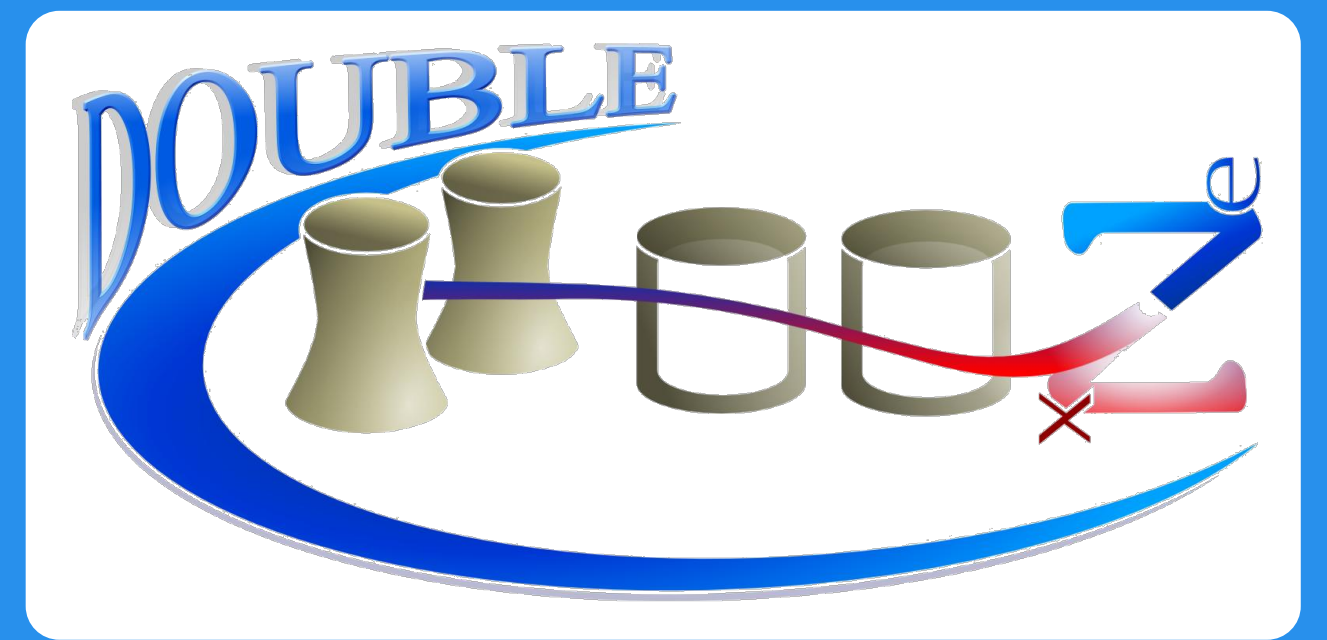


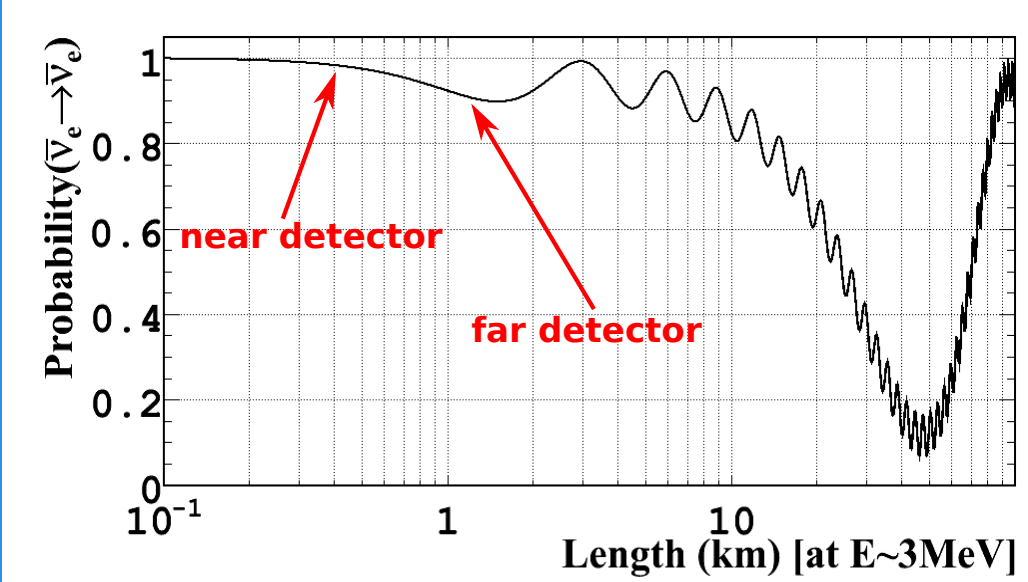
Measurement of the detection systematic uncertainty in the Double Chooz experiment

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on behalf of the Double Chooz Collaboration

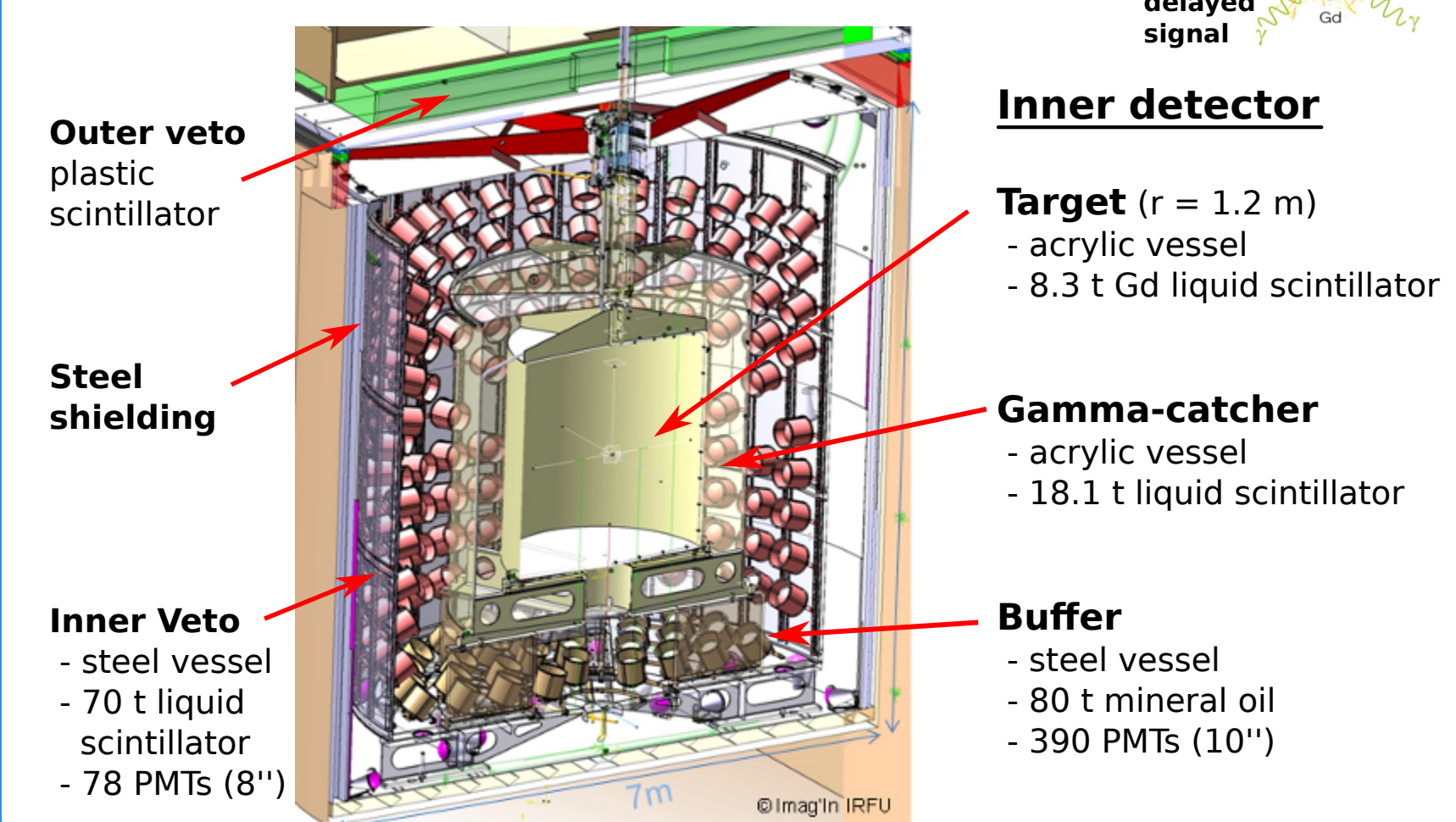
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The Double Chooz experiment



- Reactor $\bar{\nu}_e$ **disappearance** is directly related to the mixing angle θ_{13} .
- Relative measurement with **two identical detectors**.
- Clean and precise measurement**.
- Antineutrinos detected through **inverse beta decay (IBD)**:
 $\bar{\nu}_e + p \rightarrow e^+ + n$
- Coincidence signal in Gd-loaded liquid scintillator: n capture time $\sim 30 \mu s$.
- Prompt** signal: e^+ energy deposit (1 - 8 MeV).
- Delayed** signal: n capture on Gd (~ 8 MeV).



Detection systematic uncertainty in Double Chooz

- New selection** is optimized: high efficiency of IBD detection and low background.
- 0.5 < $E_{\text{prompt}} < 20$ MeV
- 4 < $E_{\text{delayed}} < 10$ MeV
- 0.5 < corr. time < 150 μs
- corr. distance < 1 m
- Vetoes and background rejection cuts are added to this minimal selection.
- The current θ_{13} analysis derives the **predicted antineutrino flux from simulation**.
- A **Monte Carlo normalization factor** ensures the detection dependent accuracy of the simulation wrt. data.
- This factor is defined as the ratio of data to MC detection efficiency: $C = \frac{\epsilon_{\text{Data}}}{\epsilon_{\text{MC}}}$
- The **detection systematic uncertainty** represents the uncertainty in the anti-neutrino normalization due to detection related effects.

Contribution	MC normalization	Uncertainty
Delayed event selection (presented in this poster)	0.9750	0.54%
Prompt event selection (i.e. trigger, electronics, DAQ)	1.0000	negligible
Number of protons (IBD target)	1.0000	0.30%
Active background rejection cuts & livetime	0.9388	0.11%
Total	0.9153	0.63%

- The **delayed detection efficiency** consists of three contributions:
 - a selection cut dependent efficiency ϵ_{cut}
 - an inherent efficiency f_{Gd} of neutrons to be captured on Gd.
 - a neutron mobility related detection uncertainty.
- The **delayed MC normalization factor** is defined as the product of three MC normalization factors arising from the three contributions above:

$$C_{\text{delayed}} = C_{\text{cut}} \cdot C_{\text{Gd}} \cdot C_{\text{spill}}$$

Neutron sources used in this analysis

Inverse beta decay (IBD) neutrons

- Antineutrinos** are regarded as a **neutron source** through IBD.
- Homogeneously** distributed in the detector.
- Same **neutron physics** as the oscillation signal.
- Selection similar to the one for oscillation analysis.
- Only non-neutron delayed events are background:
 - Stopping muon greatly reduced: reconstruction likelihood cut (prompt and delayed) + IV-veto (prompt) + OV-veto (prompt).
 - Accidental background is subtracted using an off-time selection.

^{252}Cf delayed fission neutrons

- Point-like **fission source** with ~ 13 neutrons per second.
- Deployed at positions along the **Target symmetry axis**.
- Calibration campaign** in the middle of the $\bar{\nu}_e$ data taking period.
- High statistics**.
- Fission event signature**:
 - Prompt: fission gammas with $\langle E_\gamma \rangle \sim 7$ MeV.
 - Delayed: neutron capture ($\tau \sim 30 \mu s$) with $\langle E_{\text{kin}} \rangle \sim 2$ MeV and multiplicity $m \sim 4$.
- Background-reduced event selection:
 - Prompt energy cut + accidental background subtraction by off-time selection.
 - Correlated background reduction by requiring a delayed multiplicity of $m \geq 2$.

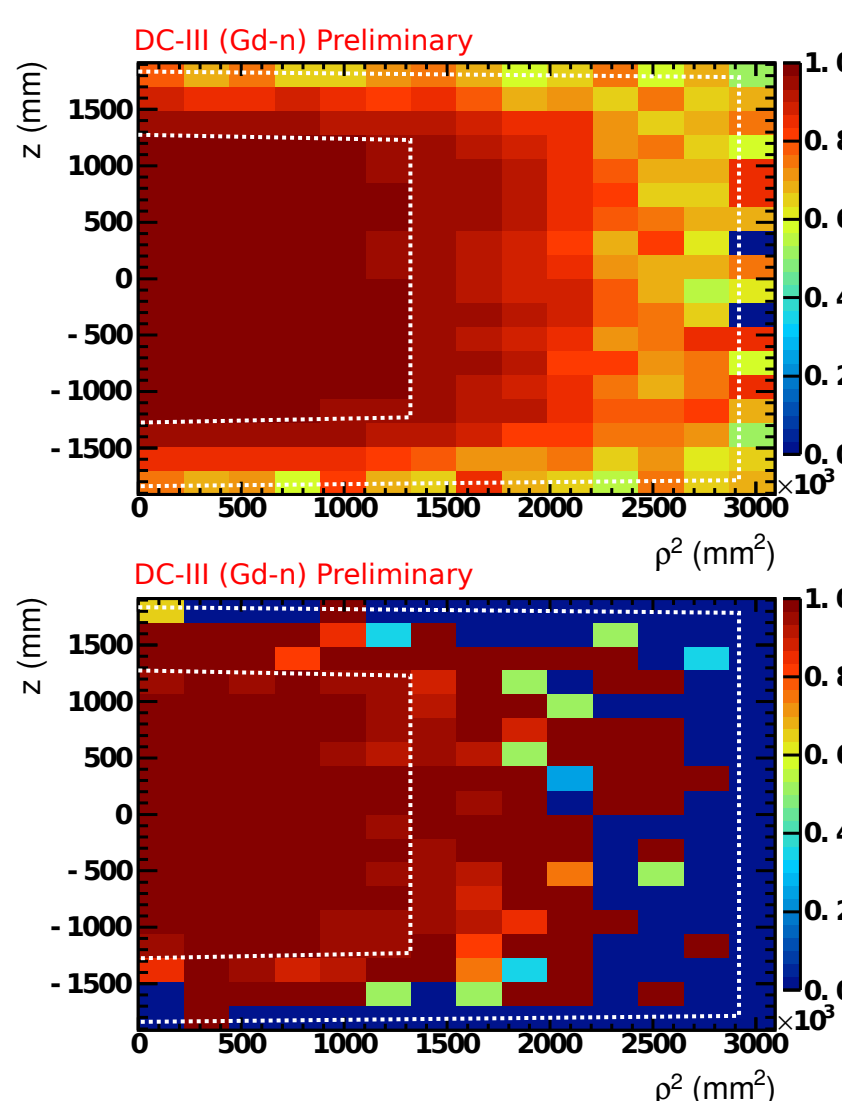
Muon spallation neutrons

- Neutrons originated from **spallation of nuclei by cosmic muons**:
 - Selection: $50 < \Delta t < 150 \mu s$ after a muon with $E_\mu > 50$ MeV.
 - Accidental background subtraction by off-time selection.
 - Delayed event multiplicity of $m \geq 2$.
 - Fiducial volume cut.

Volume-wide detection systematic uncertainty

- Volume-wide** MC normalization factor: ratio of **selection cut dependent** efficiencies for data and MC.
- The efficiencies are computed for the **whole Target** volume to include the reduction when approaching the borders.
efficiency = $\frac{\text{events passing the delayed energy, correlation time and correlation distance cuts for the oscillation analysis}}{\text{events passing looser cuts on the same variables}}$
- Cuts are evaluated simultaneously in an **inclusive** way to account for any possible correlation between them.

IBD neutron volume-wide uncertainty estimation

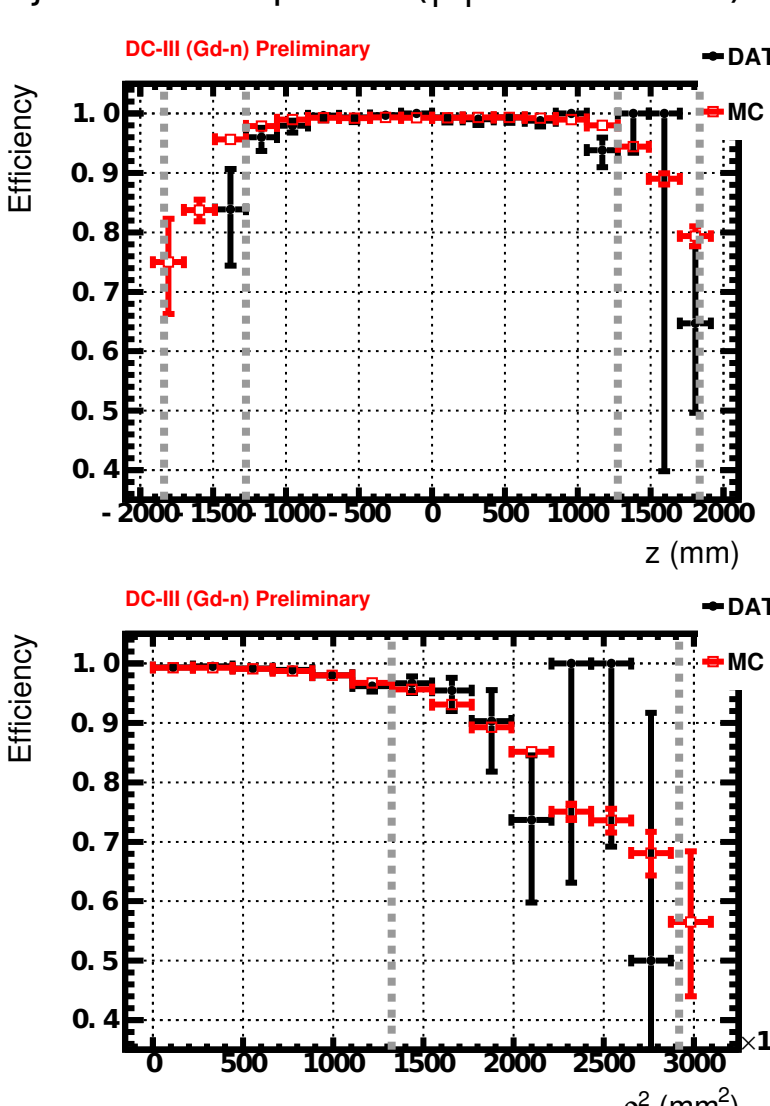


▲ Cut efficiency maps. Top: MC. Bottom: data (accidental background-subtracted).

- Direct measurement** of volume-wide efficiency.
- The efficiency definition used for IBD neutrons is:
 $\epsilon_{\text{cut}} = \frac{N(0.5 < \Delta t < 150 \mu s \cap 4 < E_d < 10 \text{ MeV} \cap \Delta R < 1 \text{ m})}{N(0.25 < \Delta t < 200 \mu s \cap 3.5 < E_d < 10 \text{ MeV} \cap \Delta R < 1.7 \text{ m})}$
- The integration is done in the Target volume:
 $C_{\text{cut}} = 0.9996 \pm 0.0021$ (stat + syst)

- Limited statistics are compensated by the efficient selection.
- Systematics** were estimated from the difference to the value of C_{cut} using only the **bottom half of the Target** (to suppress the stopping muon background).
- The result passed successfully several checks:
 - Variation in the selection/efficiency definition.
 - The fiducial volume for integration was varied.
 - Use of alternative MCs.
- An **exclusive** definition of the efficiency (one cut evaluated at each time) yielded the same result.

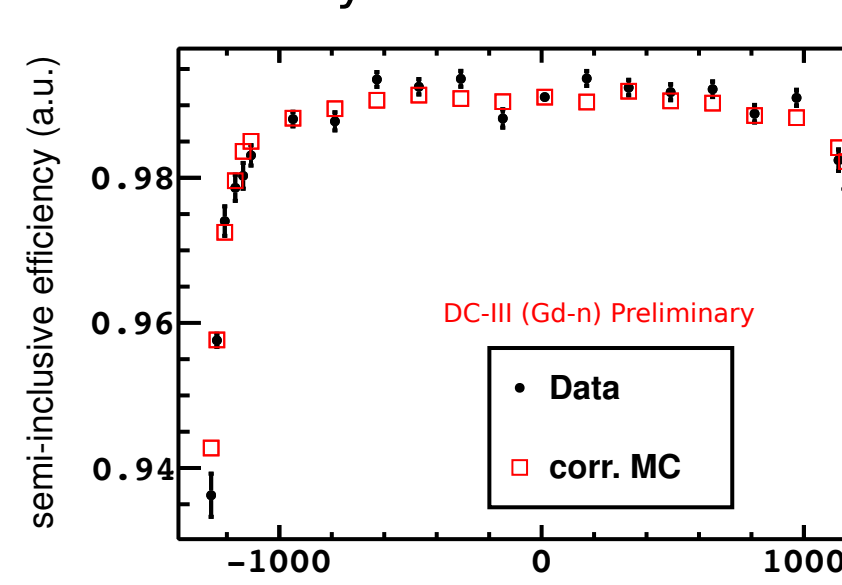
▼ Cut efficiency map projections. Data (black) has the accidental background subtracted. Top: Projection onto z axis ($p < 470$ mm). Bottom: Projection onto p^2 axis ($|z| < 637.5$ mm).



^{252}Cf fission neutron volume-wide uncertainty estimation

- The ^{252}Cf selection is **very clean wrt. background**, allowing wide cuts in the denominator:
 $\epsilon_{\text{cut}} = \frac{N(0.5 < \Delta t < 150 \mu s \cap 4 < E_d < 10 \text{ MeV} \cap \Delta R < 1 \text{ m})}{N(0.25 < \Delta t < 1000 \mu s \cap 3.5 < E_d < 10 \text{ MeV})}$

- A volume-wide efficiency estimate is computed by **extrapolation** of the efficiencies along the symmetry **z-axis to the full volume**.
- Antineutrino MC was used to validate the accuracy and systematic uncertainty of this method.



▲ Cut dependent efficiency as a function of the deployment position along the symmetry axis z. Black dots are data, red boxes corrected MC.

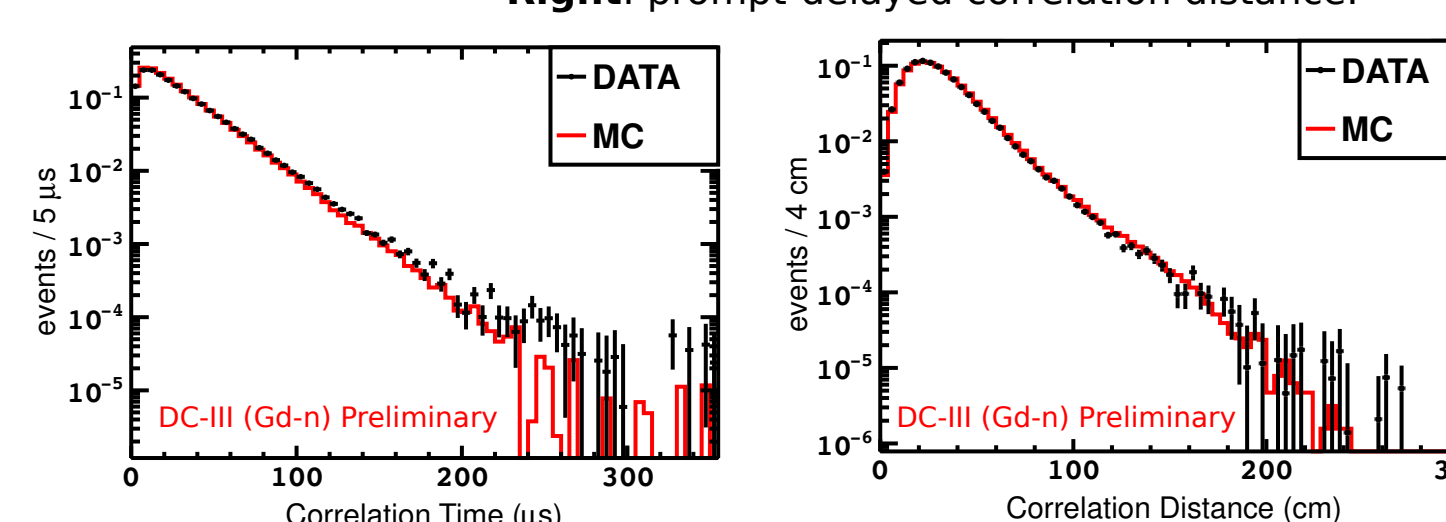
- The **systematic uncertainty** main contributions:
 - Stability wrt. variations in the computation of ϵ_{cut} :
 - Variation in the selection/efficiency definition.
 - Using only top or bottom volume data.
 - Variations in the position of the deployment locations.
 - A **method-dependent uncertainty** → **dominant contribution**.

- Consistent results for different calibration campaigns

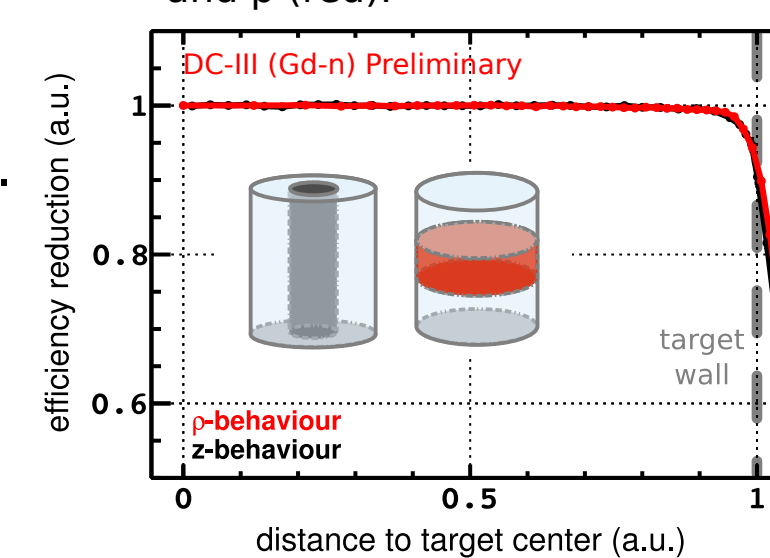
- ^{252}Cf result:

$$C_{\text{cut}} = 1.0003 \pm 0.0032$$
 (stat + syst)

▼ ^{252}Cf data (black) and MC (red) spectra. Left: prompt-delayed correlation time. Right: prompt-delayed correlation distance.



▼ Antineutrino MC efficiency reduction shapes in z (black) and p (red).

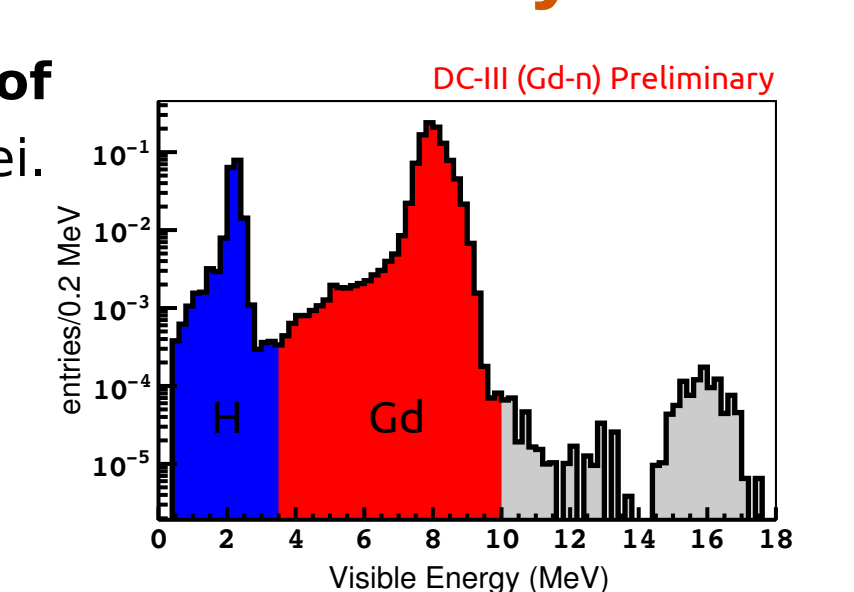


Gadolinium-fraction systematic uncertainty

- The Gadolinium-fraction f_{Gd} represents the **proportion of radiative neutron captures on Gadolinium (Gd) nuclei**.
- It is estimated via the ratio of events in the Gd and H peaks in the delayed energy spectrum:

$$f_{\text{Gd}} = \frac{N(\text{Gd})}{N(\text{H} + \text{Gd})} = \frac{N(3.5 < E_{\text{delayed}} < 10 \text{ MeV})}{N(E_{\text{th}} < E_{\text{delayed}} < 10 \text{ MeV})}$$

with energy threshold $E_{\text{th}} = 0.5$ MeV.



▲ Integration of the delayed energy spectrum to estimate the Gd-fraction.

- The Gd-fraction MC normalization is defined as the ratio:

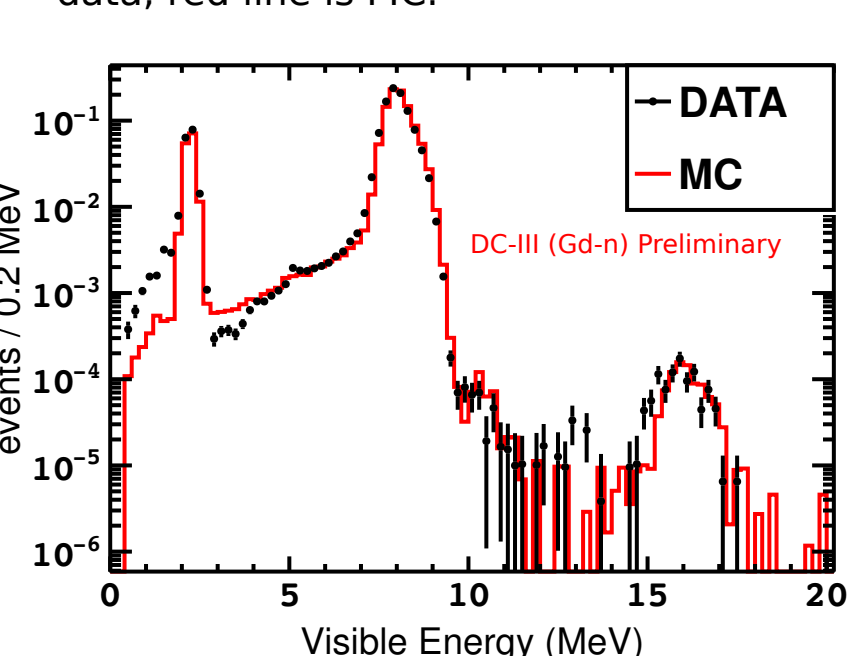
$$C_{\text{Gd}} = f_{\text{Gd}}^{\text{Data}} / f_{\text{Gd}}^{\text{MC}}$$

^{252}Cf fission-n Gd-fraction normalization

- The central value of C_{Gd} is measured at the target center with **large statistics** (~ 5 hours of data taking).
- The **systematic uncertainty** is estimated by varying:
 - Sample selection**: negligible impact ($< 0.1\%$).
→ validation of the background reduction.
 - C_{Gd} **estimation**: variations in the integrated energy region induce discrepancies of $\sim 0.3 - 0.4\%$.
→ largest systematic deviation when varying the **lower energy threshold** to: $E_{\text{th}} = 1.5$ MeV
- Stable**: in agreement with an earlier calibration result.
- The Gd-fraction MC normalization was computed to be:

$$C_{\text{Gd}} = 0.9750 \pm 0.0011$$
 (stat) ± 0.0041 (syst)

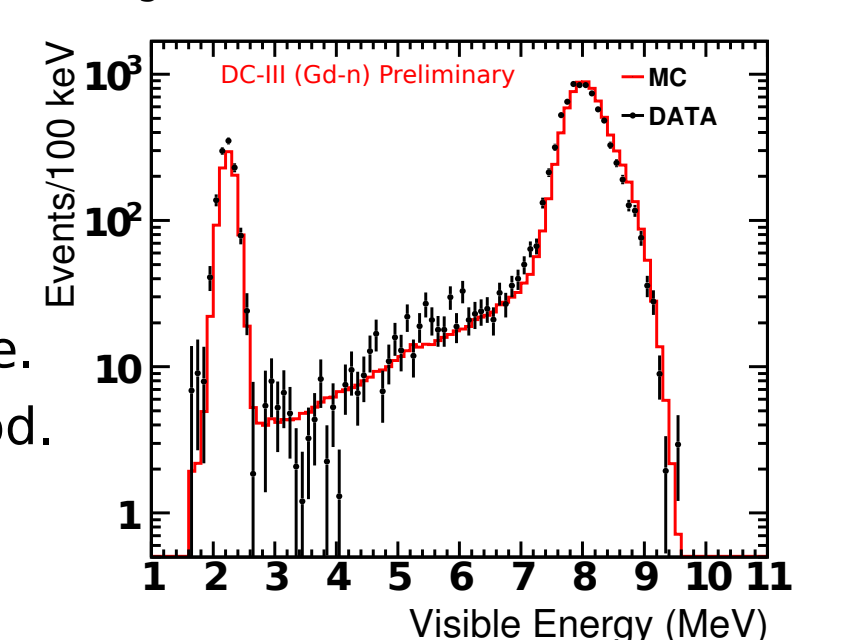
▼ ^{252}Cf energy spectrum: visible energy of the delayed events normalized in the region from 7 - 10 MeV. Black circles are data, red line is MC.



IBD neutron Gd-fraction crosscheck

- Result**: $C_{\text{Gd}}^{\bar{\nu}} = 0.9794 \pm 0.0040$ (stat) ± 0.0044 (syst)
- In **agreement with the ^{252}Cf result**.
- Systematics** estimated by varying integration range and the fiducial volume.
- Minimized stopping muon contribution in H-peak:
 - Used only data in which the Outer Veto was operative.
 - Additional cut on the delayed reconstruction likelihood.
- Fiducial volume cut in prompt and delayed vertices to ensure only Target events are counted.

▼ IBD delayed energy spectra in the fiducial volume, normalized in the region from 7 to 10 MeV. MC (red), accidental background-subtracted data (black).

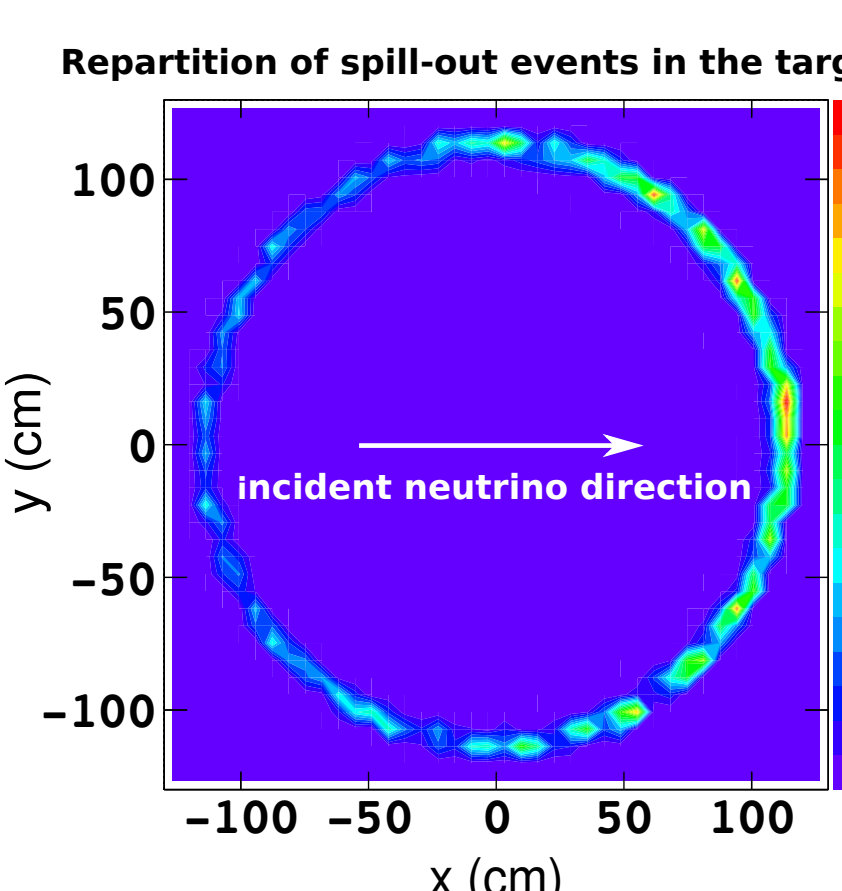
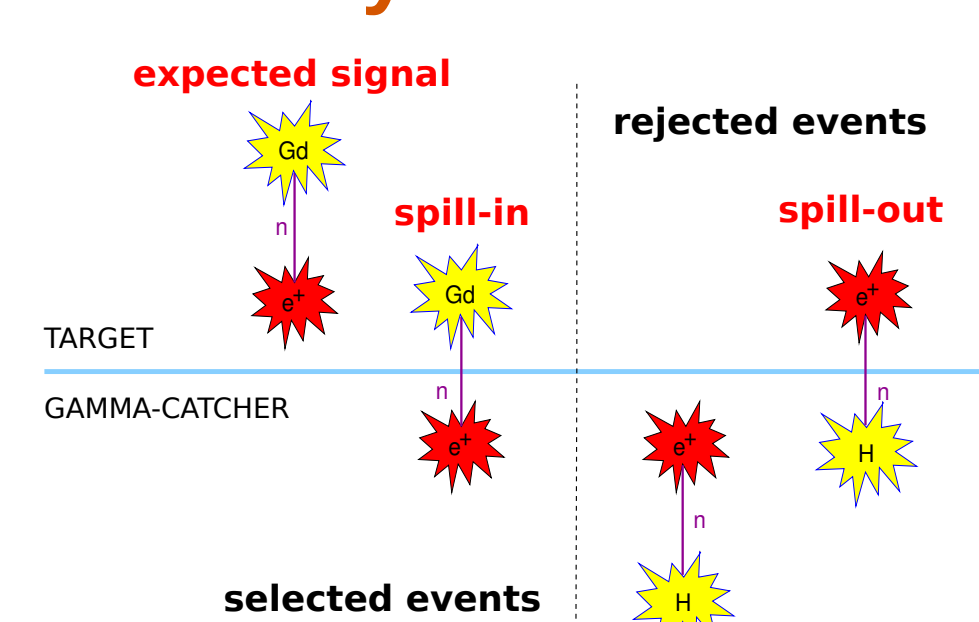


Spallation neutron Gd-fraction crosscheck

- Higher neutron kinetic energies** than IBD or ^{252}Cf neutrons → important cross-check.
- Compute a $C_{\text{Gd}}^{\text{spall}}$ using the spallation neutron and the antineutrino MC Gd-fractions.
- The results of $C_{\text{Gd}}^{\text{Cf-252}}$ and $C_{\text{Gd}}^{\text{spall}}$ are in **agreement within $< 0.4\%$** .

Neutron migration systematic uncertainty

- The Target acts as a fiducial volume in which the IBD events are selected.
- Neutron migration** effects between detector volumes:
 - Spill-out**: an IBD neutron emitted in the Target escapes the volume and is captured outside ⇒ **loss** of expected detected events.
 - Spill-in**: an IBD neutron emitted outside the Target enters this volume and is captured on Gd ⇒ **increase** of detected events.



- These two effects counterbalance, yet do not cancel out.
- The fraction of spill cannot be measured in the data. It is estimated in MC.
- The spill is sensitive to the **low energy neutron physics** modeling, especially to the **molecular bonds** between H and other atoms.
- The **Geant4 simulation developed in DC** includes an analytical modeling of the impact of molecular bonds on low energy neutrons.
- The **systematic uncertainty** of the Geant4 spill fraction is given by the comparison with another simulation code (**Tripoli4**, known for the reliability of its low energy neutron physics modeling), resulting in:

$$C_{\text{spill}} = 1.0000 \pm 0.0027$$

Summary

Delayed detection contribution	MC normalization	Uncertainty (stat. + syst.)
Gd-fraction	0.9750	0.43%
Selection cut dependent	1.0000	0.19%
Neutron migration	1.0000	0.27%
Delayed detection total	0.9750	0.54%

- The **volume-wide selection cut dependent normalization factor** and its uncertainty were computed using the **combined IBD and ^{252}Cf results**:

$$C_{\text{cut}} = 1.0000 \pm 0.0019$$
 (stat + syst)

- New selection leads to a good data to MC agreement.
- The **Gd-fraction normalization is the dominant contribution** to the total MC normalization factor and to its uncertainty.
- Cross-check** measurements using **IBD and spallation neutrons are in agreement with the ^{252}Cf Gd-fraction result**.
- The **neutron migration** systematic uncertainty has been evaluated by **MC to MC comparison**.
- Since the Gd-fraction and the neutron migration uncertainties are created by a MC simulation mismatch, these **uncertainties will be strongly reduced in the two detector measurement of θ_{13}** .