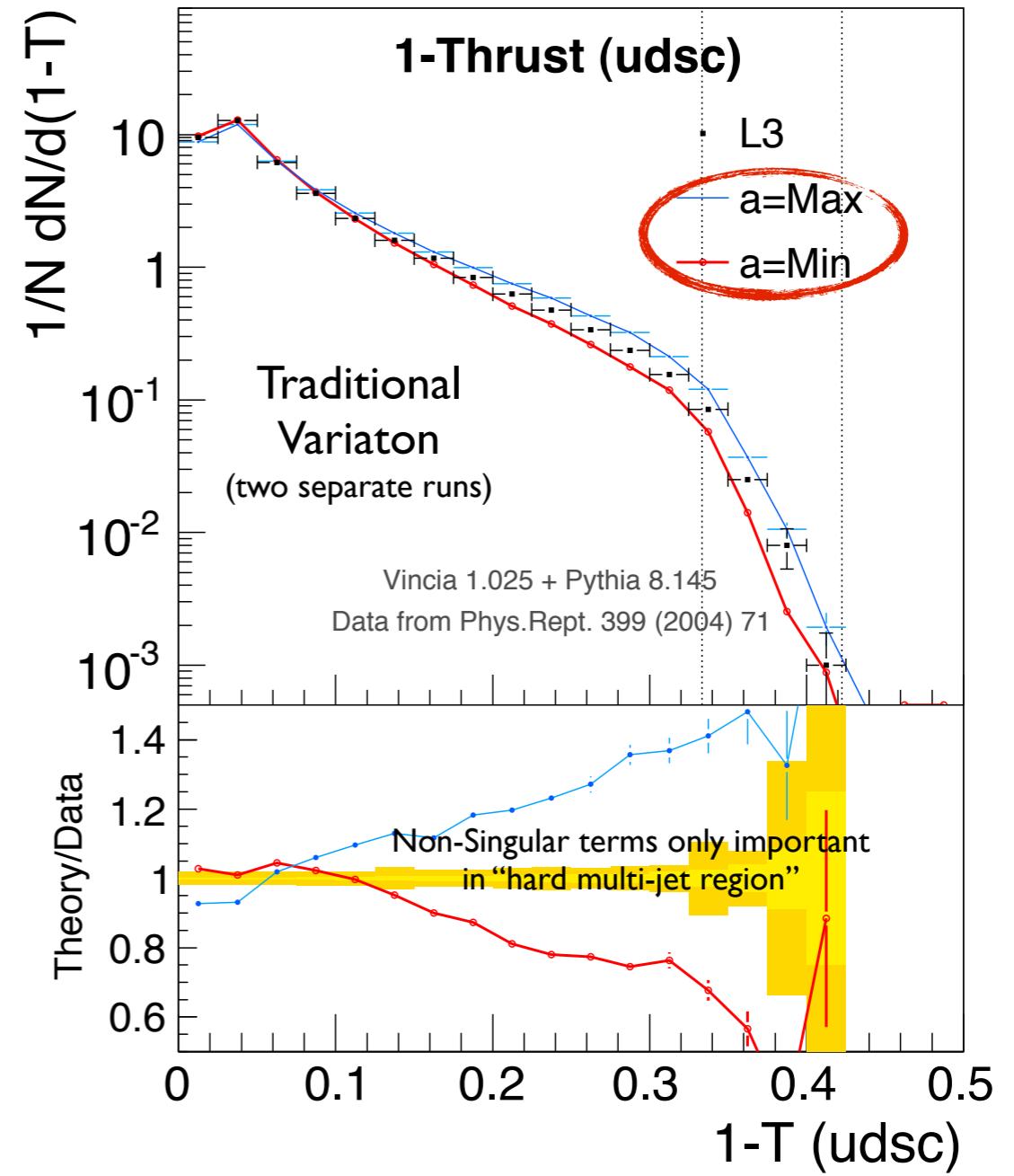
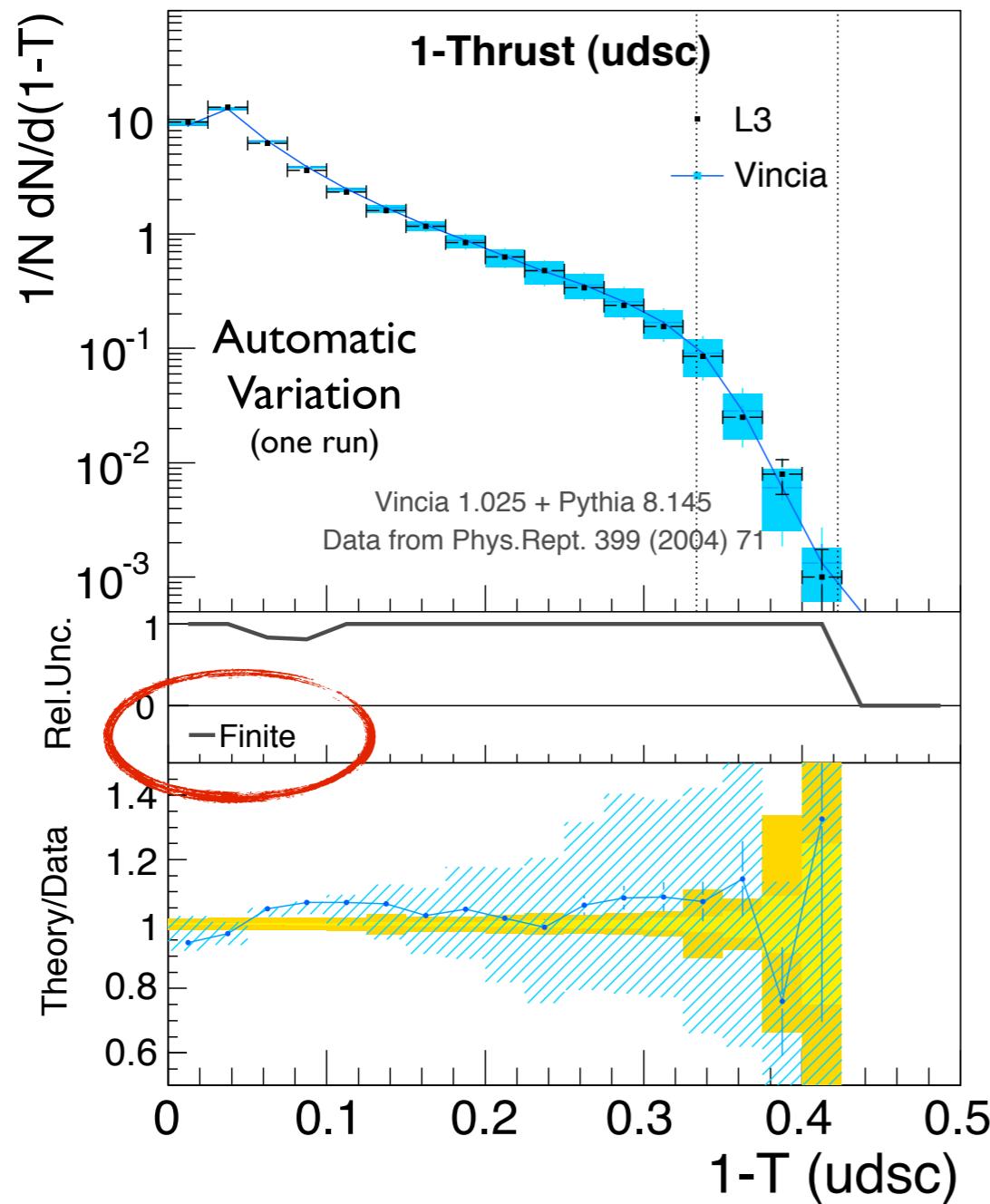
Vincia:uncertaintyBands = on



Variation of renormalization scale (no matching)

Automatic Uncertainties

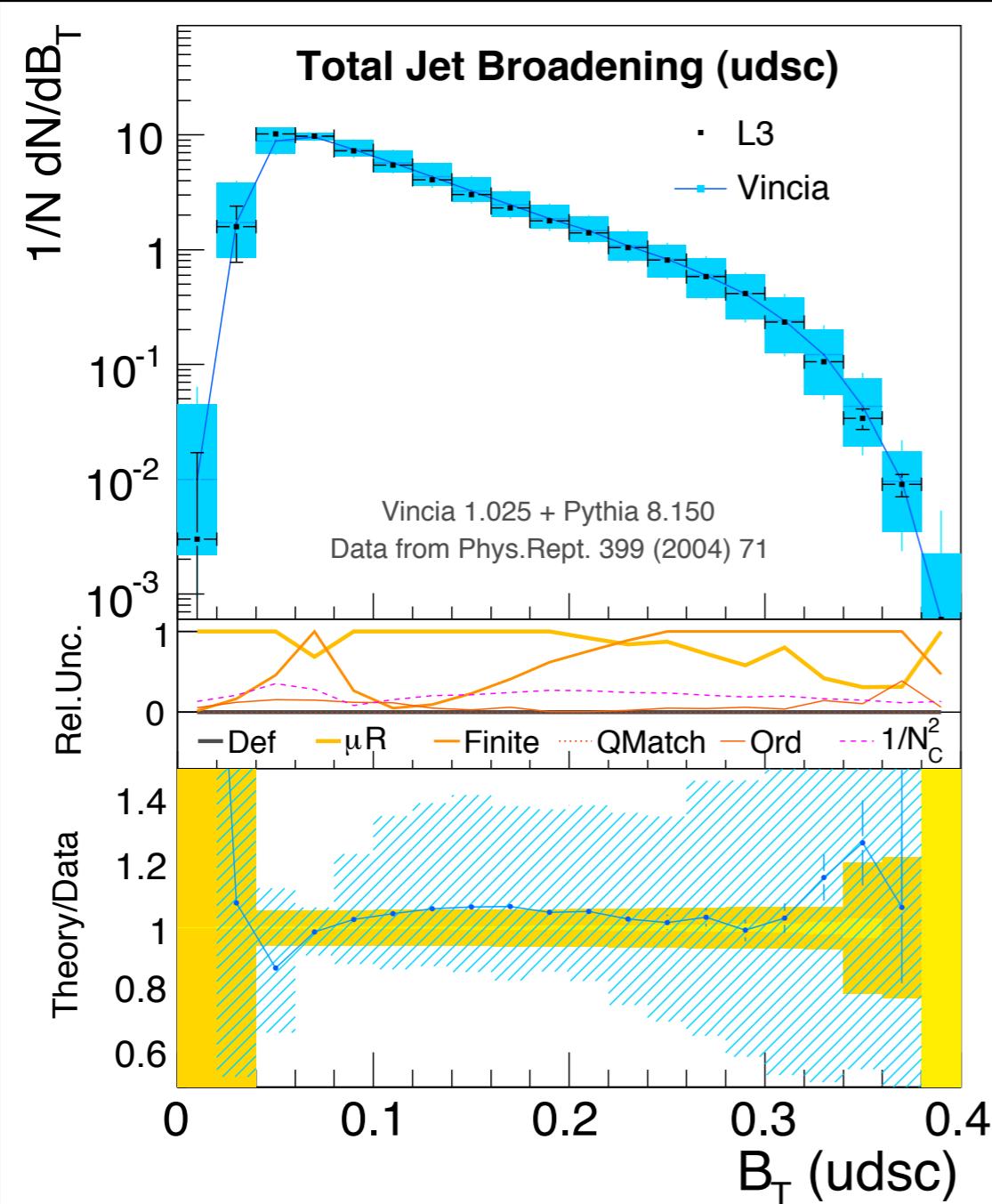
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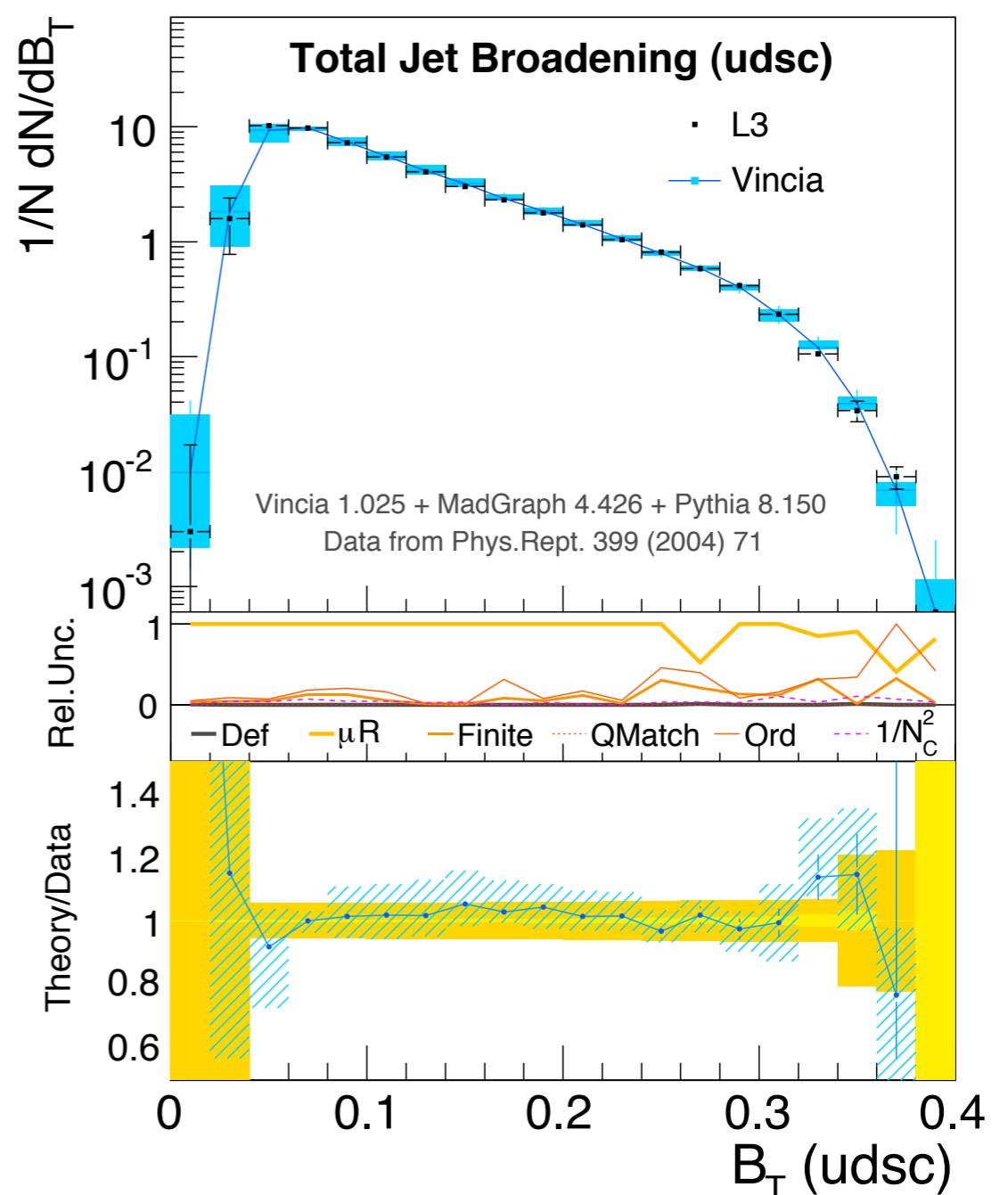
Variation of “finite terms” (no matching)

Putting it Together

VinciaMatching:order = 0



VinciaMatching:order = 3



SECTOR SHOWERS

J. Lopez-Villarejo & PS, arXiv:1109.3608

Also discussed in Larkoski & Peskin, PRD81(2010)054010, PRD84 (2011)034034

- Dipole-antenna formalism ($2 \rightarrow 3$)

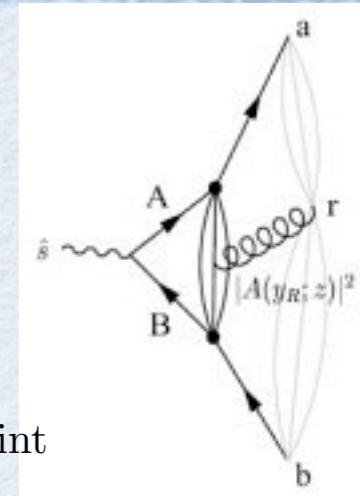
Lund, GGG, GKS

- Two types: $\begin{cases} \text{- Global} \\ \text{- Sector} \end{cases}$

Kosower PRD 57 (1998) 5410

$$|M^{(n)}|^2 \sim \sum_{i \in \text{clust.}} a_i |M_i^{(n-1)}|^2 \quad \text{for any P.S. point}$$

$$|M^{(n)}|^2 \sim \sum_{i \in \text{clust.}} \tilde{a}_i |M_i^{(n-1)}|^2 \quad \Theta_i(\text{P.S.}) \sim \tilde{a}_j |M_j^{(n-1)}|^2$$



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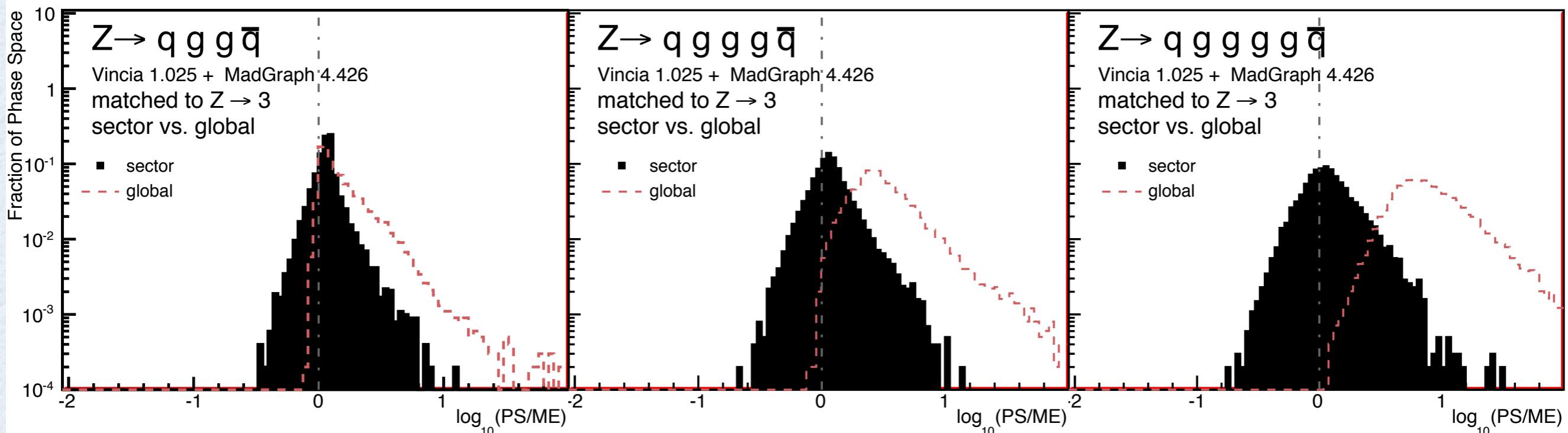
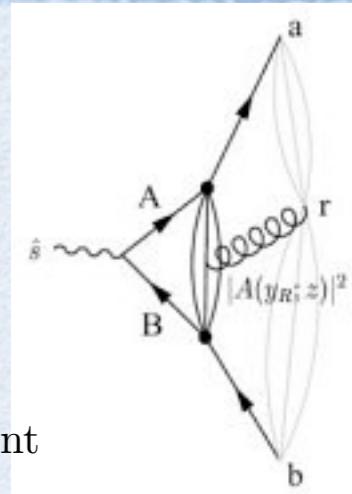
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*) shows Global *without* any ordering condition imposed \rightarrow overcounting

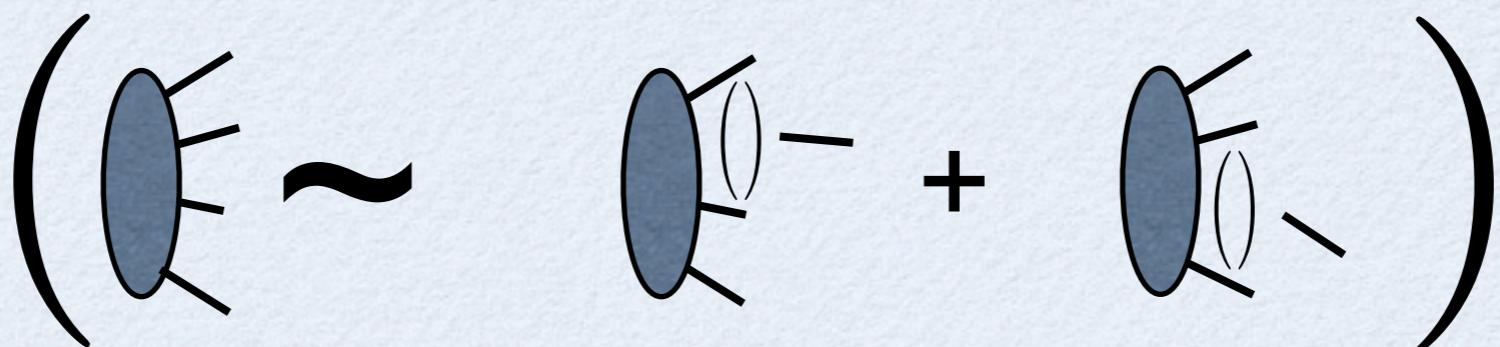
NUMBER OF TERMS



Global FSR shower (default VINCIA)

	“Traditional” parton shower	Vincia Markov global antenna shower	Vincia Markov sector antenna shower
# of terms produced in the shower	$2^N N!$	N	1

N = number of
emitted partons



$3 \rightarrow 4$
2 terms per phase-space point

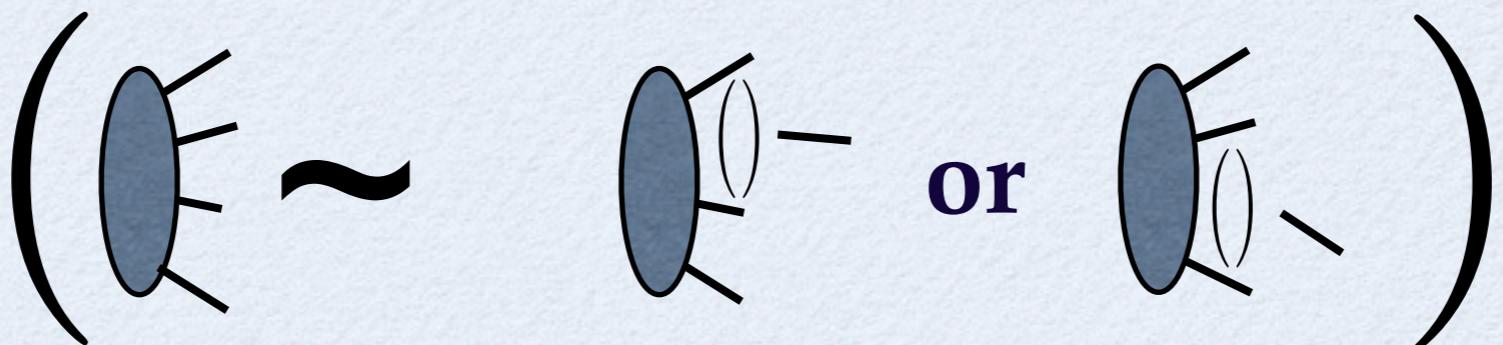
NUMBER OF TERMS



→ Sector shower

	“Traditional” parton shower	Vincia Markov global antenna shower	Vincia Markov sector antenna shower
# of terms produced in the shower	$2^N N!$	N	1

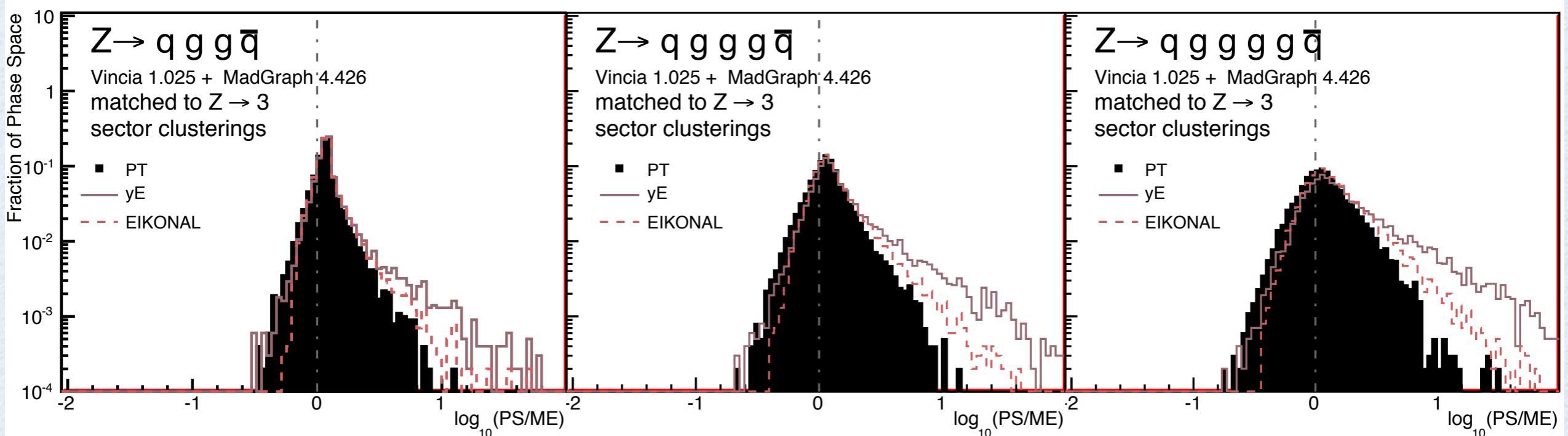
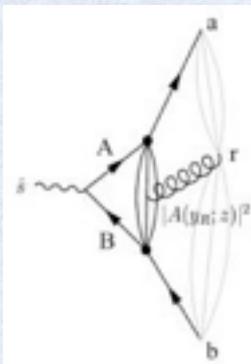
N = number of
emitted partons



$3 \rightarrow 4$
1 term per phase-space point

SECTOR IMPLEMENTATION

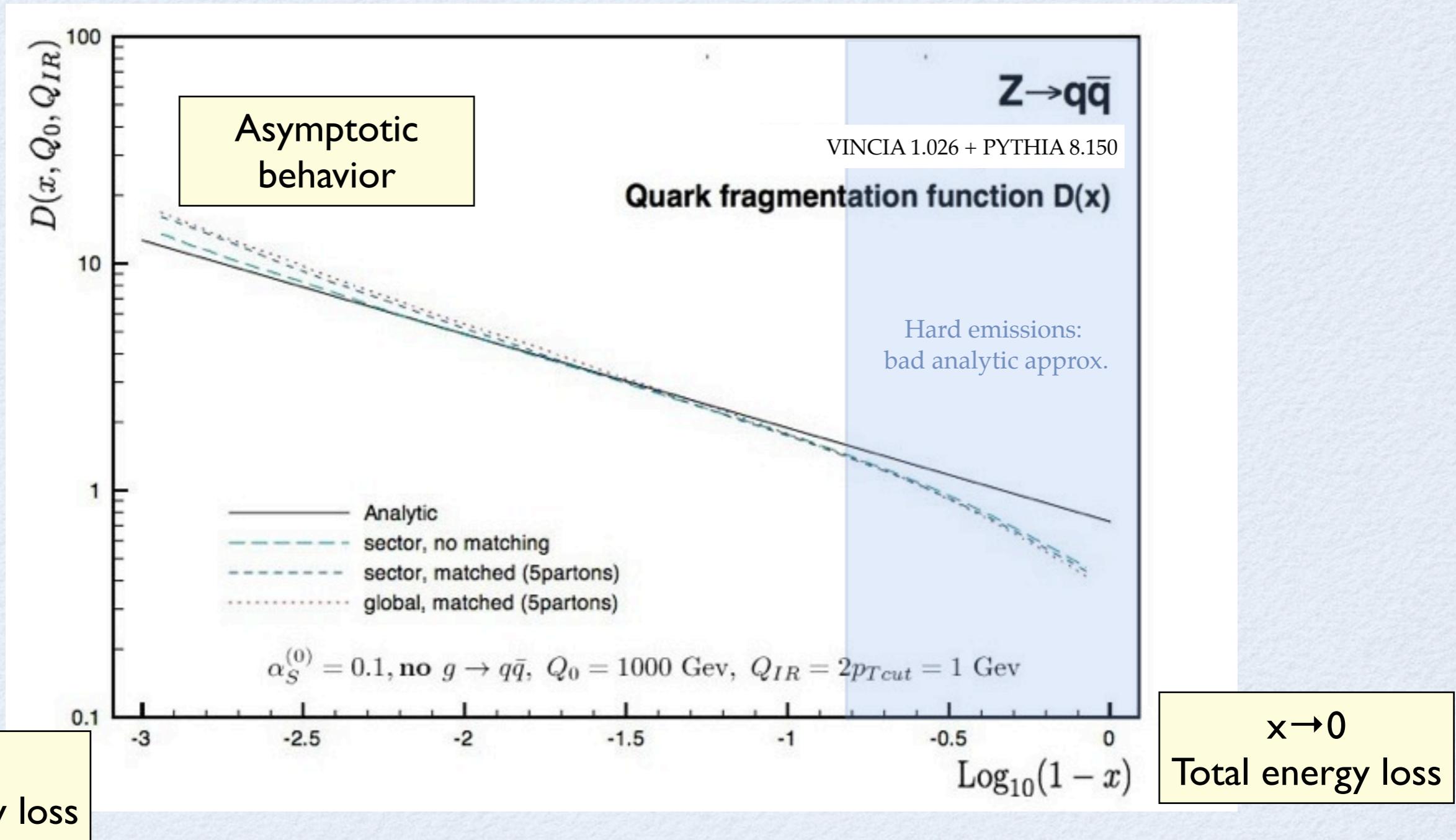
- Implementation based on the global shower setup.
- Antenna functions are different than in the global case.
→ Challenges (partitioning of collinear radiation singularities)
- Different criteria for separating sectors in phase space
Looking for “best” sub-LL behavior.



RESULTS->FF

PS, Weinzierl: Phys.Rev.D79 (2009) ; Nagy, et al. JHEP 0905 (2009) 088

Test: fragmentation function for a quark

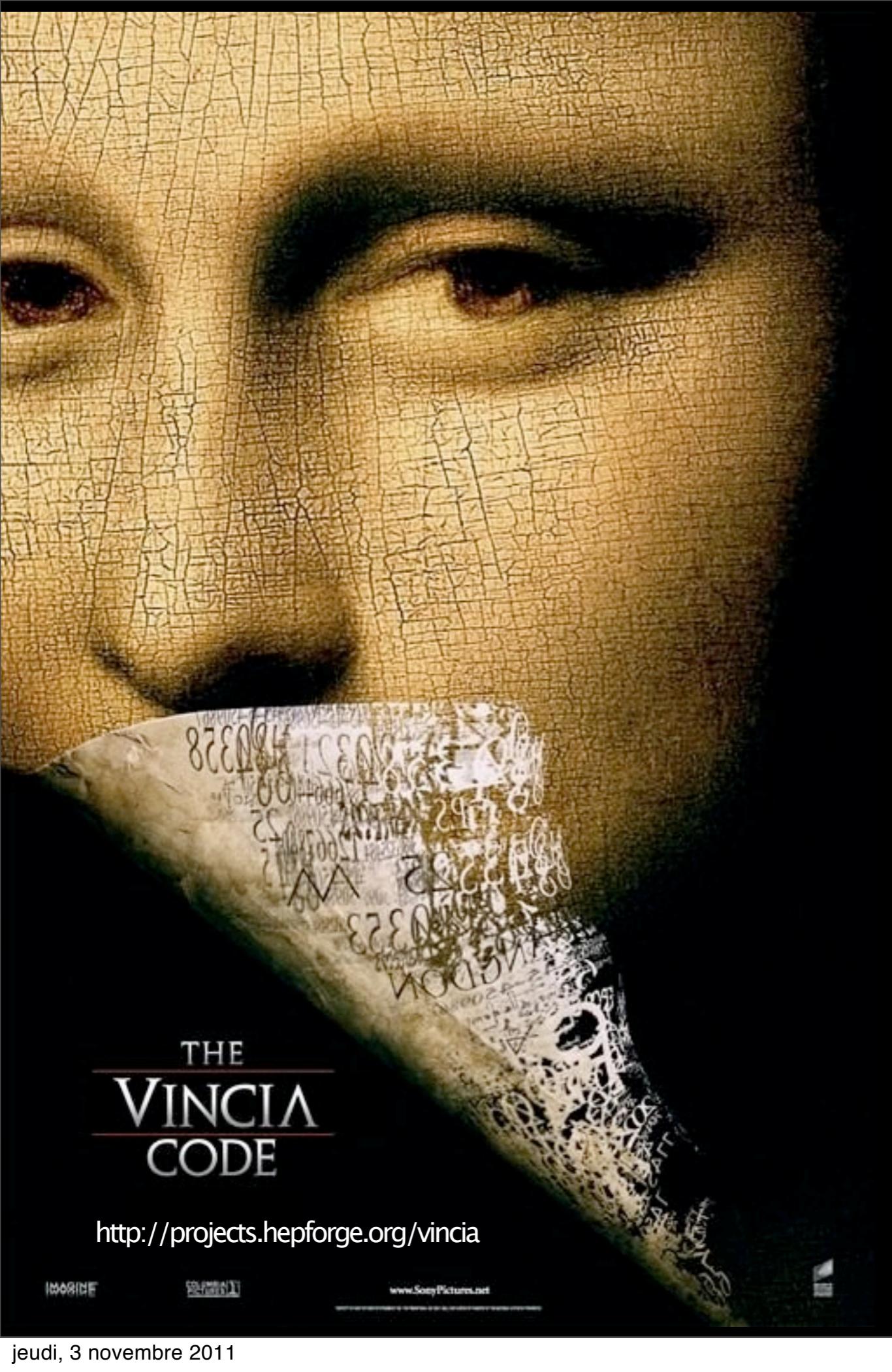


RESULTS -> SPEED



Matched through:	$Z \rightarrow 3$	$Z \rightarrow 4$	$Z \rightarrow 5$	$Z \rightarrow 6$
Pythia 6	0.20	ms/event		
Pythia 8	0.22	$Z \rightarrow q\bar{q}$ ($q=udscb$) + shower. Matched and unweighted. Hadronization off <i>gfortran/g++ with gcc v.4.4 -O2</i> on single 3.06 GHz processor with 4GB memory		
Vincia Global	0.30	0.77	6.40	130.00
Vincia Sector	0.27	0.63	6.90	52.00
Vincia Global ($Q_{match} = 5$ GeV)	0.29	0.60	2.40	20.00
Vincia Sector ($Q_{match} = 5$ GeV)	0.26	0.50	1.40	6.70
Sherpa ($Q_{match} = 5$ GeV)	5.15*	53.00*	220.00*	400.00*
<i>* + initialization time</i>		1.5 minutes	7 minutes	22 minutes
Generator Versions: Pythia 6.425 (Perugia 2011 tune), Pythia 8.150, Sherpa 1.3.0, Vincia 1.026 (without uncertainty bands, NLL/NLC=OFF)				

[J. Lopez-Villarejo & PS, arXiv:1109.3608](#)



VINCIA Status

Plug-in to PYTHIA 8

Stable and reliable for Final-State Jets

(E.g., LEP)

Automatic matching and uncertainty
bands

improvements in shower
(smooth ordering, NLC, Matching, ...)

Paper on mass effects ~ ready

(with A. Gehrmann-de-Ridder & M. Ritzmann)

Next steps

Multi-leg one-loop matching

(with L. Hartgring & E. Laenen, NIKHEF)

Polarized Showers

(with A. Larkoski, SLAC, & J. Lopez-Villarejo, CERN)

→ Initial-State Showers

(with W. Giele, D. Kosower, G. Diana, M. Ritzmann)

THE
VINCIA
CODE

<http://projects.hepforge.org/vincia>

IMAGINE

COLONY

www.SonyPictures.net

